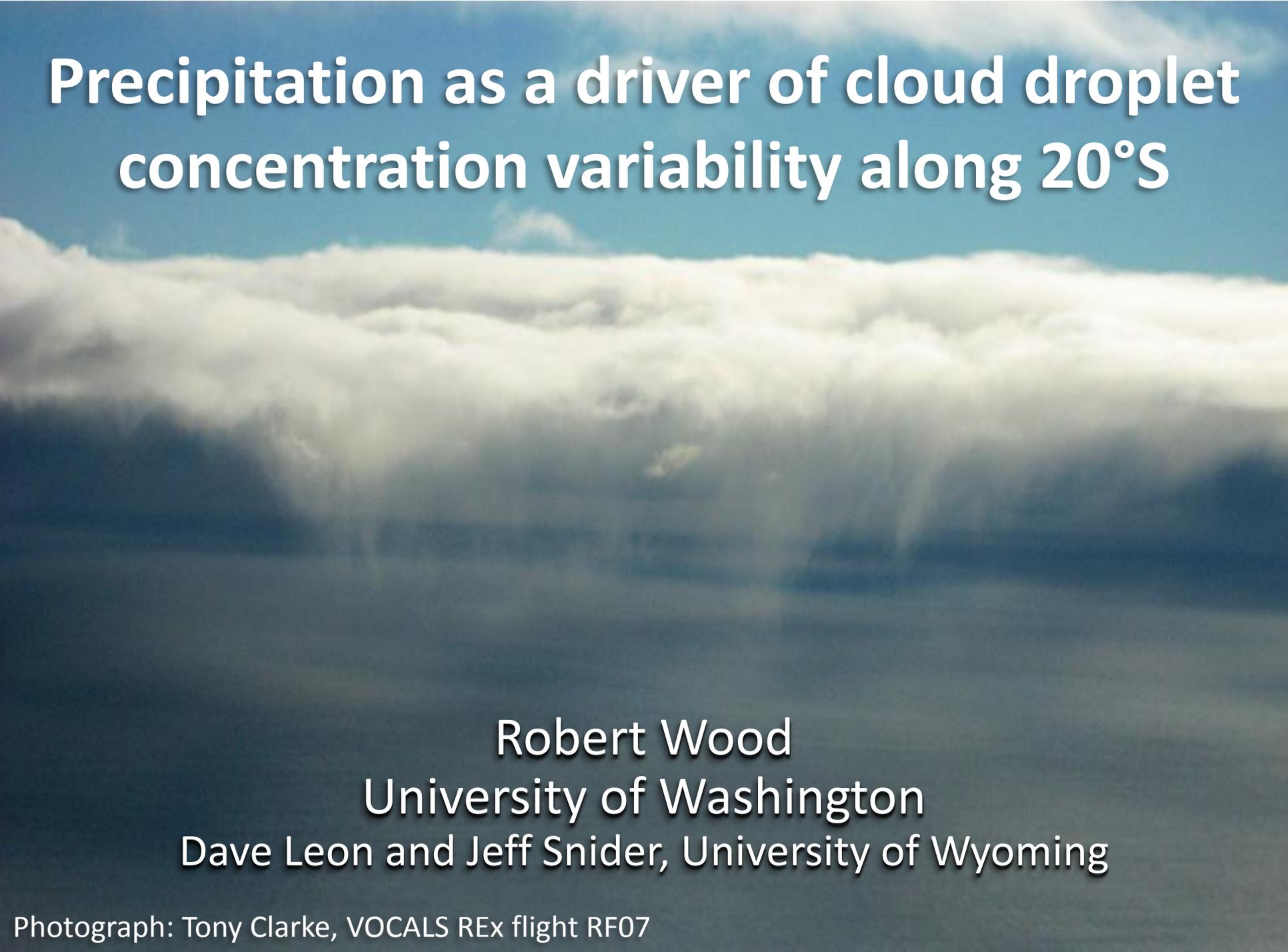


# Precipitation as a driver of cloud droplet concentration variability along 20°S

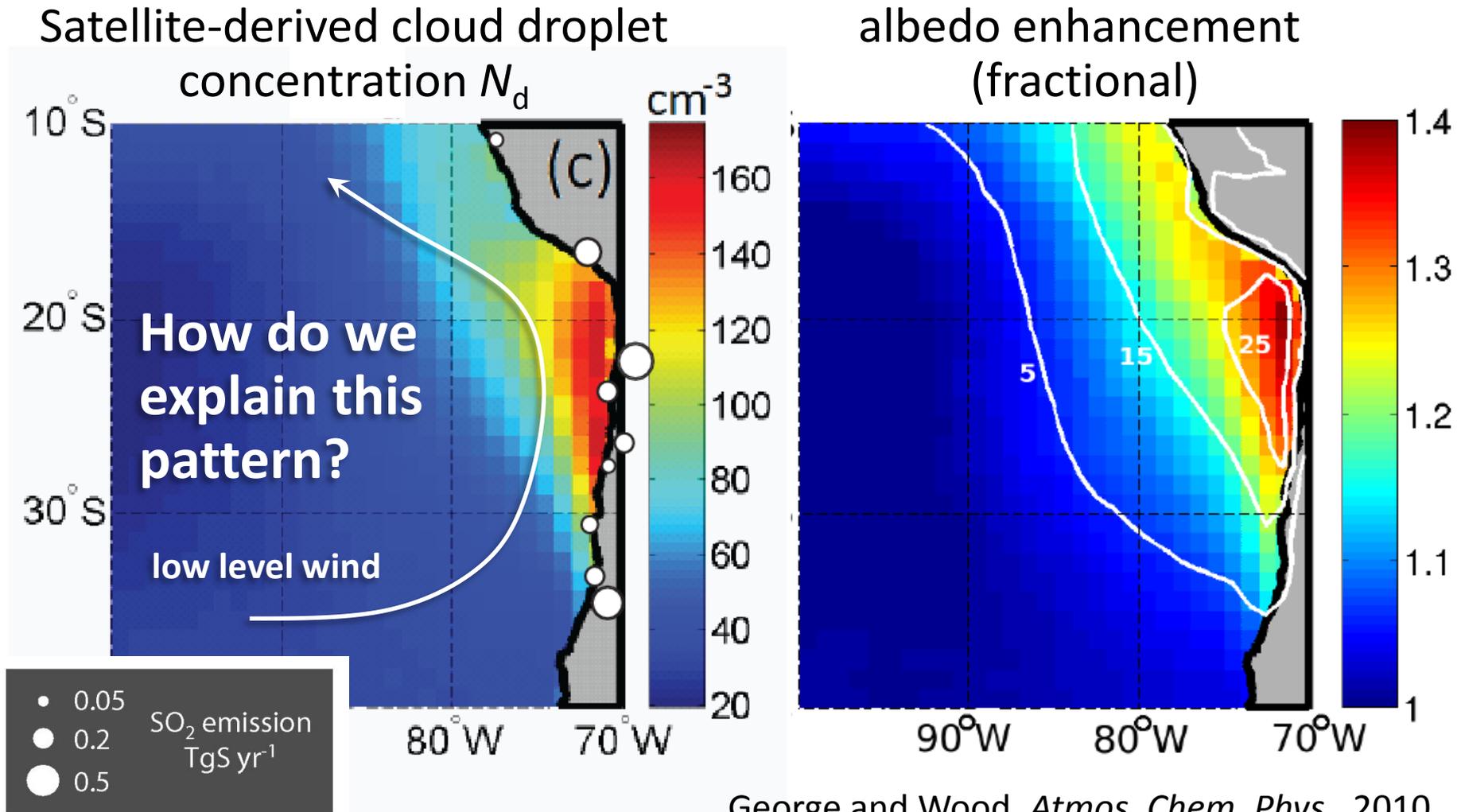


Robert Wood

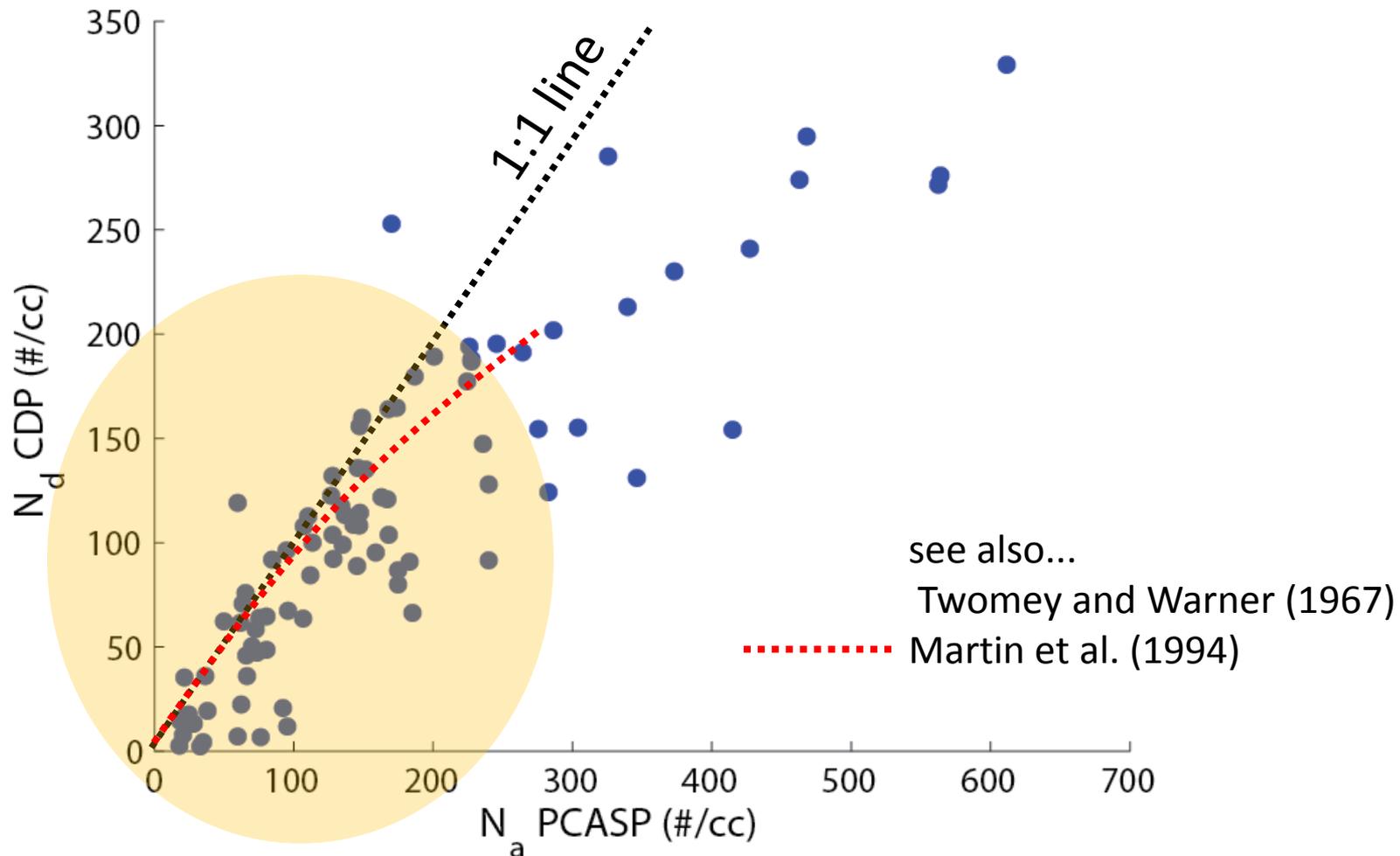
University of Washington

Dave Leon and Jeff Snider, University of Wyoming

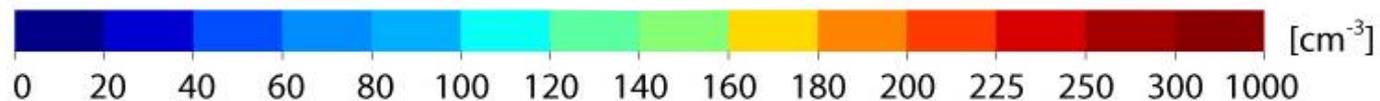
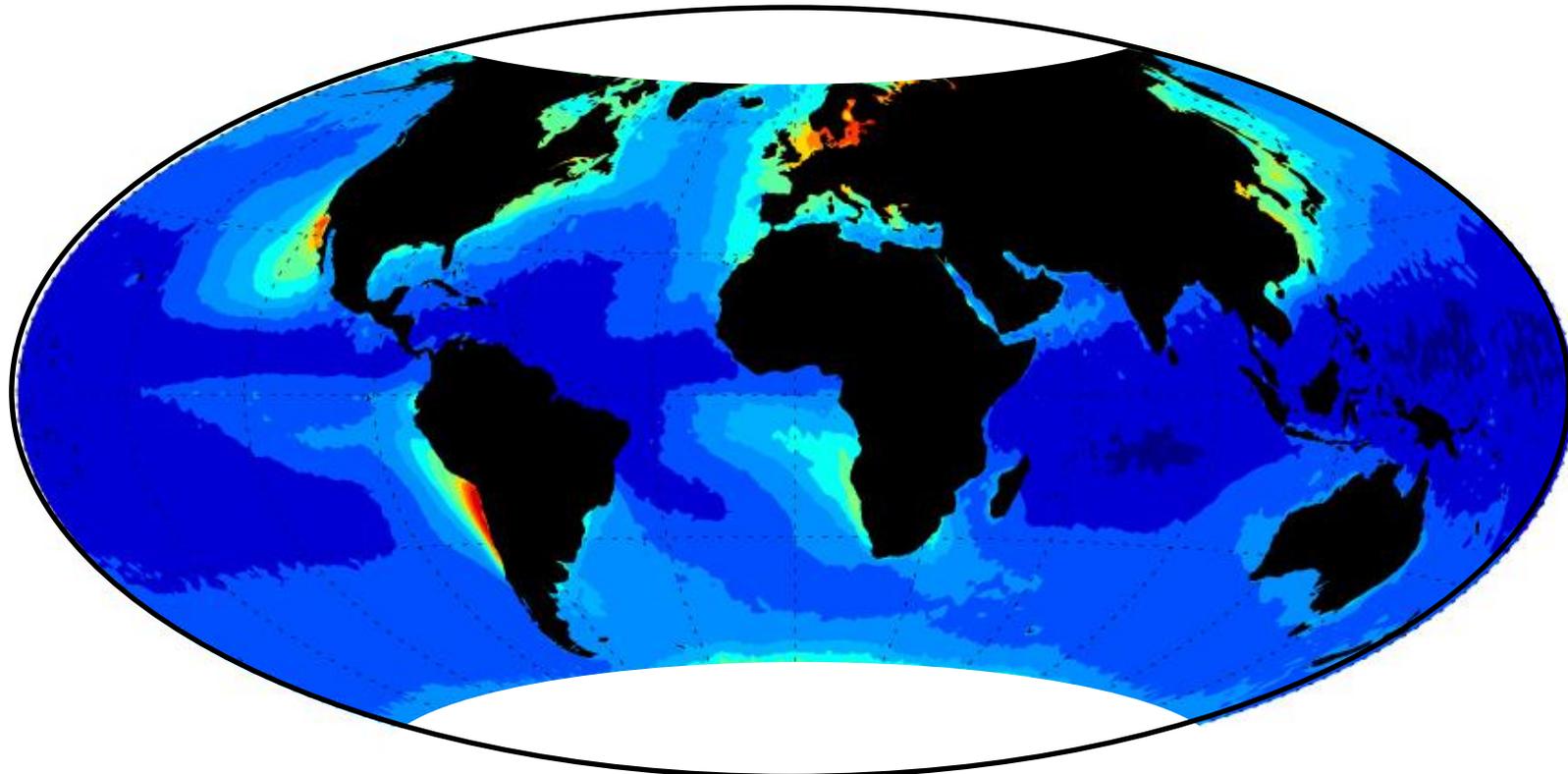
# Radiative impact of cloud droplet concentration variations



