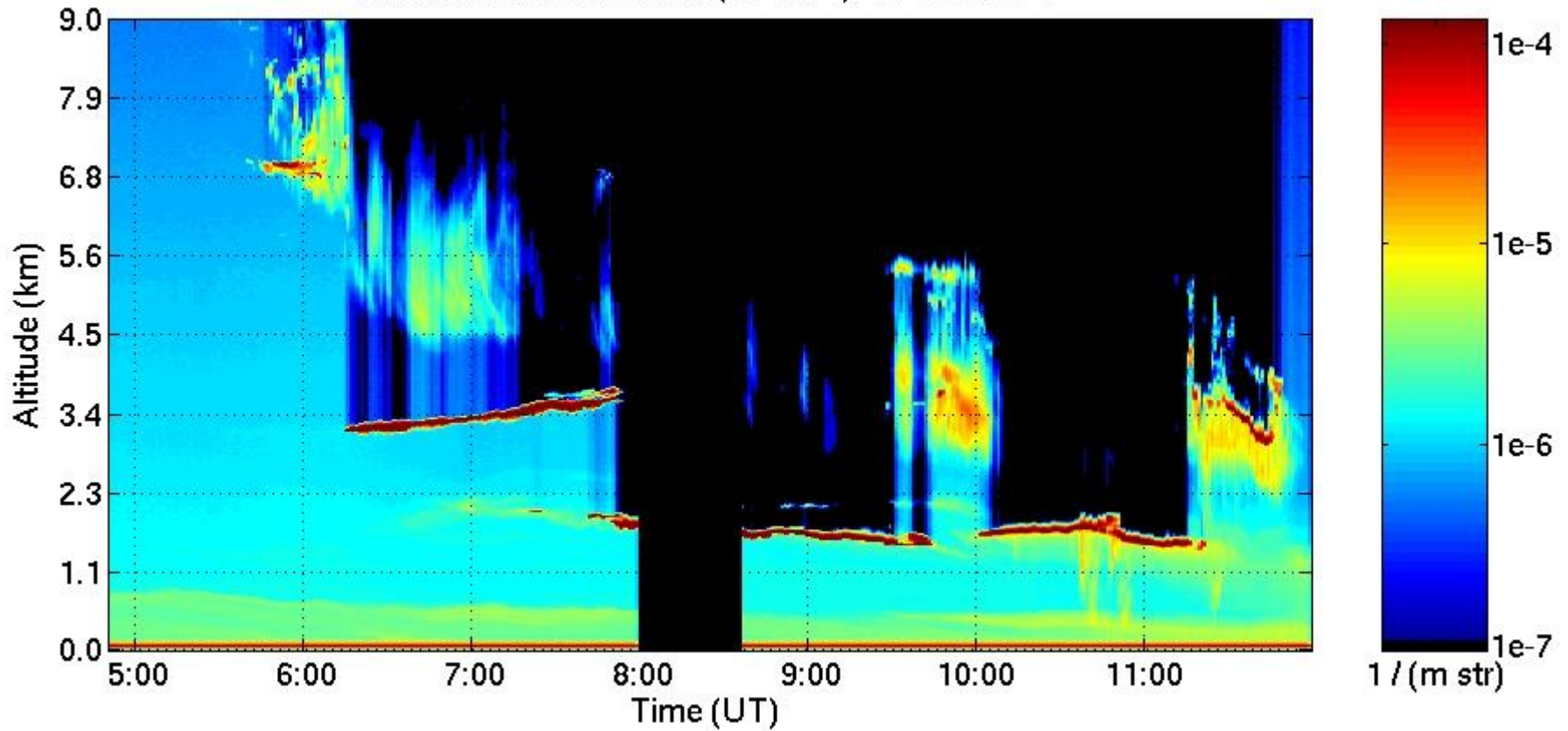




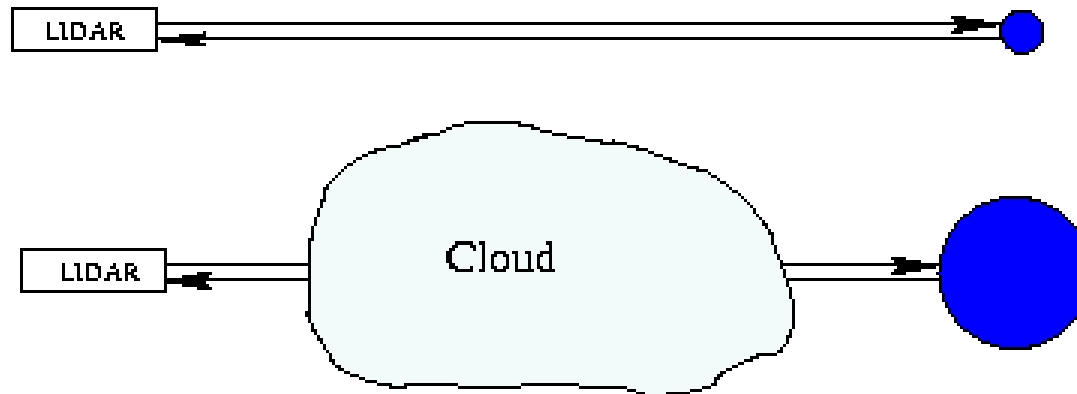
High Spectral Resolution Lidar  
Ed Eloranta—Univ. of Wis.  
<http://lidar.ssec.wisc.edu>