# Aerosol ( $D > 0.1 \mu\text{m}$ ) vs cloud droplet concentration (VOCALS, SE Pacific)



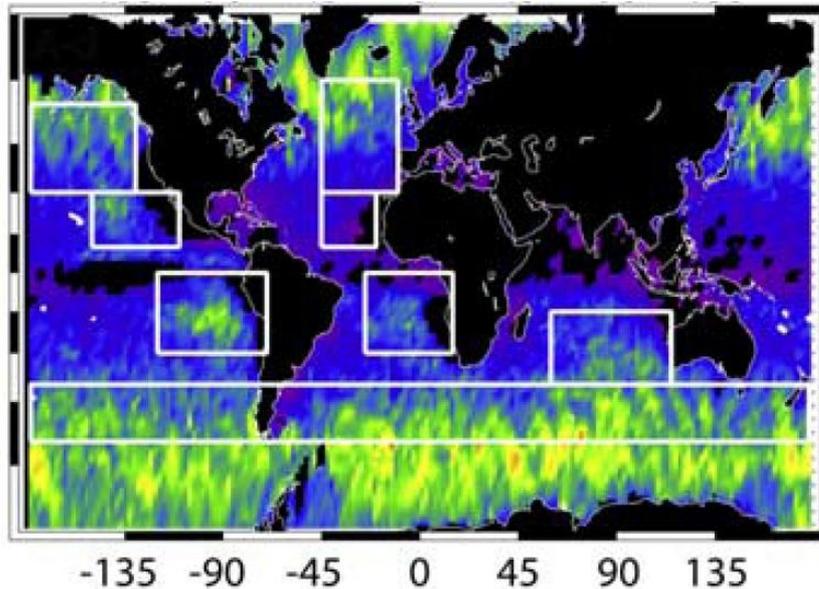
# MODIS-estimated mean cloud droplet concentration $N_d$



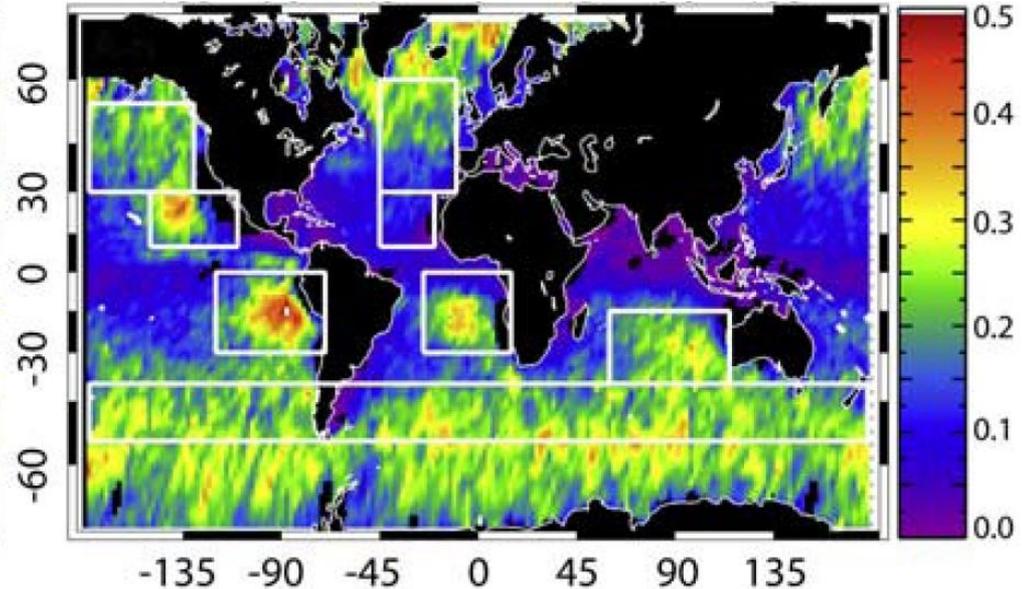
- Use method of Boers and Mitchell (1996), applied by Bennartz (2007)
- Screen to remove heterogeneous clouds by insisting on  $CF_{liq} > 0.6$  in daily L3

# Prevalence of drizzle from low clouds

**DAY**



**NIGHT**



Drizzle occurrence = fraction of low clouds (1-4 km tops)  
for which  $Z_{\max} > -15$  dBZ

# Simple CCN budget in the MBL

$$\dot{N} = [\dot{N}]_{ent} + [\dot{N}]_{sfc} + [\dot{N}]_{coal} + [\dot{N}]_{dry\ dep} \approx 0$$

## Model accounts for:

- Entrainment
- Surface production (sea-salt)
- Coalescence scavenging
- Dry deposition

## Model does not account for:

- New particle formation – significance still too uncertain to include
- Advection – more later

# Production terms in CCN budget

Entrainment rate

FT Aerosol concentration

$$[\dot{N}]_{ent} = \frac{w_e(N_{FT} - N)}{z_i}$$

MBL depth

Sea-salt  
parameterization-dependent  
constant

Wind speed at 10 m

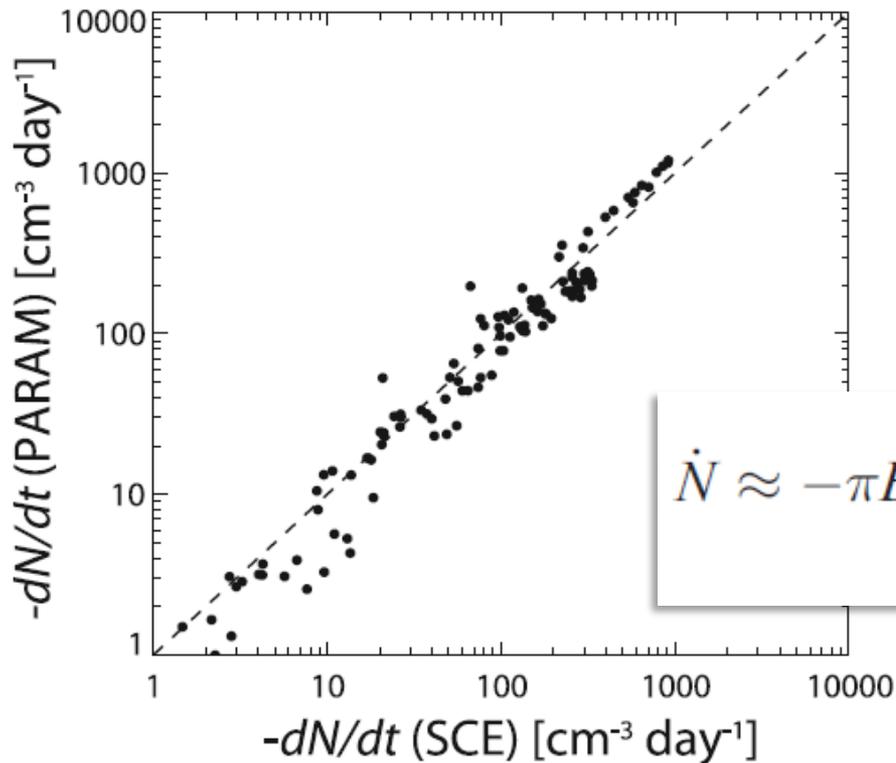
$$[\dot{N}]_{sfc} = \frac{\beta U_{10}^{3.41}}{z_i}$$

We use Clarke et al. (*J. Geophys. Res.*, 2007) at 0.4% supersaturation to represent an upper limit

# Loss terms in CCN budget: (1) Coalescence scavenging

$$[\dot{N}]_{coal} = -K N P_{CB} \frac{h}{z_i}$$

Constant  $\rightarrow$   $K$   
 Precip. rate at cloud base  $\rightarrow$   $P_{CB}$   
 cloud thickness  $\rightarrow$   $h$   
 MBL depth  $\rightarrow$   $z_i$



Comparison against results from stochastic collection equation (SCE) applied to observed size distribution

$$\dot{N} \approx -\pi E_0 N \int_0^\infty r^3 w_T n(r) dr = -\frac{3}{4\rho_w} E_0 N P$$

# Steady state (equilibrium) CCN concentration

$$N_{eq} = \frac{\left( N_{FT} + \frac{\beta U_{10}^{3.41}}{Dz_i} \right)}{\left( 1 + \frac{hkP_{CB}}{Dz_i} \right)}$$

$w_e/z_i = D =$  surface divergence

# Observable constraints from VOCALS and A-Train

$$N_{eq} = \frac{\left( N_{FT} + \frac{\beta U_{10}^{3.41}}{Dz_i} \right)}{\left( 1 + \frac{hkP_{CB}}{Dz_i} \right)}$$

Variable	Source	Details
$N_{FT}$	Weber and McMurry (1996) & <b>VOCALS</b> in-situ observations (next slide)	150-200 cm <sup>-3</sup> active at 0.4% SS in remote FT
$D$	ERA-40 Reanalysis	divergent regions in monthly mean
$U_{10}$	Quikscat/Reanalysis	-
$P_{CB}$	CloudSat <b>VOCALS (WCR and in-situ)</b>	PRECIP-2C-COLUMN, Haynes et al. (2009) & Z-based retrieval
$h$	MODIS	LWP, adiabatic assumption
$z_i$	CALIPSO or MODIS or COSMIC	MODIS $T_{top}$ , CALIPSO $z_{top}$ , COSMIC hydrolapse

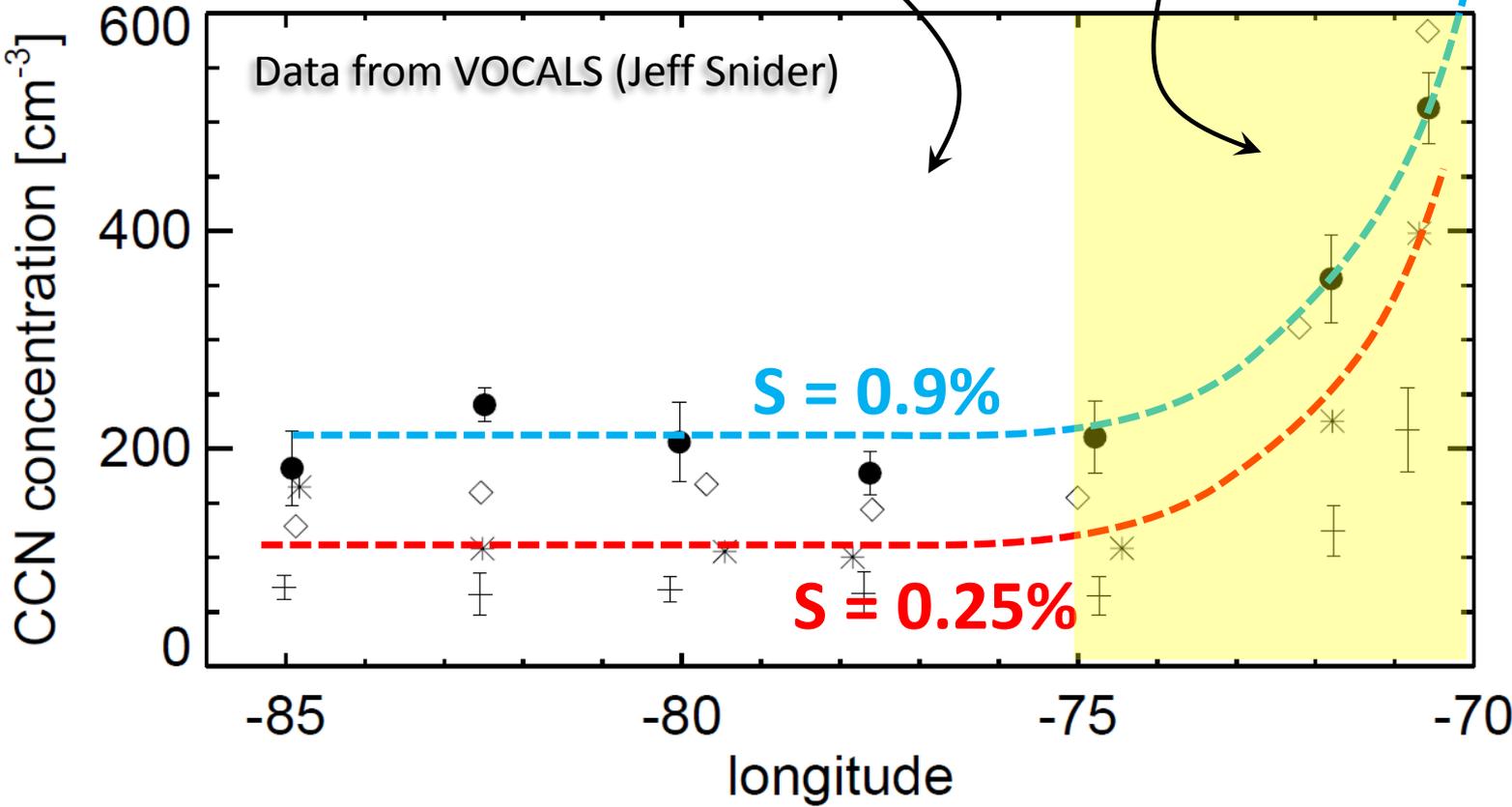
# Free tropospheric CCN source

Weber and McMurry (FT, Hawaii)

Remote "background" FT

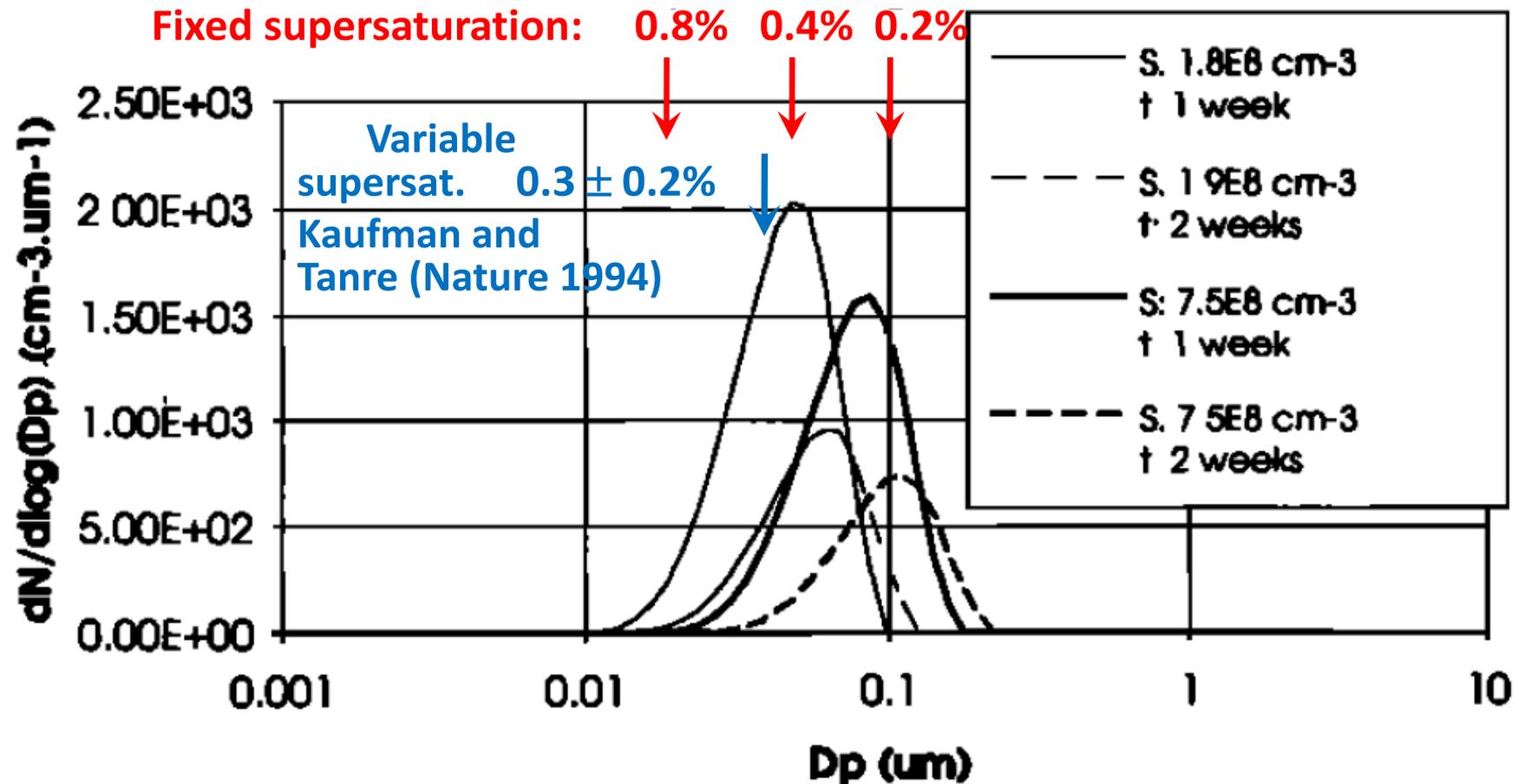
Continently-influenced FT

- ▲ S=0.9%
- ▲ 0.5
- ▲ 0.25
- ▲ 0.1



# Self-preserving aerosol size distributions

- after Friedlander, explored by Raes:



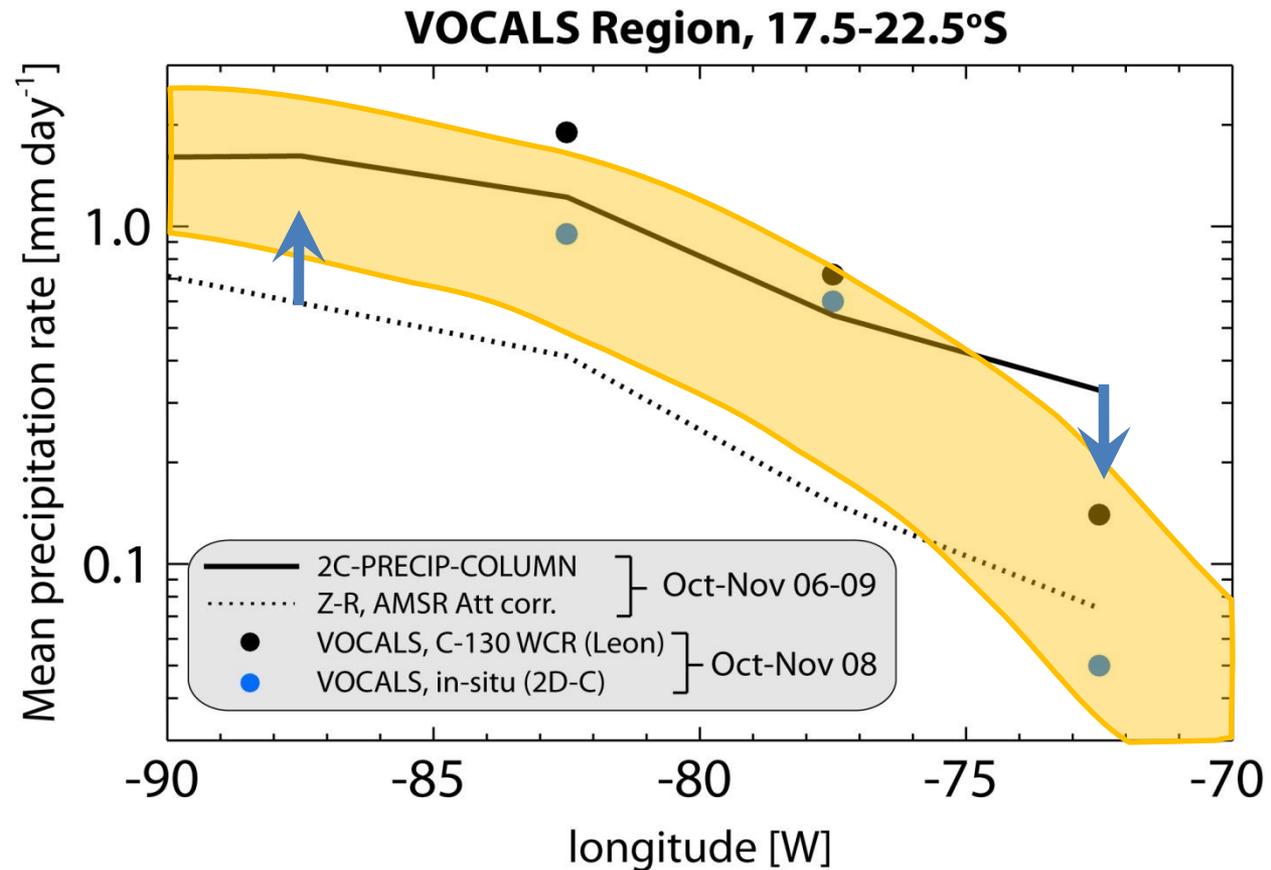
# Precipitation over the VOCALS region

- **CloudSat**

Attenuation and Z-R methods

- **VOCALS**

Wyoming Cloud Radar and in-situ cloud probes



**Significant drizzle  
at 85°W**

**Very little drizzle  
near coast**

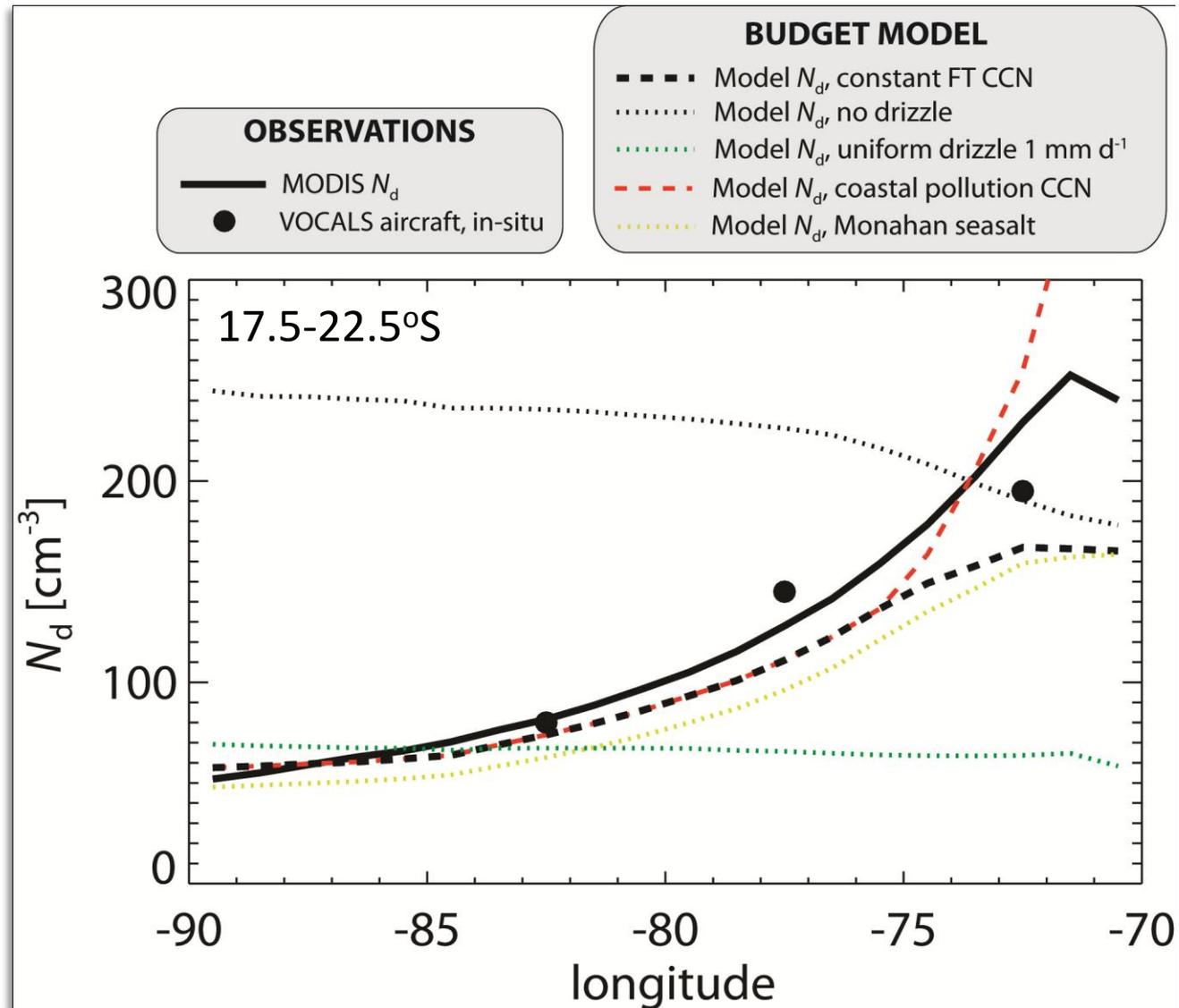
# Predicted and observed $N_d$ , VOCALS

- Model increase in  $N_d$  toward coast is related to **reduced drizzle** and explains the majority of the observed increase

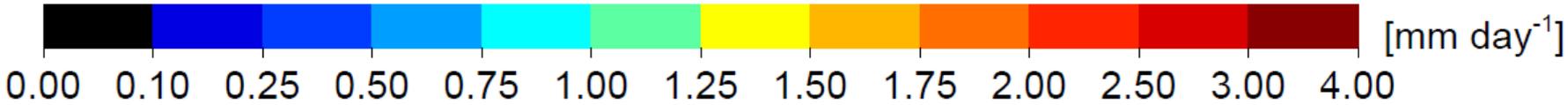
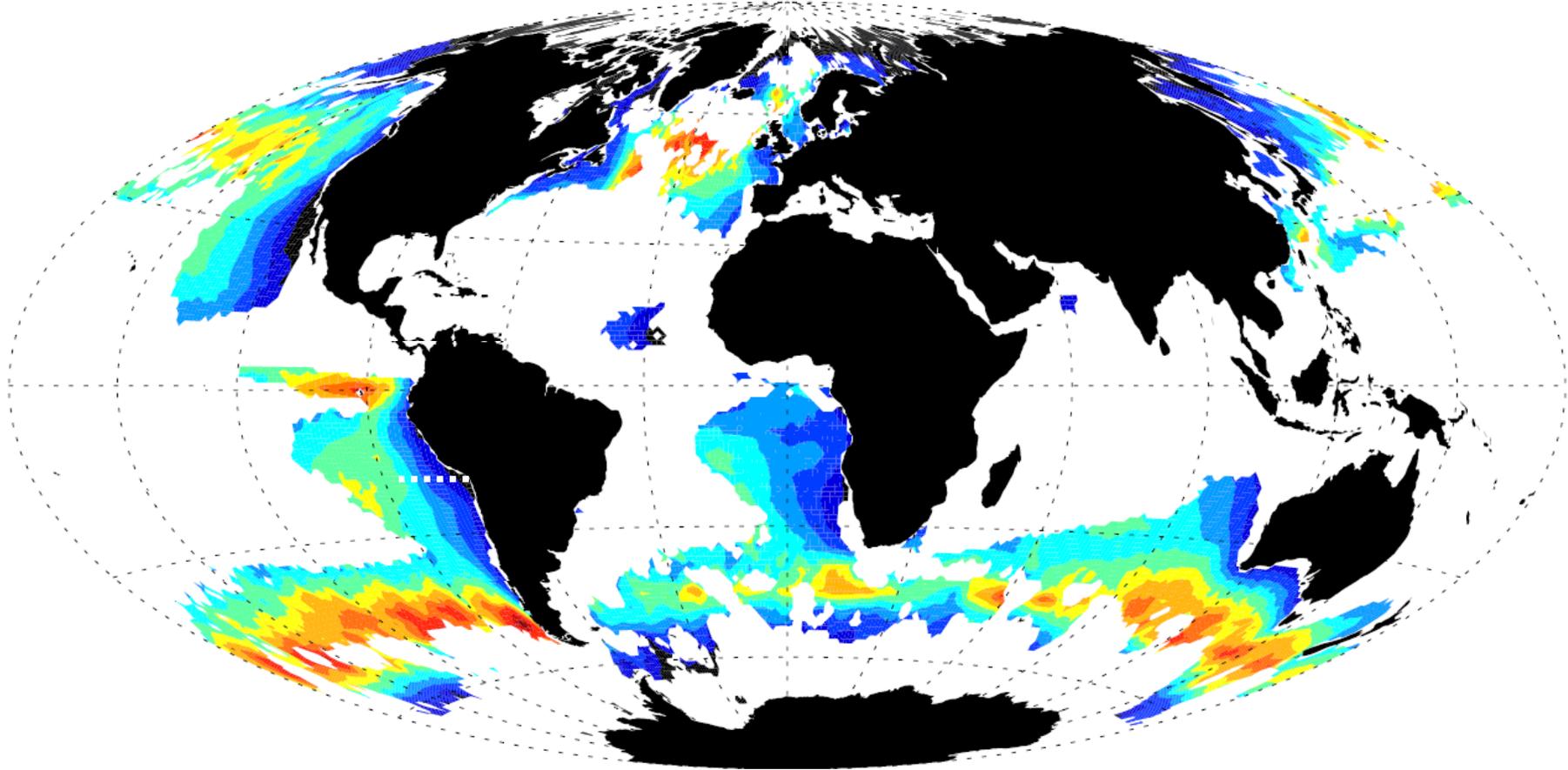
- Very close to the coast (<5°) an **additional CCN** source is required

- Even at the heart of the Sc sheet (80°W) coalescence scavenging halves the  $N_d$

- Results insensitive to sea-salt flux parameterization



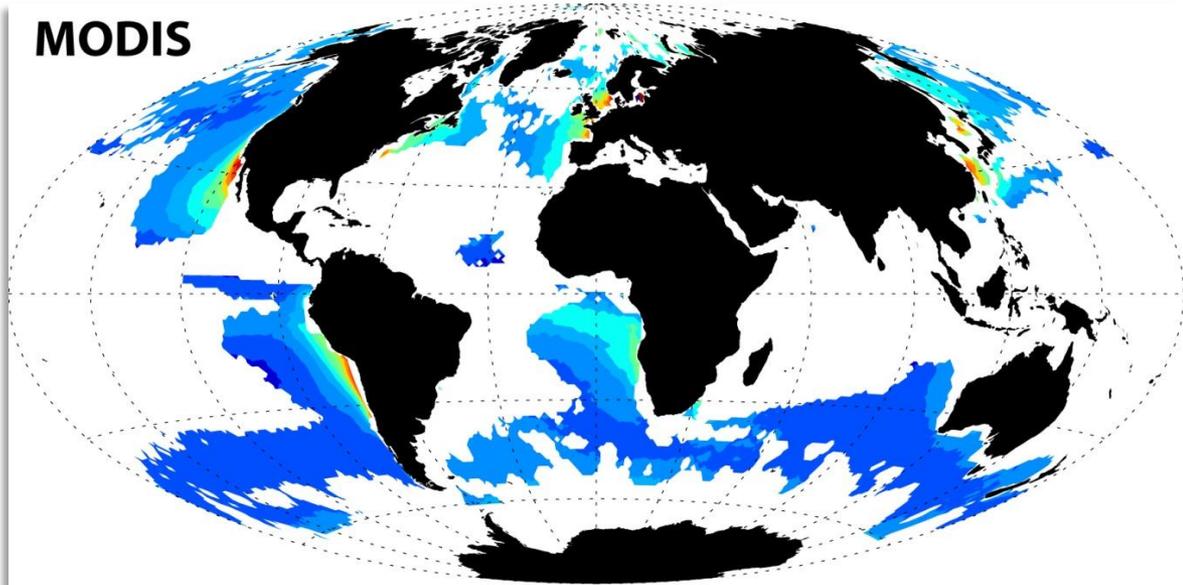
# Mean precipitation rate (CloudSat, 2C-PRECIP-COLUMN, Stratocumulus regions)