Attenuated backscatter ( $\text{m}^{-1} \text{str}^{-1}$ ) 14-Jan-2004



$$P(r) \sim \beta_s(r) \frac{\mathcal{P}(180, r)}{4\pi} \exp(-2 \int_0^r \beta_e(r) dr)$$



Traditional aerosol lidar can not distinguish between changes in target reflectivity and attenuation between the lidar and the target

$$p_a(r) \sim \frac{1}{r^2} \cdot \frac{P(180,r)}{4\pi} \beta_a(r) \cdot \exp(-2 \int (\beta_a(r) + \beta_m(r)) \cdot dr) - \text{aerosol return,}$$

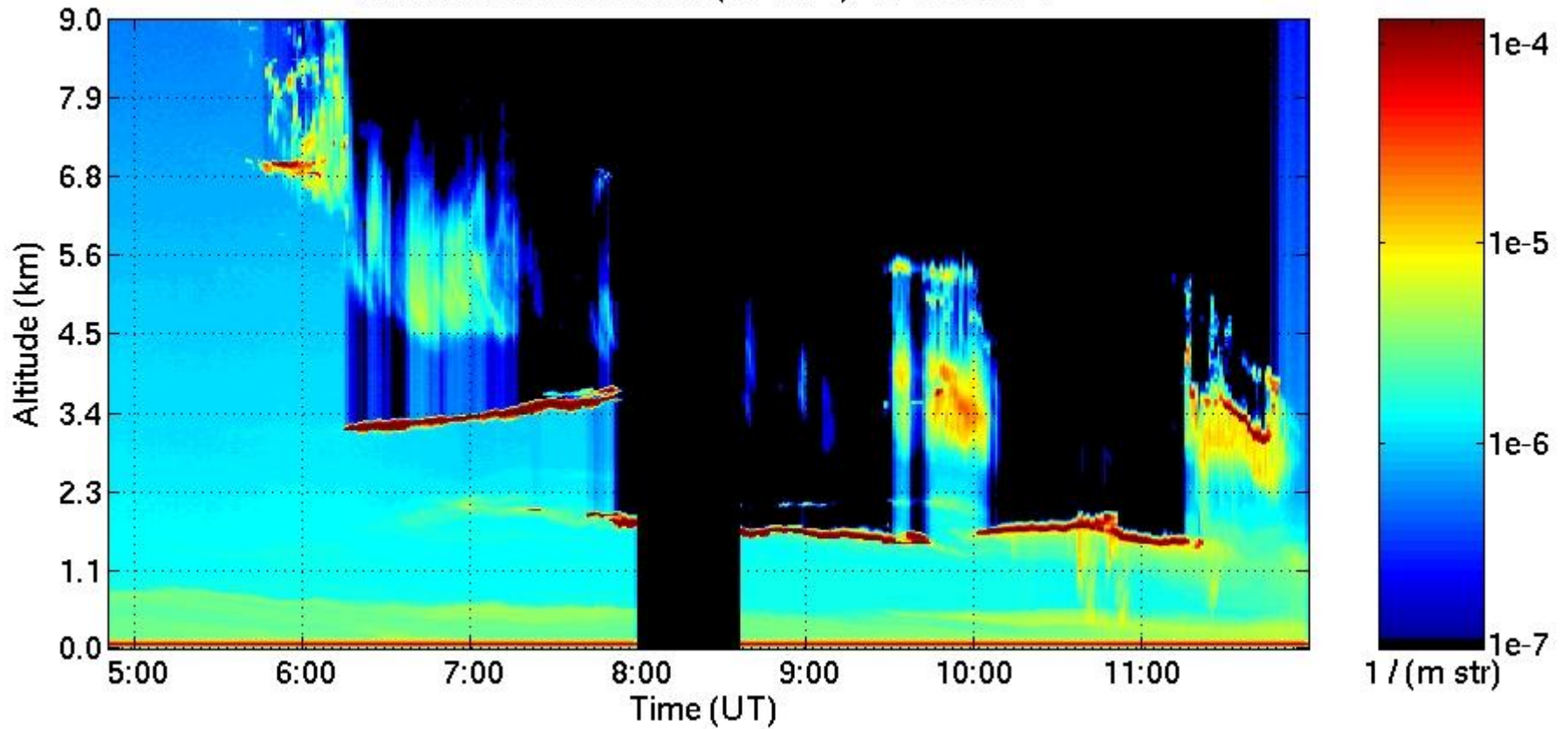
$$p_m(r) \sim \frac{1}{r^2} \cdot \frac{3}{8\pi} \beta_m(r) \cdot \exp(-2 \int (\beta_a(r) + \beta_m(r)) \cdot dr) - \text{molecular return}$$