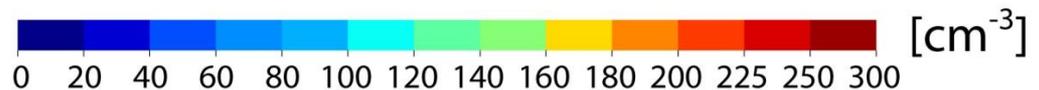
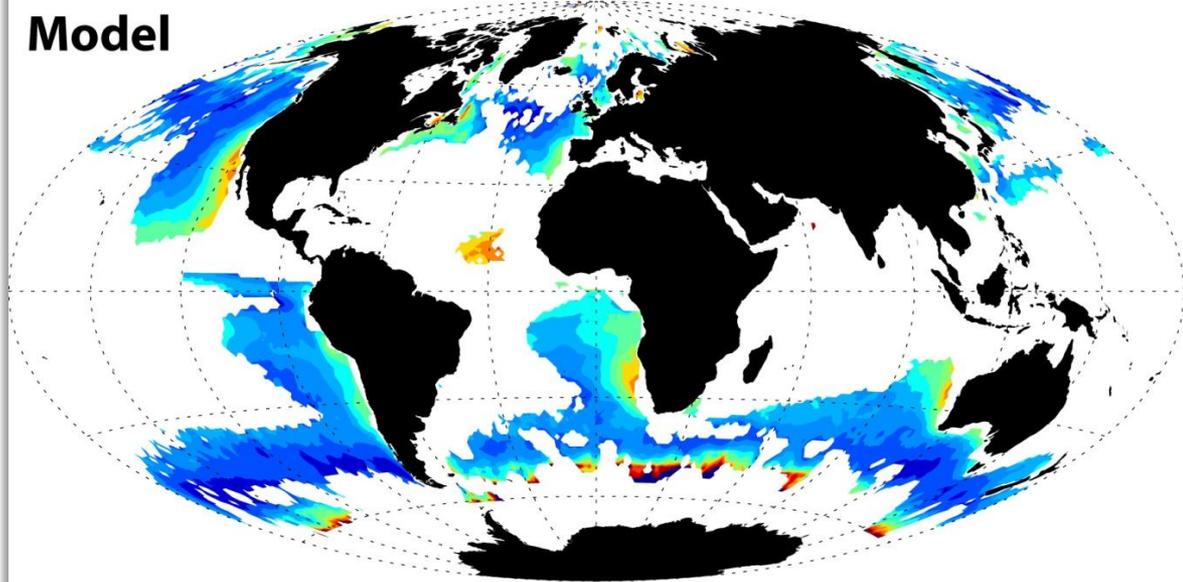
# Predicted and observed $N_d$

- Monthly climatological means (2000-2009 for MODIS, 2006-2009 for CloudSat)
- Derive mean for locations where there are >3 months for which there is:
  - (1) positive large scale div.
  - (2) mean cloud top height <4 km
  - (3) MODIS liquid cloud fraction > 0.4
- Use 2C-PRECIP-COLUMN and Z-R where 2C-PRECIP-COLUMN missing

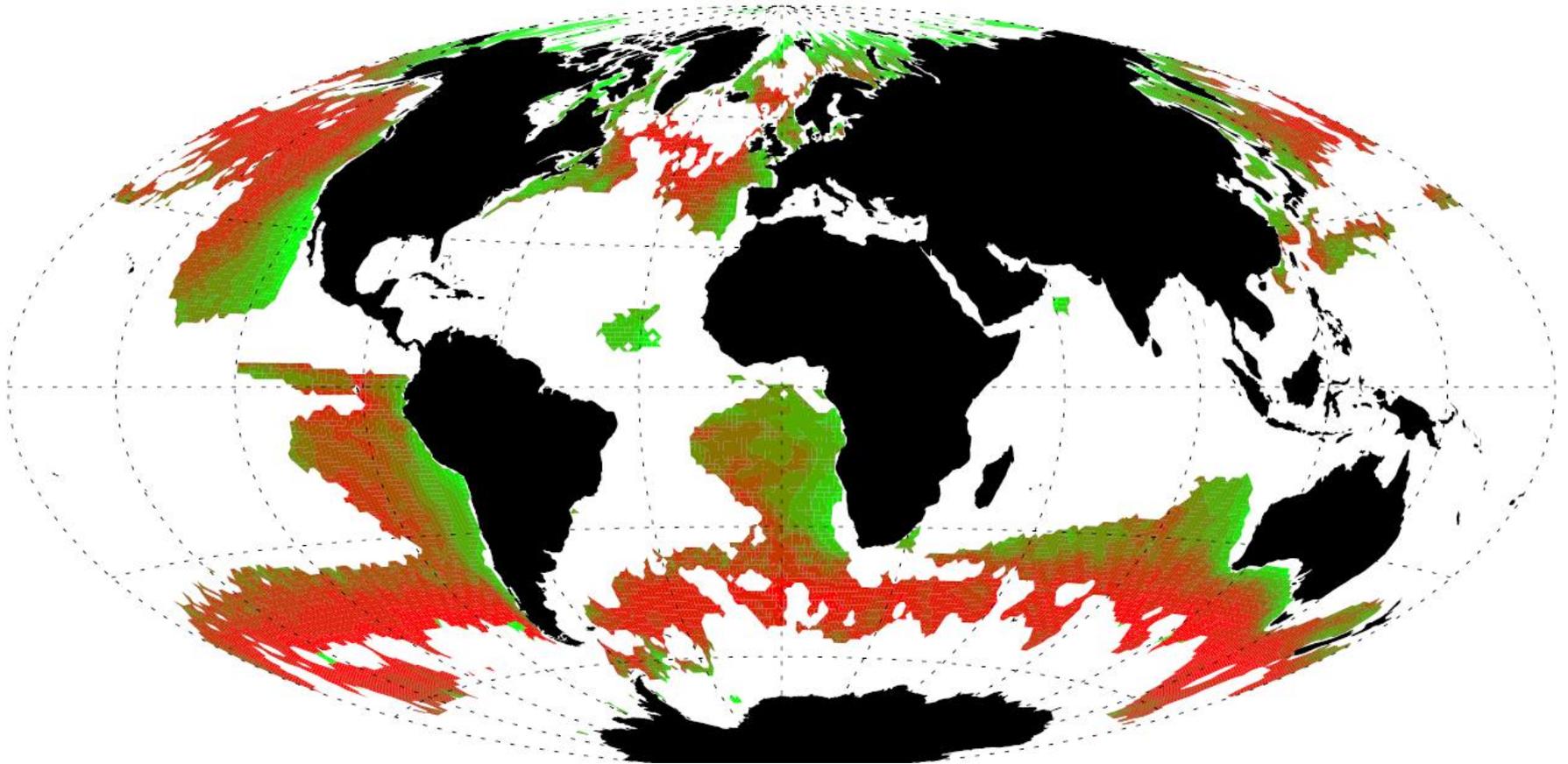
MODIS



Model



# Reduction of $N_d$ from precipitation sink



- Precipitation from midlatitude low clouds reduces  $N_d$  by a factor of 5
- In coastal subtropical Sc regions, precip sink is weak



# But what controls precipitation?

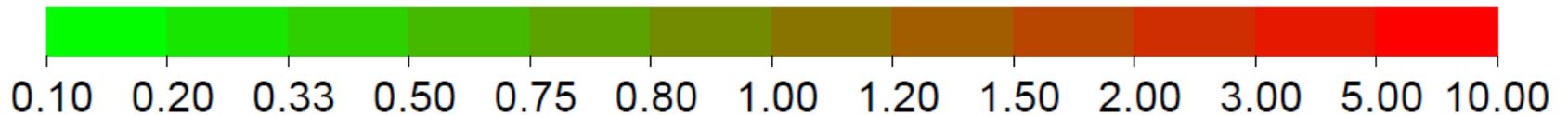
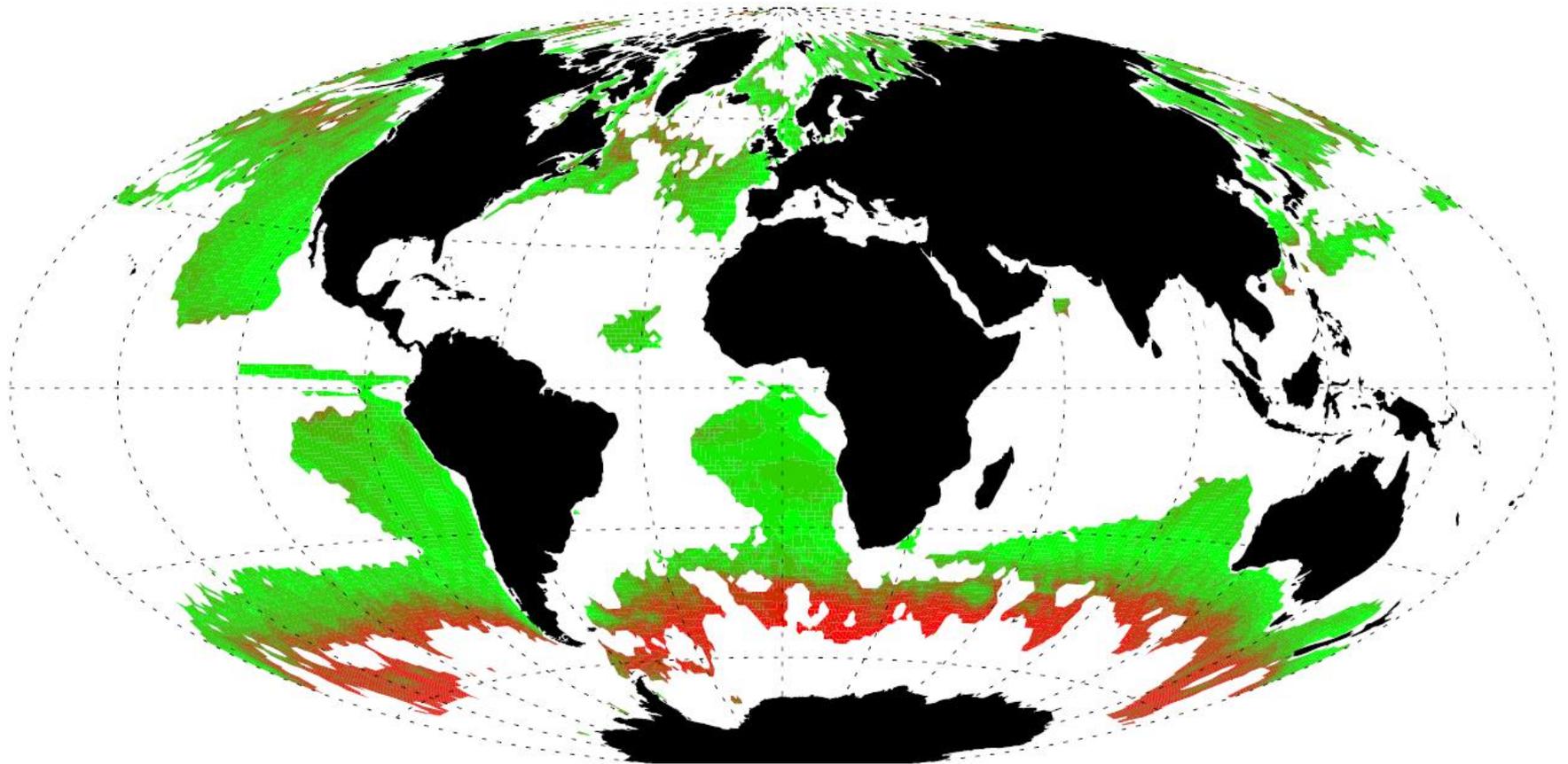
- Precipitation rates  $P_{CB}$  scale approximately with  $LWP^{1.5}$  and  $N_d^{-1}$  (e.g. Pawlowska and Brenguier 2003, Comstock et al. 2004, VanZanten et al. 2005)
- $LWP^{1.5}$  *increases* by a factor of **~2.2** from 72.5°W to 82.5°W, while  $N_d$  *decreases* by a factor of **2.5** (Bretherton et al. 2010)
  - ⇒  $LWP$  and  $N_d$  influence the zonal gradient in precipitation rate along 20°S in approximately equal measure
  - ⇒ significant positive feedback on  $N_d$  through aerosol-driven precipitation suppression;  $N_d \uparrow \Rightarrow P_{CB} \downarrow \Rightarrow N_d \uparrow$
- But see Chris Terai's poster on precipitation susceptibility

# Conclusions

- Simple CCN budget model, constrained with VOCALS observations predicts observed gradients in cloud droplet concentrations with some skill. **FT aerosol significant possible source west of 75°W.**
- Significant fraction of the variability in  $N_d$  across regions of extensive low clouds (from remote to coastal regions) is likely related to precipitation sinks rather than source variability. **Implications for VOCALS Hypothesis H1c :**
  - The small effective radii measured from space over the SEP are primarily controlled by anthropogenic, rather than natural, aerosol production, and entrainment of polluted air from the lower free-troposphere is an important source of cloud condensation nuclei (CCN)
- It may be difficult to separate the chicken from the egg in correlative studies suggesting inverse dependence of precipitation rate on cloud droplet concentration. **Implications for Hypothesis H1a:**
  - Variability in the physicochemical properties of aerosols has a measurable impact upon the formation of drizzle in stratocumulus clouds over the SEP.

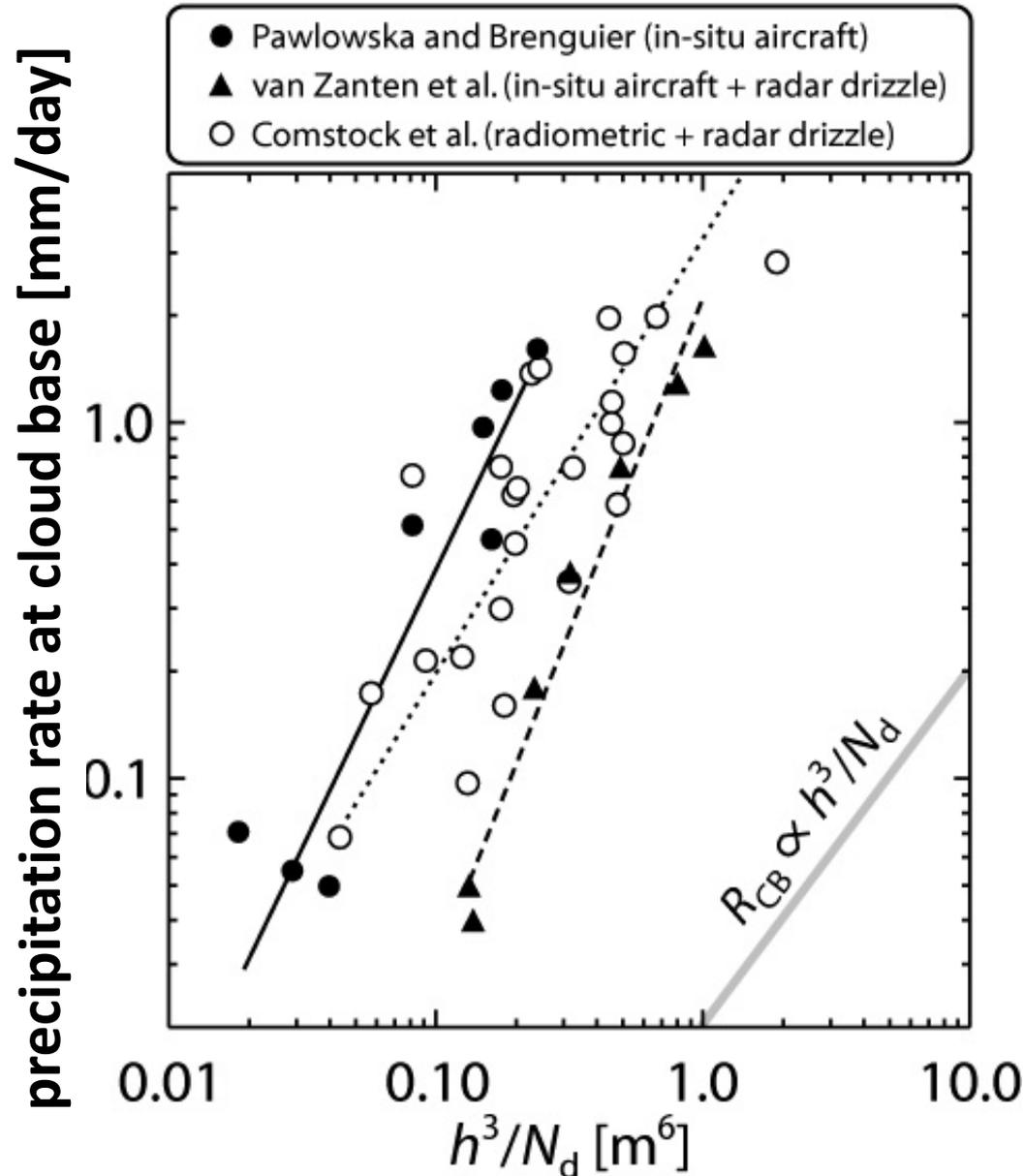


# Sea-salt source strength compared with entrainment from FT



# Precipitation closure

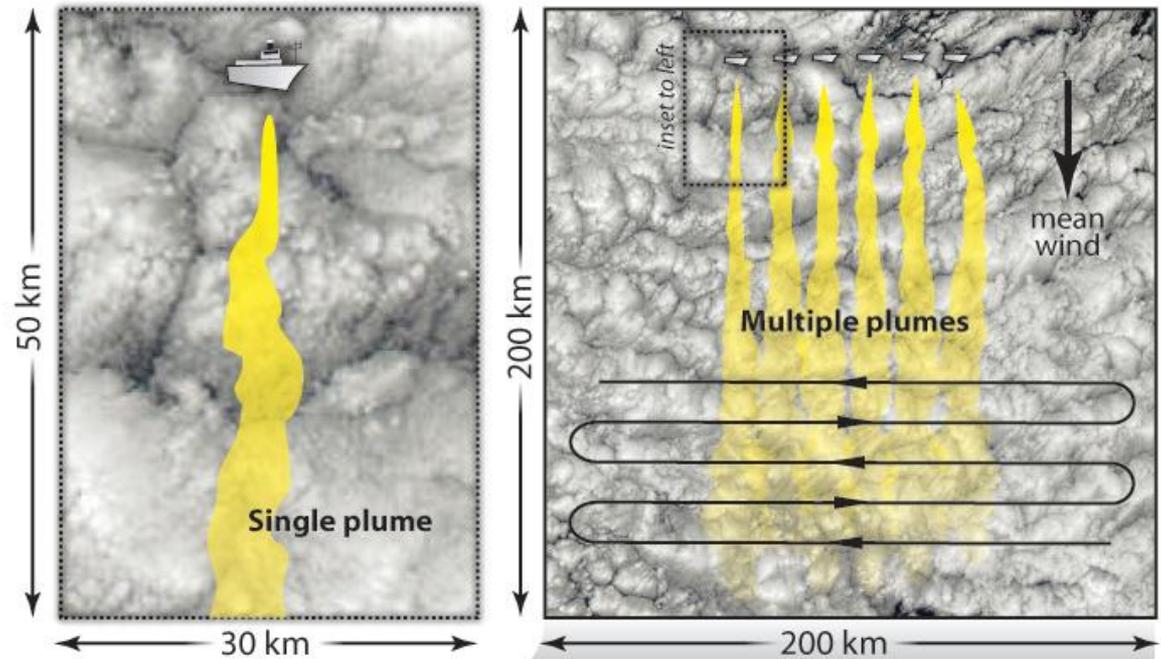
- Precipitation rate dependent upon:
  - cloud **macrophysical** properties (e.g. thickness, LWP);
  - **microphysical** properties (e.g. droplet conc., CCN)



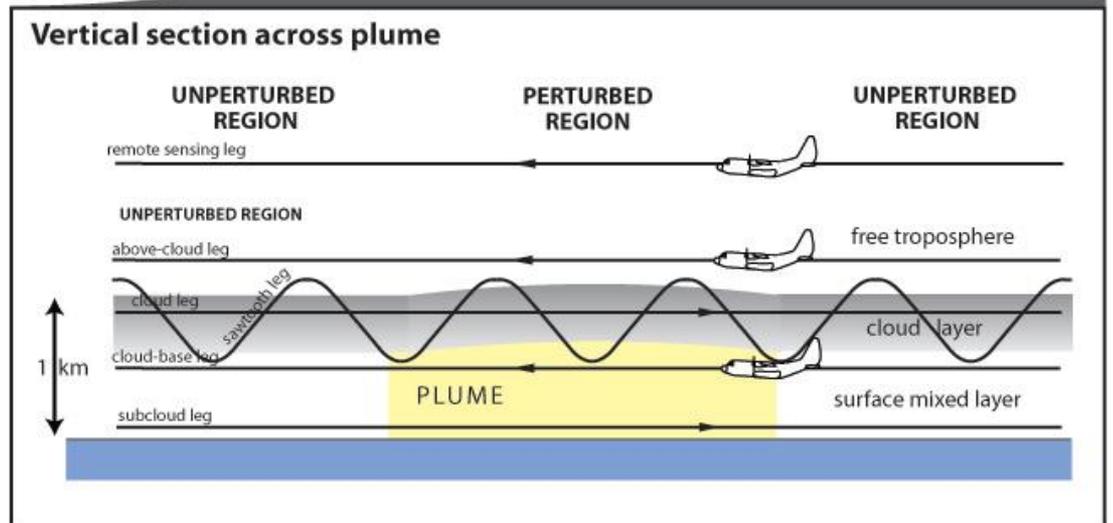
from Brenguier and Wood (2009)

# A proposal

- A limited area perturbation experiment to critically test hypotheses related to aerosol indirect effects



- Cost ~\$30M

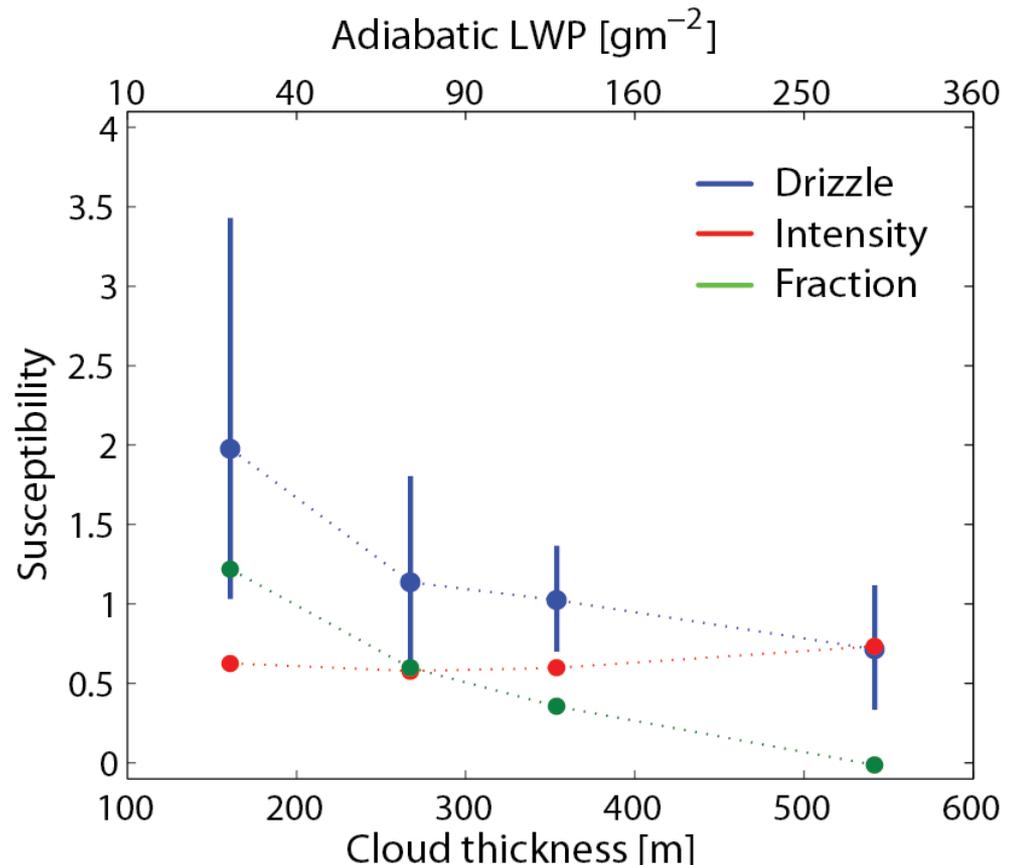


# Precipitation susceptibility

- Construct from Feingold and Siebert (2009) can be used to examine aerosol influences on precipitation in both models and observations

$$S = -(\text{dln}R_{\text{CB}}/\text{dln}N_a)_{LWP,h}$$

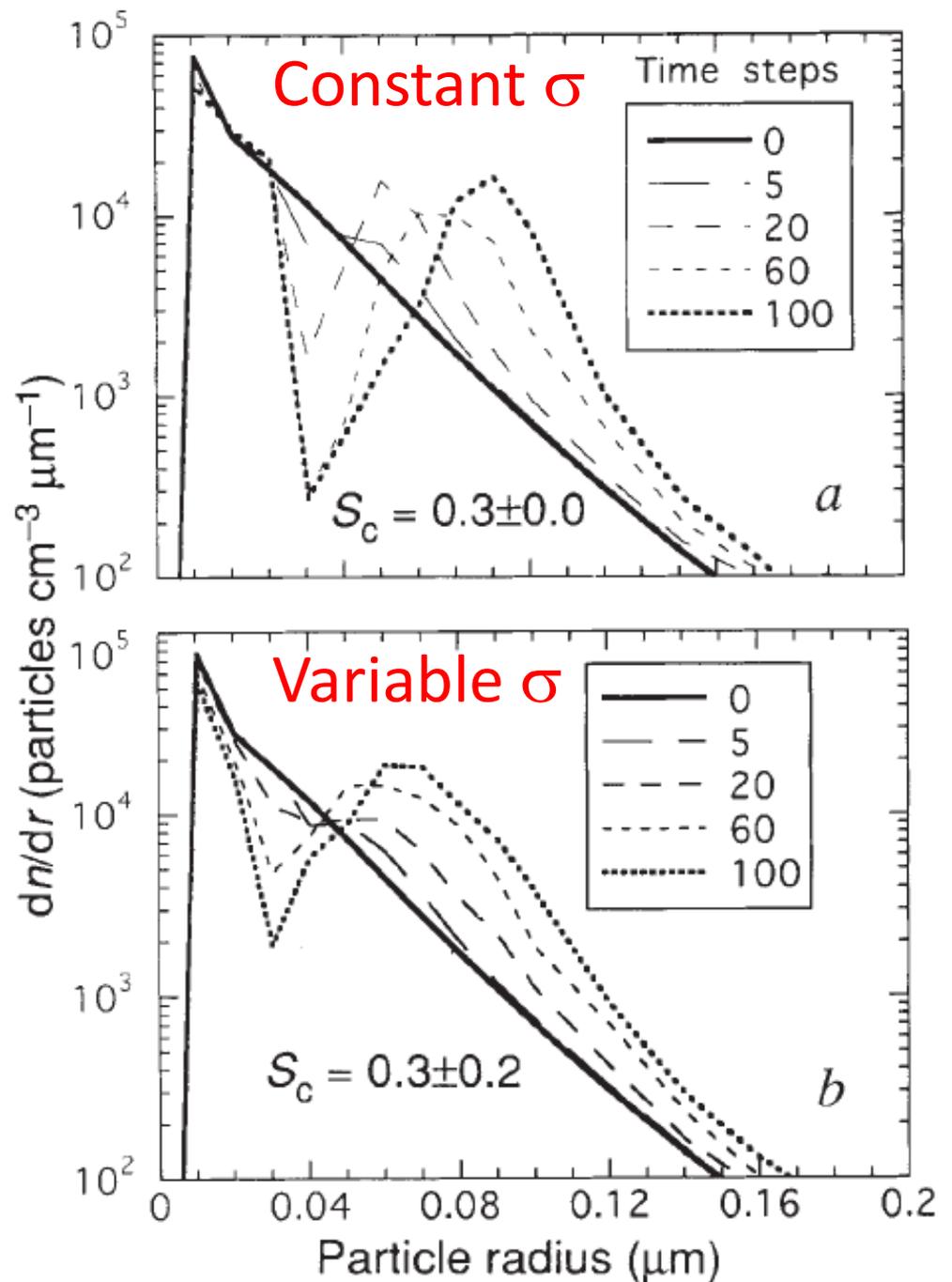
- $S$  decreases strongly with cloud thickness
- Consistent with increasing importance of accretion in thicker clouds
- Consistent with results from A-Train (Kubar et al. 2009, Wood et al. 2009)



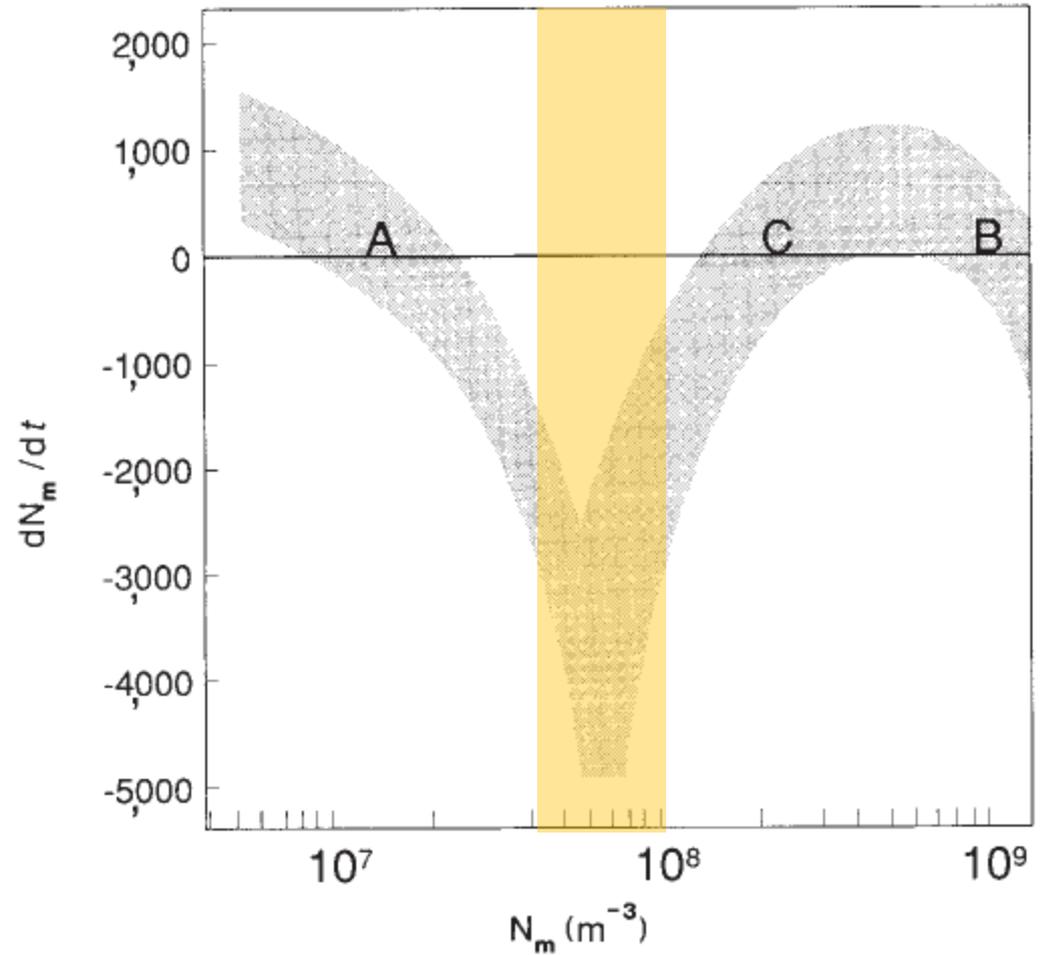
Data from stratocumulus over the SE Pacific, Terai and Wood (*Geophys. Res. Lett.*, 2011)