$$\beta'_a(r) = \frac{P(180,r)}{4\pi} \cdot \beta_a(r) = \frac{3}{8\pi} \cdot \beta_m(r) \cdot \frac{p_a(r)}{p_m(r)}$$

The optical depth between  $r_1$  and  $r_2$  is derived by comparing the molecular return to that expected from a purely molecular atmosphere:

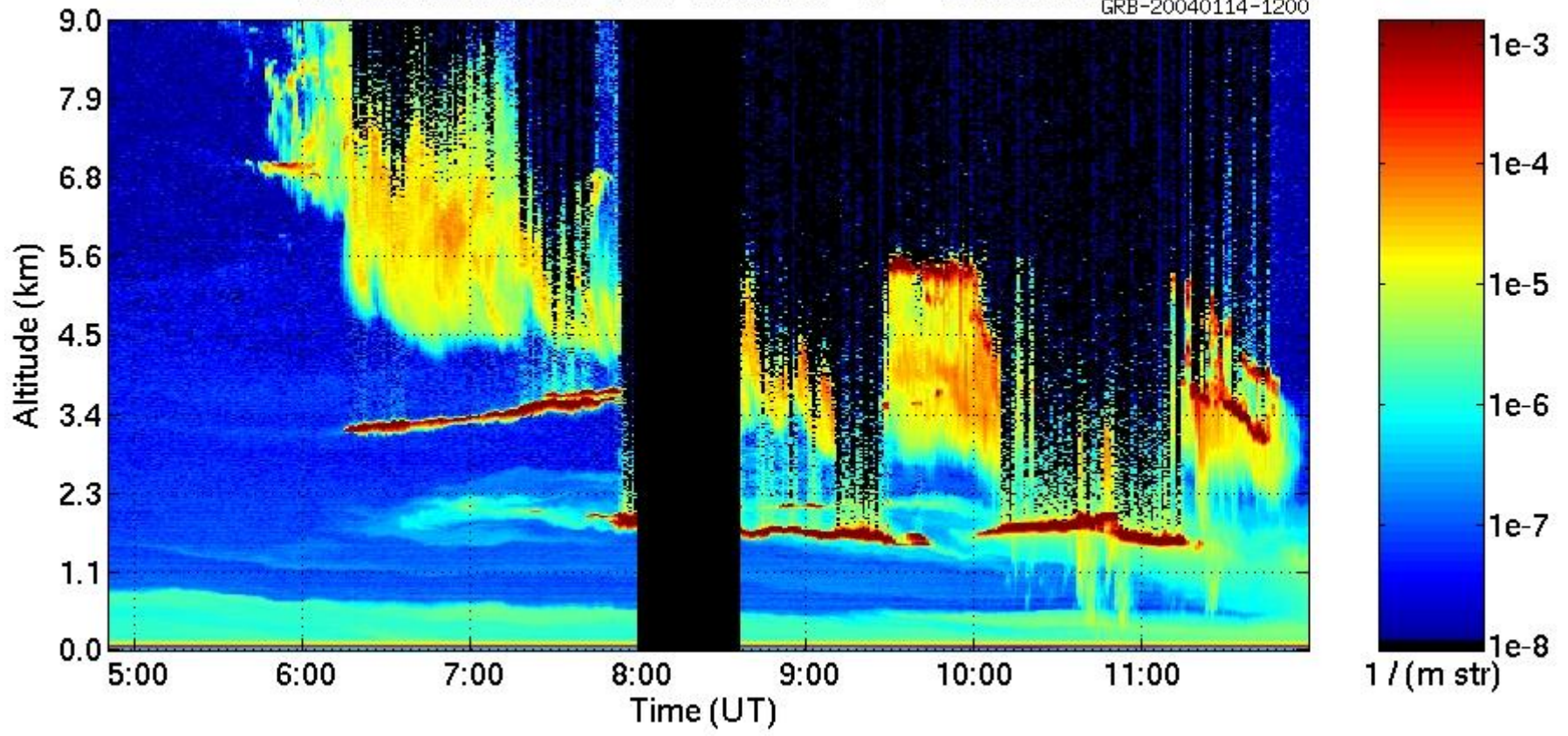
$$\tau(r_1, r_2) = \frac{1}{2} \cdot \log\left(\frac{r_1^2 \rho(r_2) \cdot p_m(r_1)}{r_2^2 \rho(r_1) \cdot p_m(r_2)}\right)$$