# Effect of variable supersaturation

- Kaufman and Tanre 1994



- Range of observed and modeled CCN/droplet concentration in Baker and Charlson “drizzlepause” region where loss rates from drizzle are maximal
- Baker and Charlson source rates



Baker and Charlson, *Nature* (1990)

- Timescales to relax for N

Entrainment:

Surface:  $\tau_{\text{sfc}} \sim Nz_i / \beta U_{10}^{3.4}$

Precip:  $z_i / (hKP_{CB}) = 8 \times 10^5 / (3 * 2.25) = 1 \text{ day}$  for  
 $P_{CB} = 1 \text{ mm day}^{-1}$

$\tau_{\text{dep}} \sim z_i / w_{\text{dep}}$  - typically 30 days

# Can dry deposition compete with coalescence scavenging?

$$\frac{[\dot{N}]_{coal}}{[\dot{N}]_{dry\ dep.}} = \frac{K P_{CB} h}{W_{dep}}$$

$$W_{dep} = 0.002 \text{ to } 0.03 \text{ cm s}^{-1} \text{ (Georgi 1988)}$$

$$K = 2.25 \text{ m}^2 \text{ kg}^{-1} \text{ (Wood 2006)}$$

For  $P_{CB} = > 0.1 \text{ mm day}^{-1}$  and  $h = 300 \text{ m}$

$$\frac{[\dot{N}]_{coal}}{[\dot{N}]_{dry\ dep.}} = 3 \text{ to } 30$$

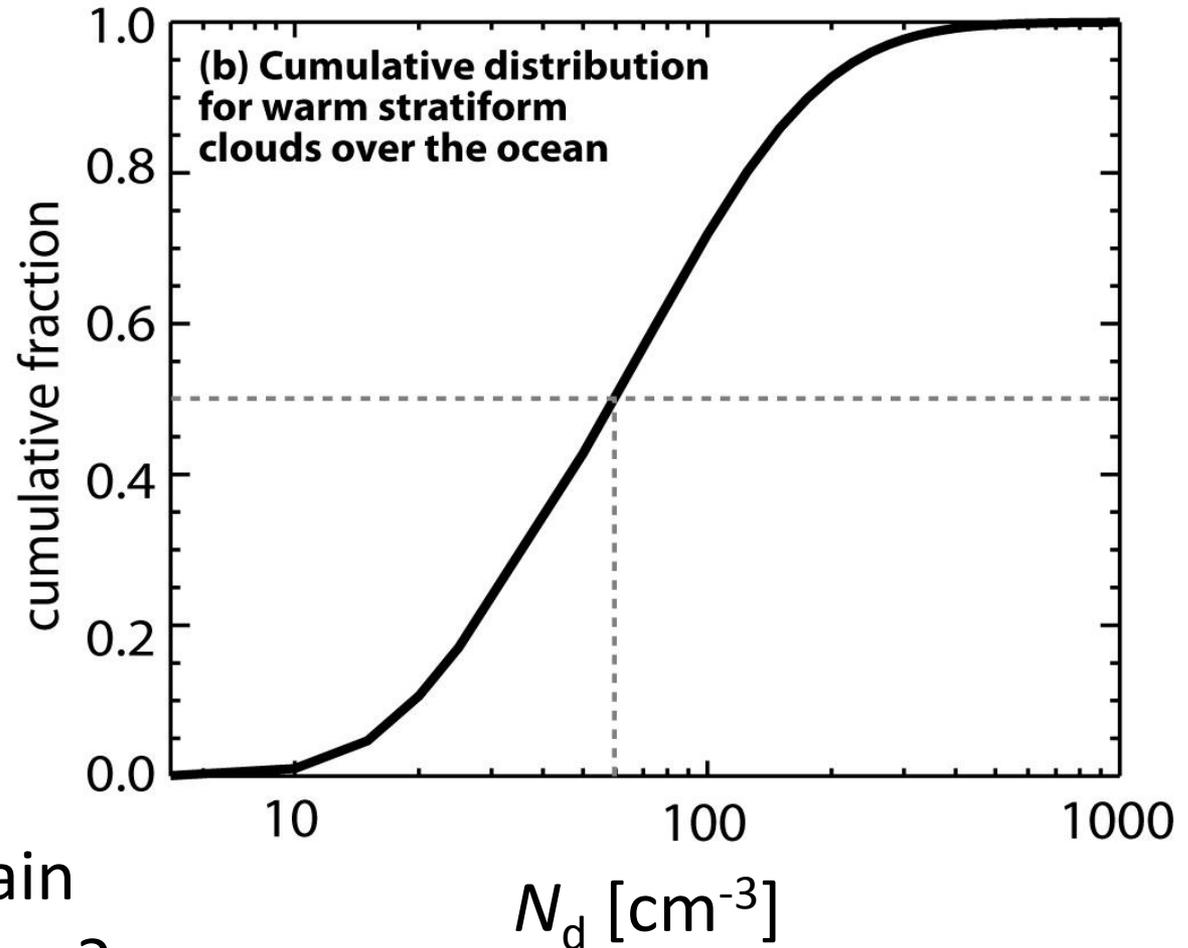
For precip rates  $> 0.1 \text{ mm day}^{-1}$ ,  
coalescence scavenging dominates

- Examine MODIS Nd imagery – fingerprinting of entrainment sources vs MBL sources.



# Cloud droplet concentrations in marine stratiform low cloud over ocean

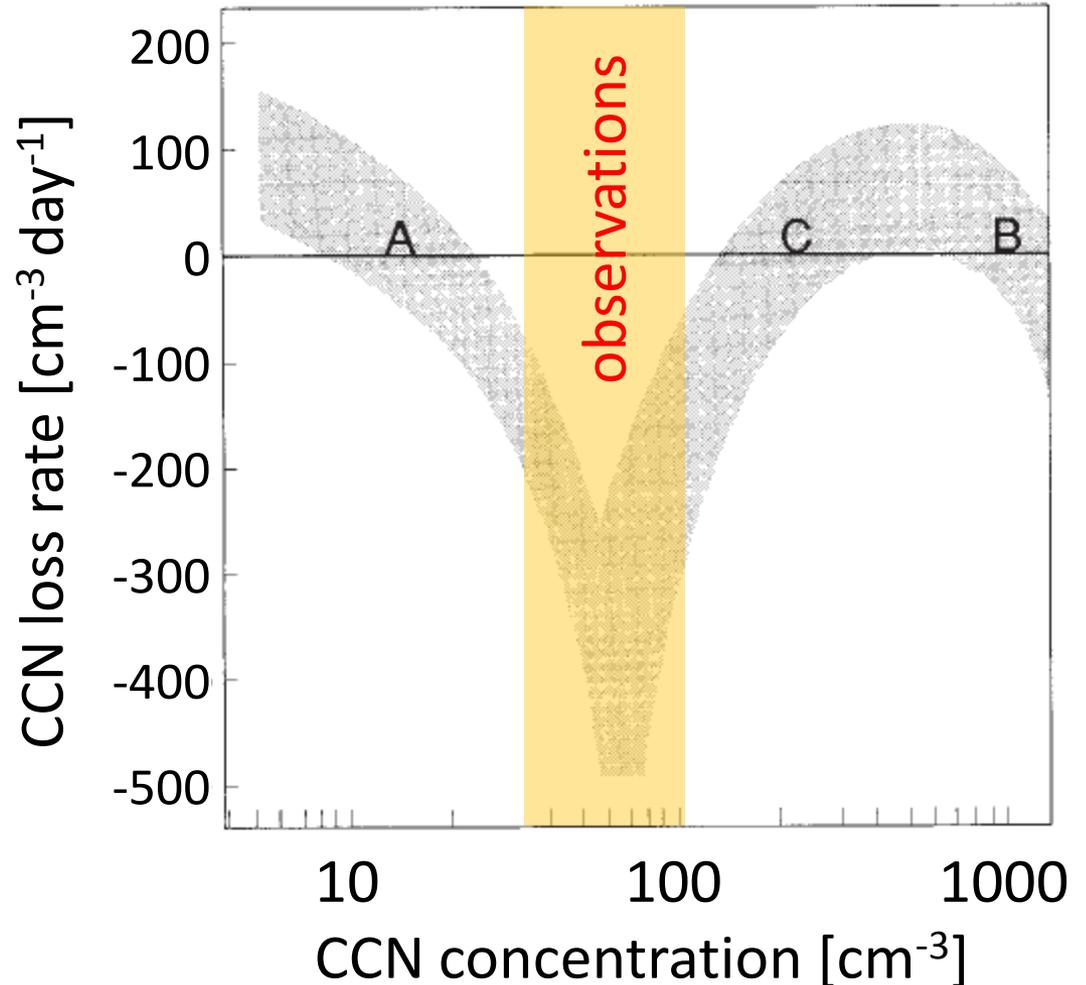
The view from  
MODIS



...how can we explain  
this distribution?

# Baker and Charlson model

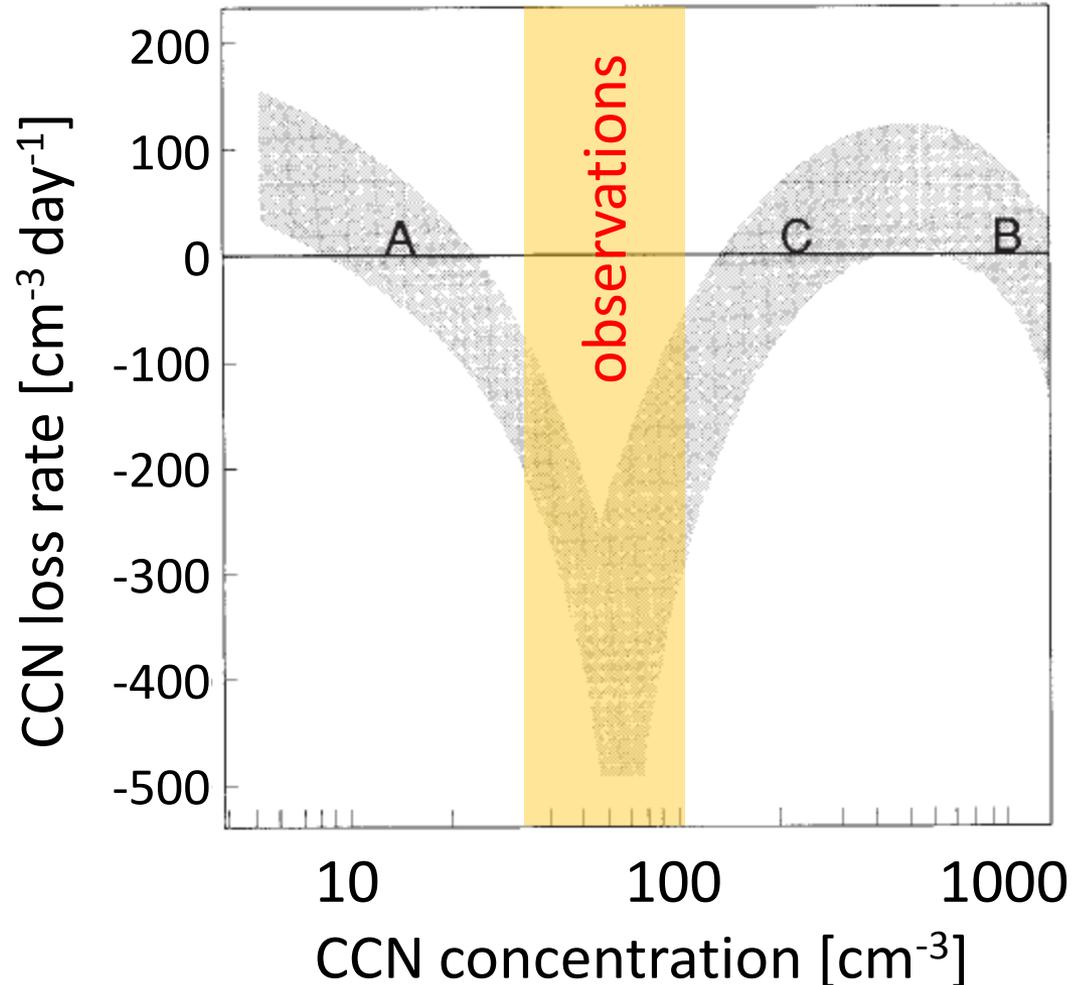
- CCN/cloud droplet concentration budget with sources (specified) and sinks due to drizzle (for weak source, i.e. low CCN conc.) and aerosol coagulation (strong source, i.e. high CCN conc.)
- Stable regimes generated at point A (drizzle) and B (coagulation)
- Observed marine CCN/ $N_d$  values actually fall in unstable regime!



Baker and Charlson, *Nature* (1990)

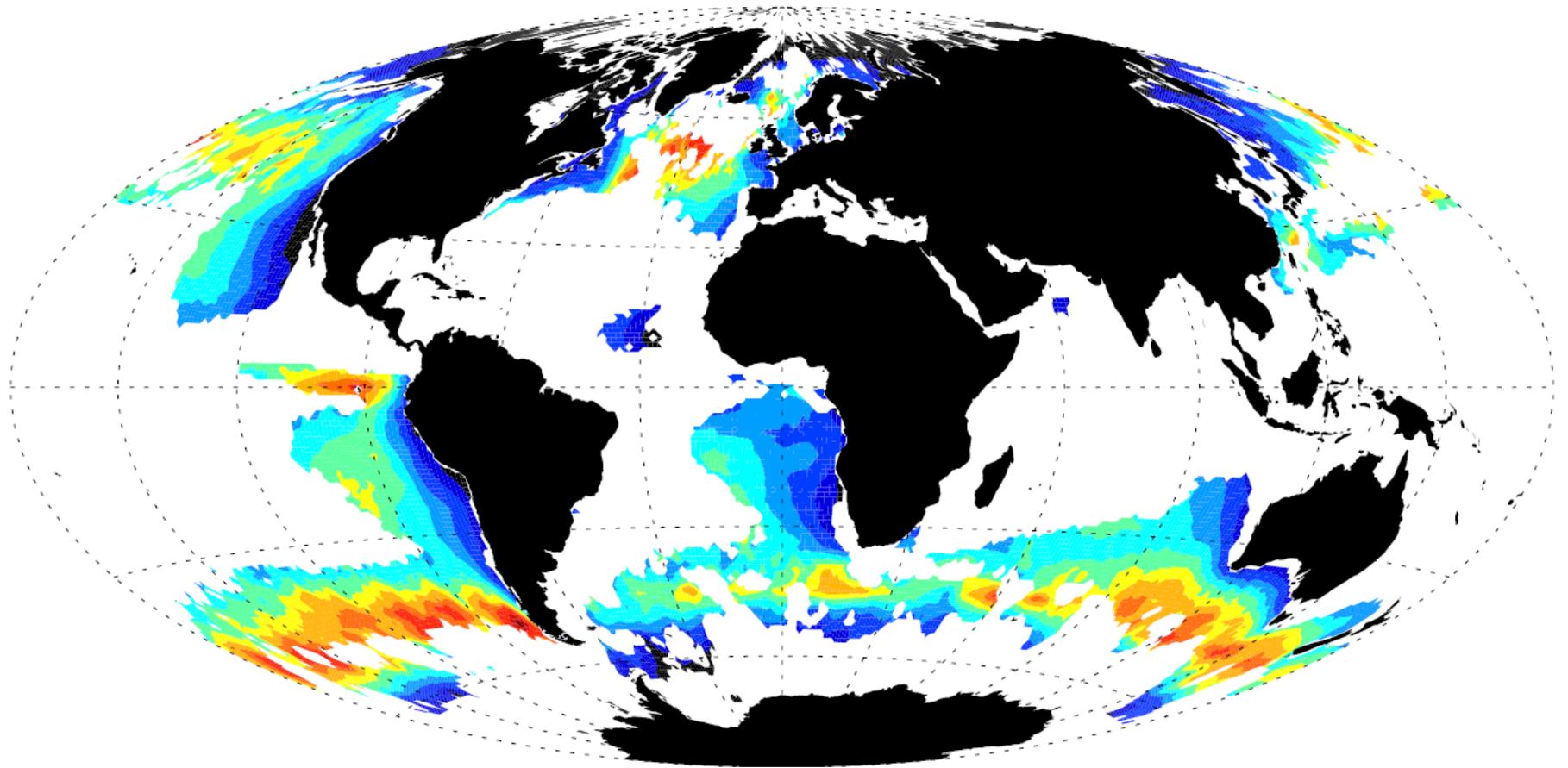
# Baker and Charlson model

- Stable region A exists because CCN loss rates due to drizzle increase strongly with CCN concentration
  - In the real world this is probably not the case, and loss rates are ~constant with CCN conc.
- However, the idea of a **simple** CCN budget model is alluring

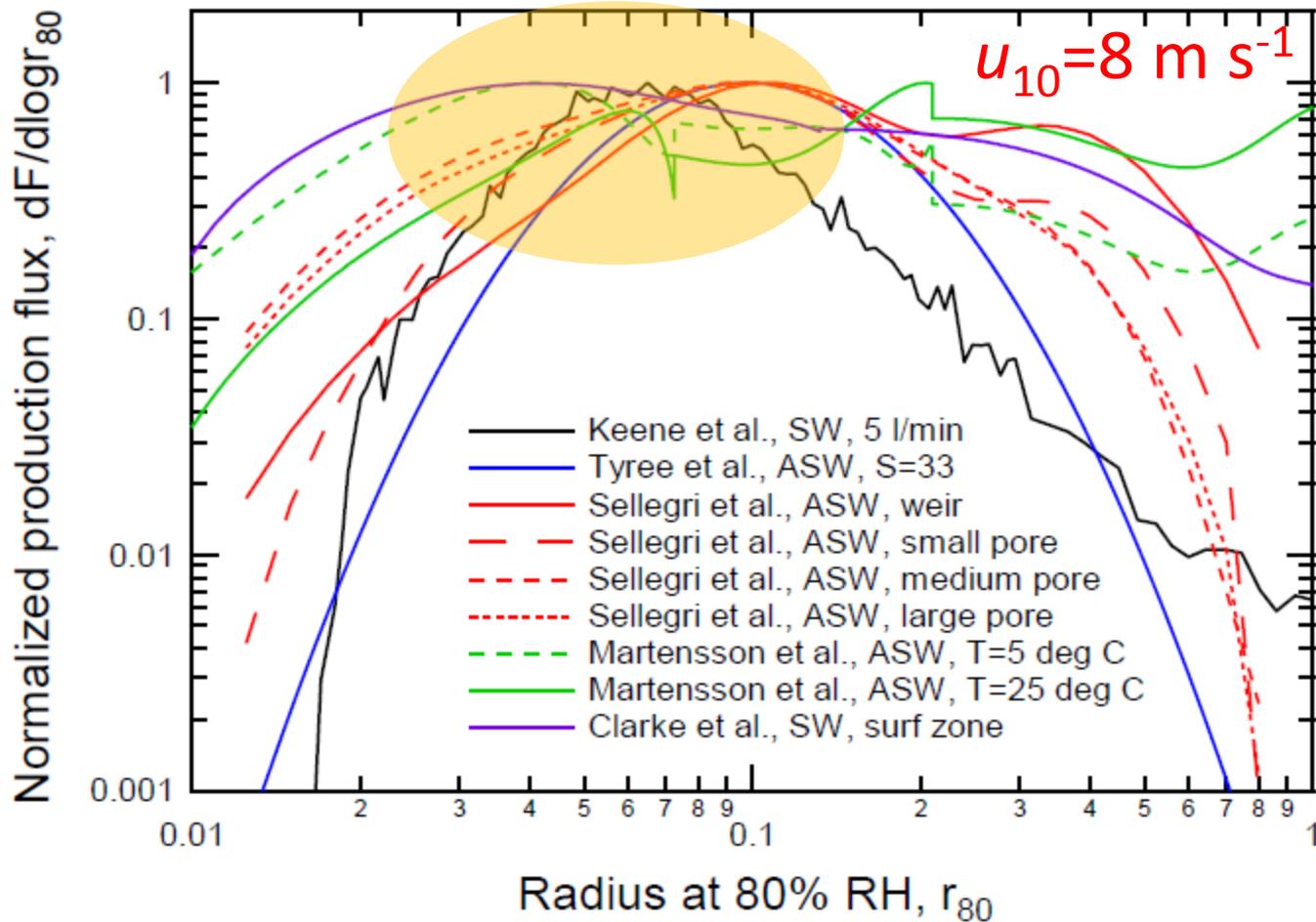


Baker and Charlson, *Nature* (1990)

# Mean precipitation rate (2C-PRECIP-COLUMN)



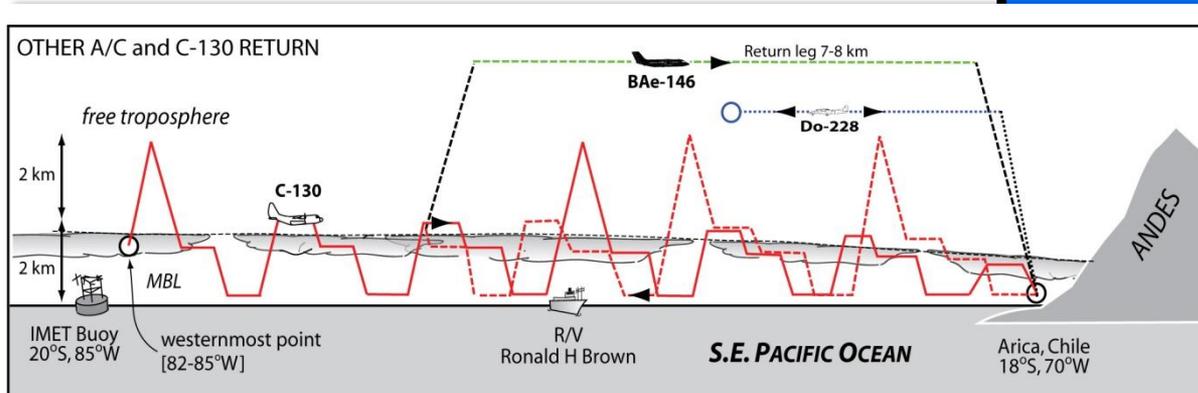
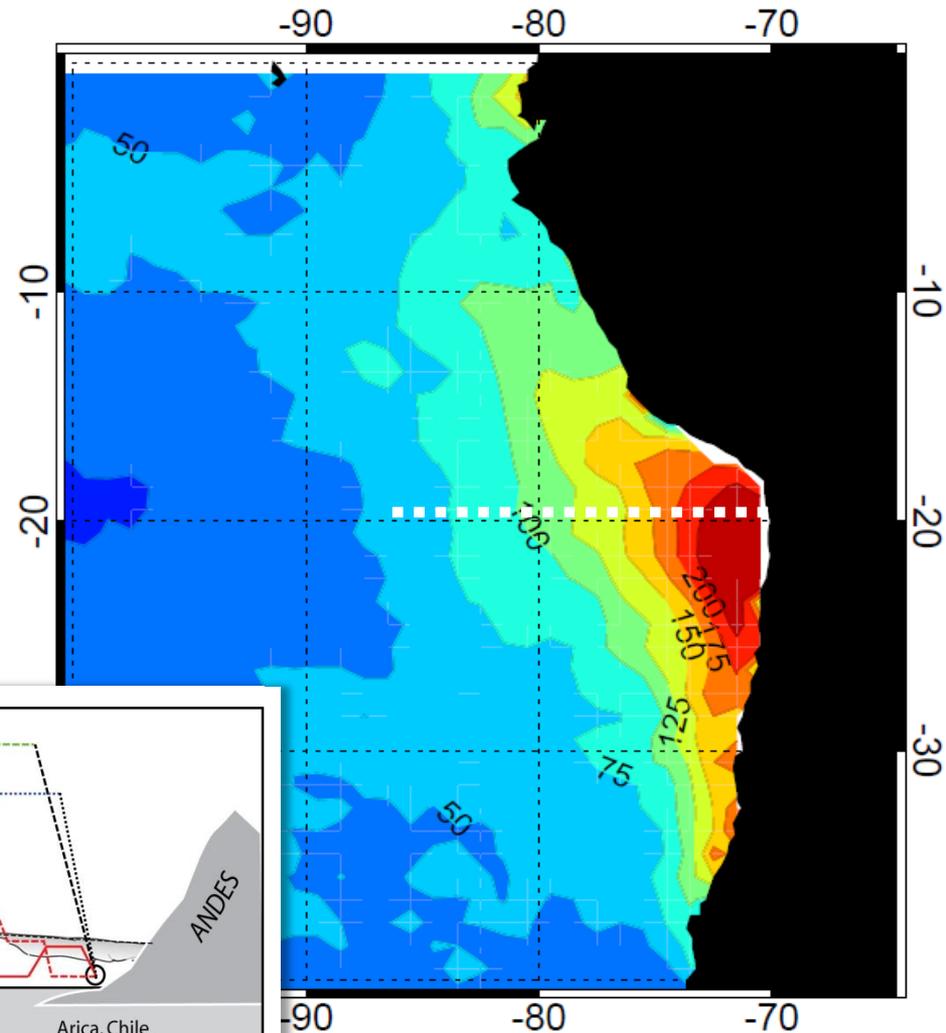
# Sea-spray flux parameterizations



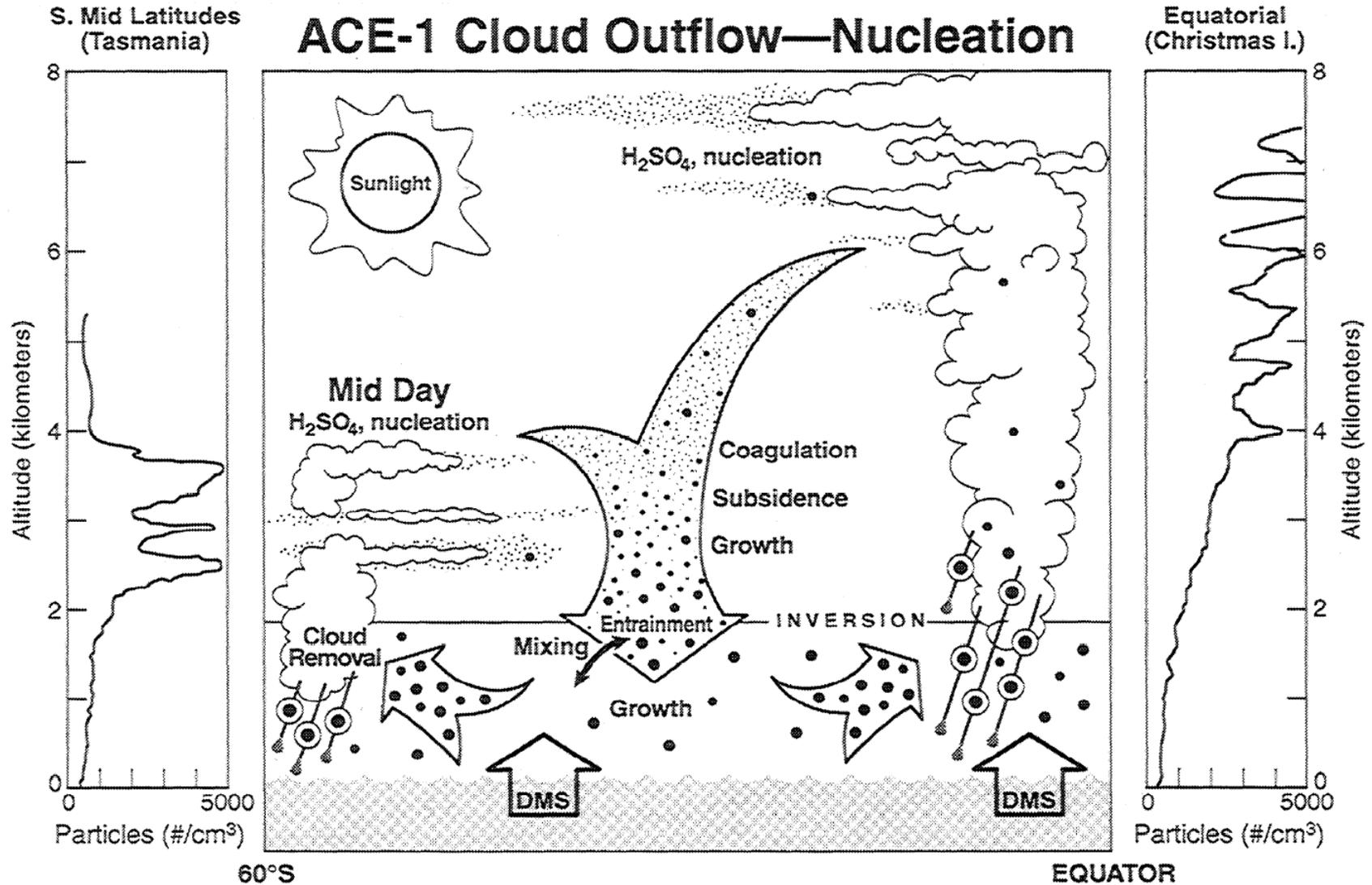
Courtesy of Ernie Lewis, Brookhaven National Laboratory

# MODIS-estimated cloud droplet concentration $N_d$ , VOCALS Regional Experiment

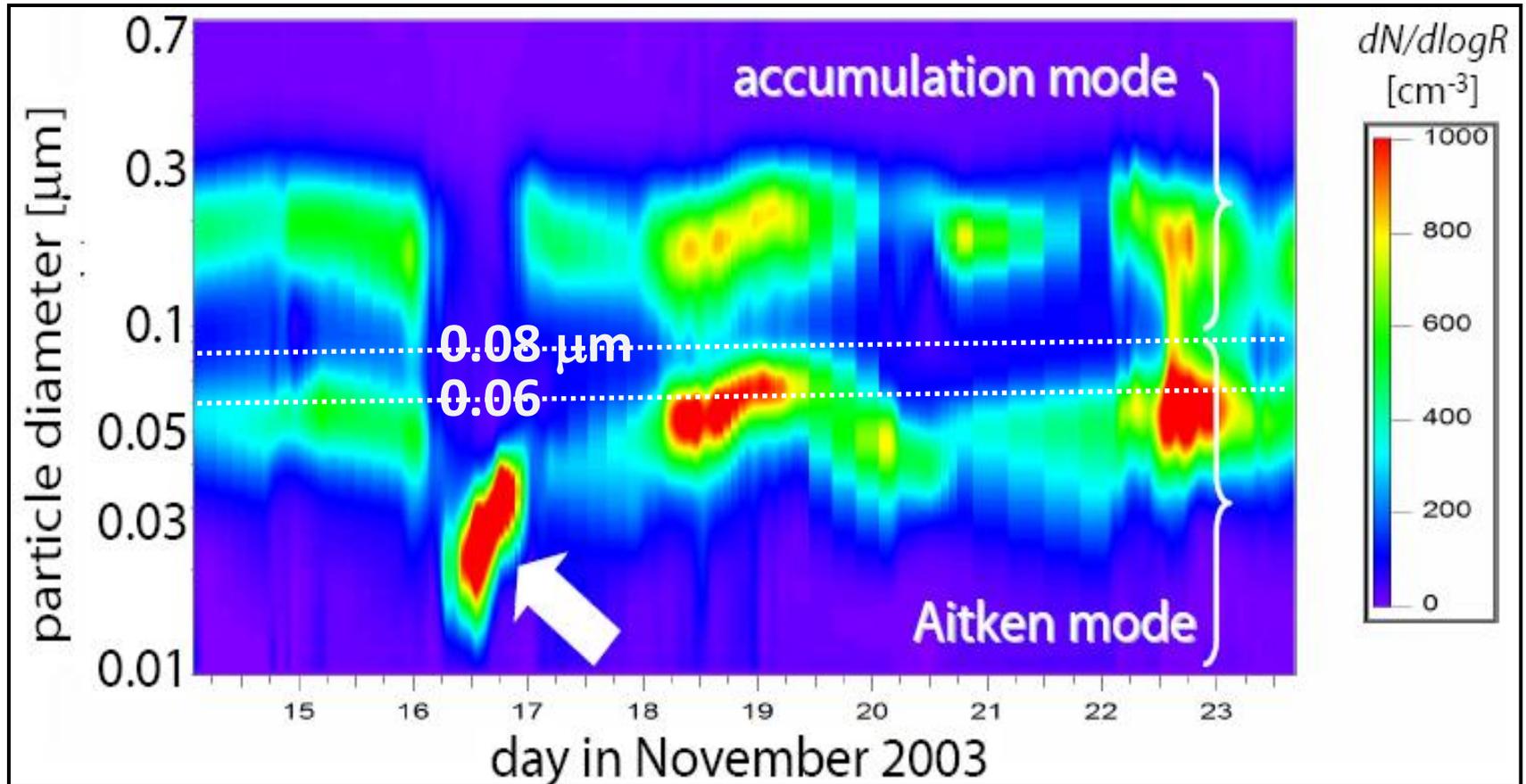
- Data from Oct-Nov 2008
- Sampling along 20°S across strong microphysical gradient



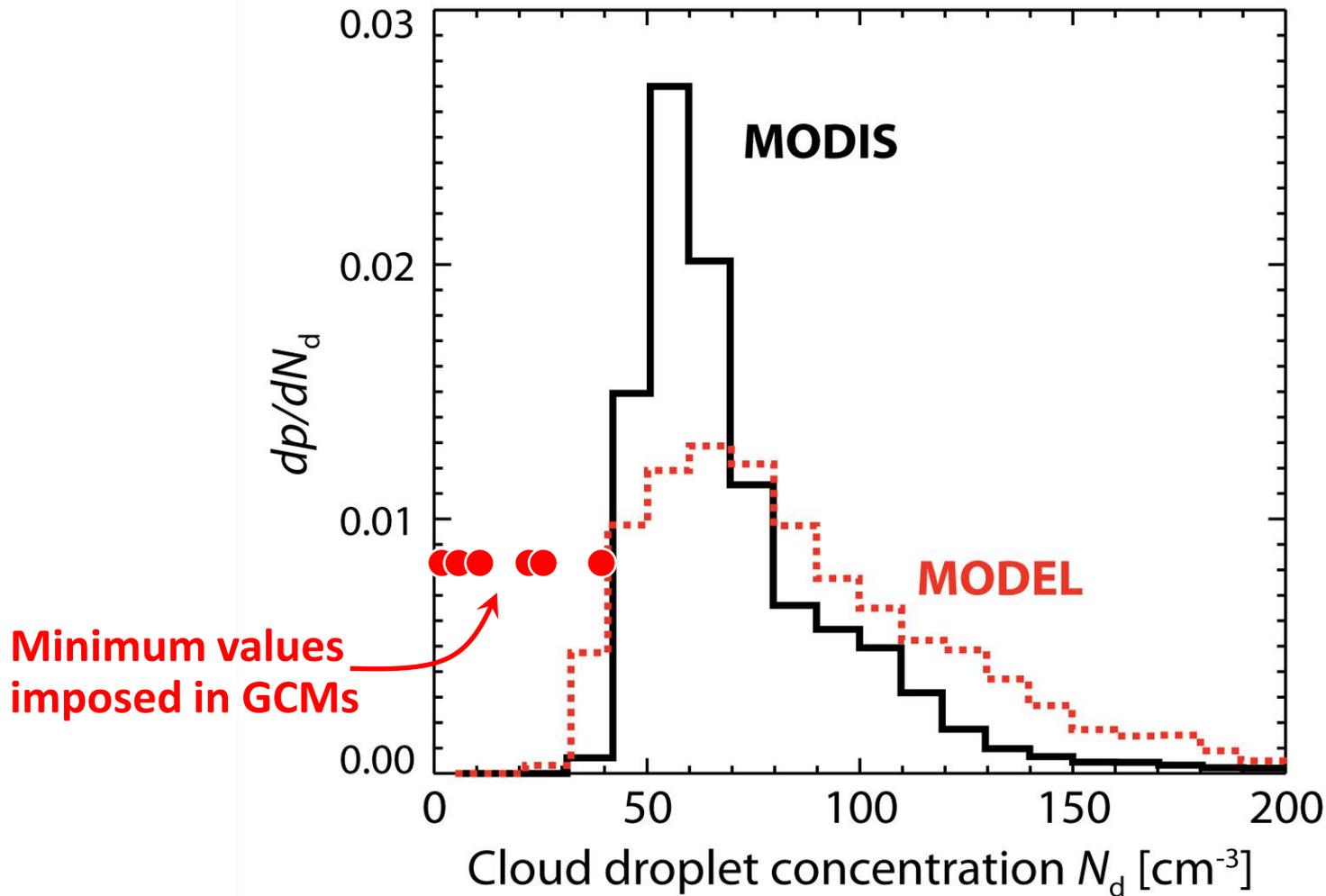
# Conceptual model of background FT aerosol



# Observed MBL aerosol dry size distributions (SE Pacific)



# Predicted and observed $N_d$ - histograms



# Loss terms in CCN budget: (2) Dry deposition

$$[\dot{N}]_{dry\ dep.} = -N \frac{w_{dep}}{Z_i}$$

Deposition velocity

$$\frac{[\dot{N}]_{coal}}{[\dot{N}]_{dry\ dep.}} = \frac{K P_{CB} h}{w_{dep}}$$

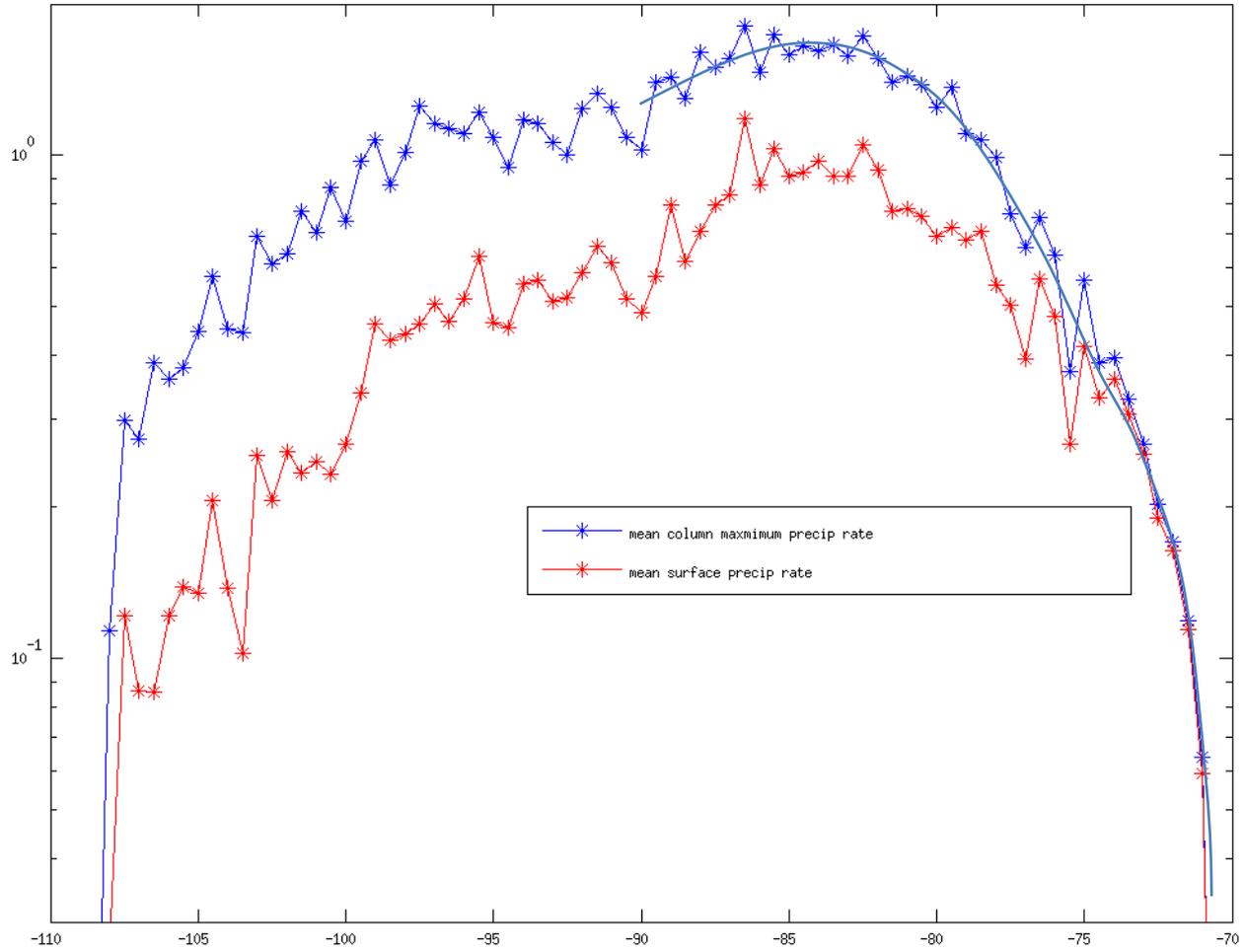
$$w_{dep} = 0.002 \text{ to } 0.03 \text{ cm s}^{-1} \text{ (Georgi 1988)}$$
$$K = 2.25 \text{ m}^2 \text{ kg}^{-1} \text{ (Wood 2006)}$$

For  $P_{CB} = > 0.1 \text{ mm day}^{-1}$  and  $h = 300 \text{ m}$

$$\frac{[\dot{N}]_{coal}}{[\dot{N}]_{dry\ dep.}} = 3 \text{ to } 30$$

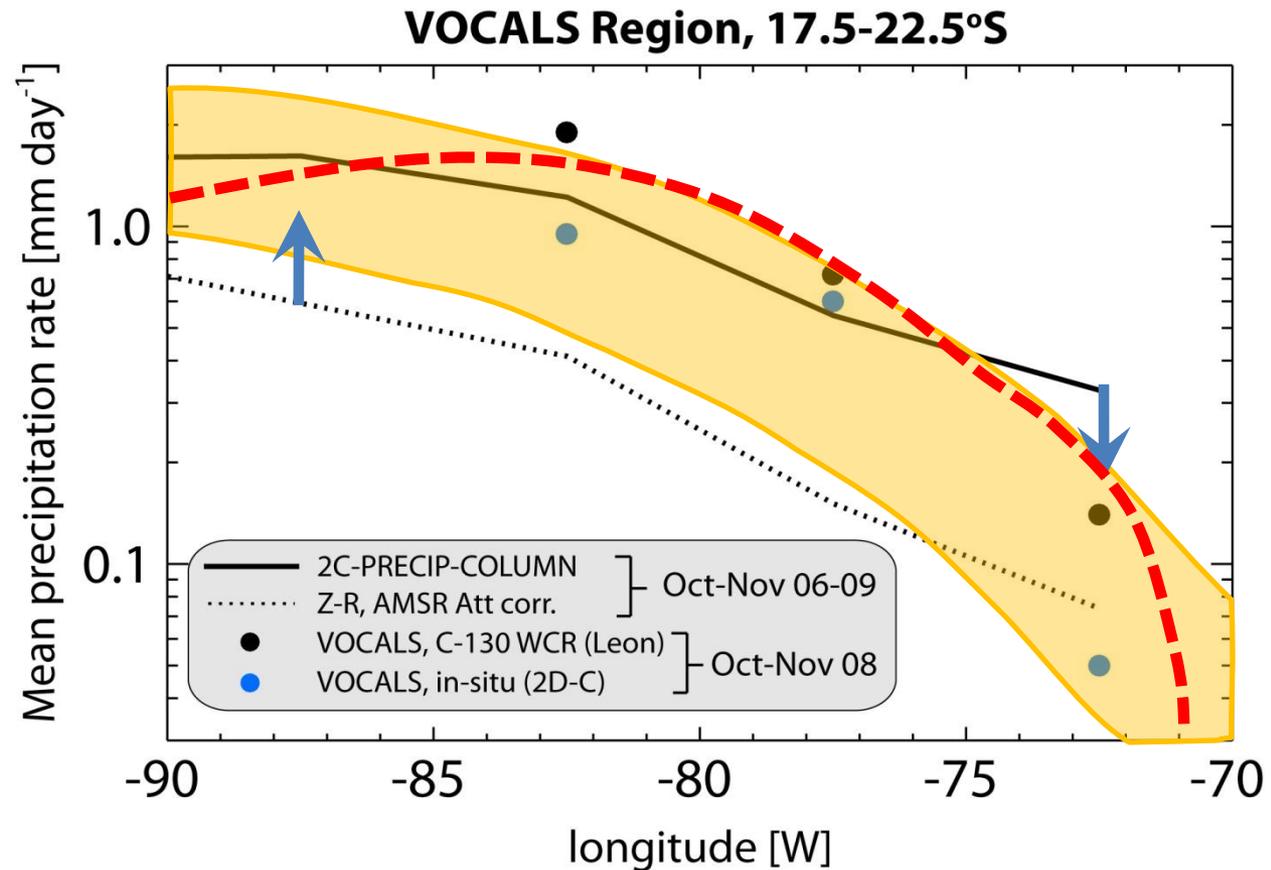
For precip rates  $> 0.1 \text{ mm day}^{-1}$ , coalescence scavenging dominates

REx mean precip rate [mm/day] at 20S



# Precipitation over the VOCALS region

- **CloudSat**  
Attenuation and Z-R methods
- **VOCALS**  
Wyoming Cloud Radar and in-situ cloud probes



**Significant drizzle  
at 85°W**

**Very little drizzle  
near coast**