Attenuated backscatter ( $\text{m}^{-1} \text{str}^{-1}$ ) 14-Jan-2004

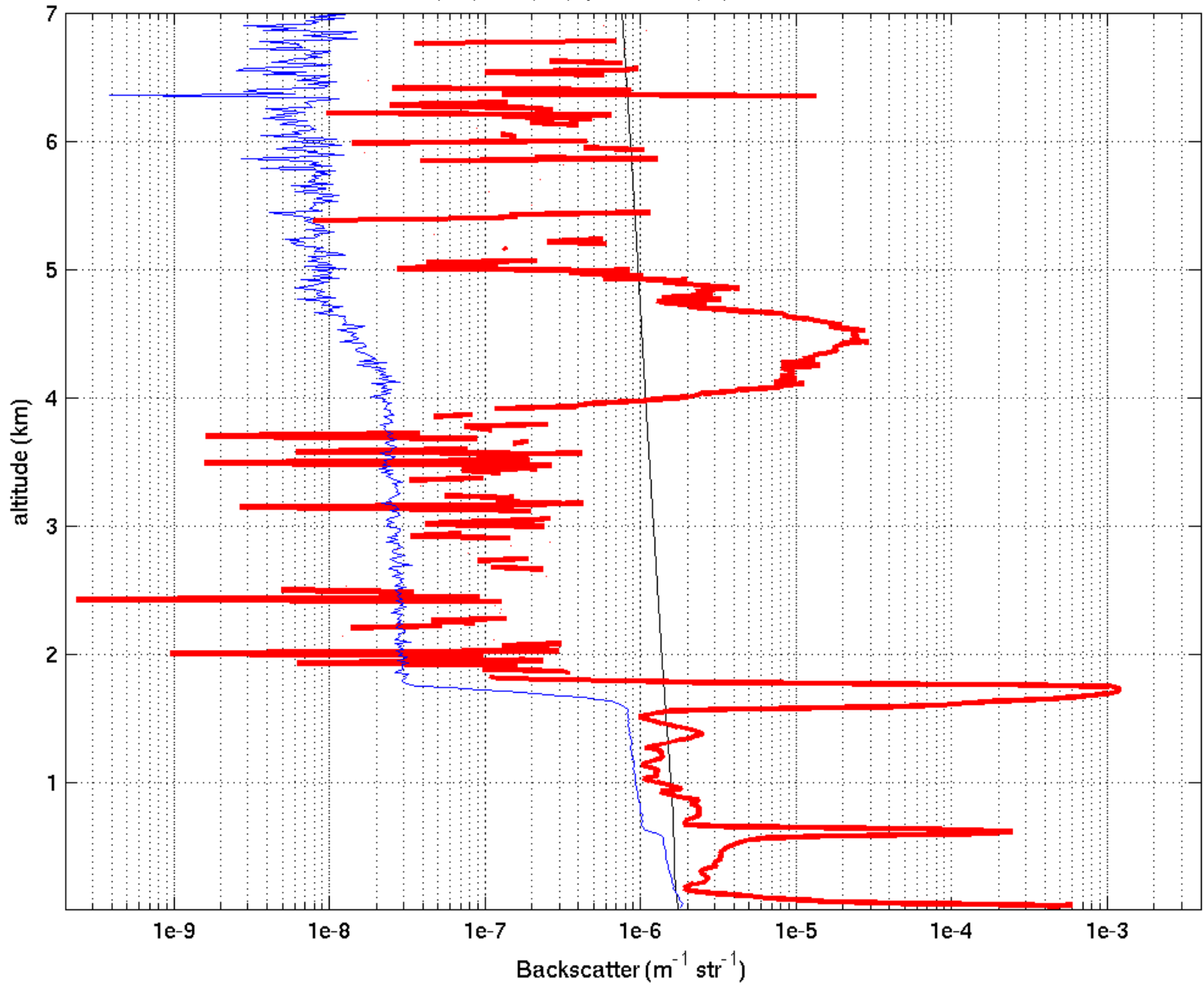


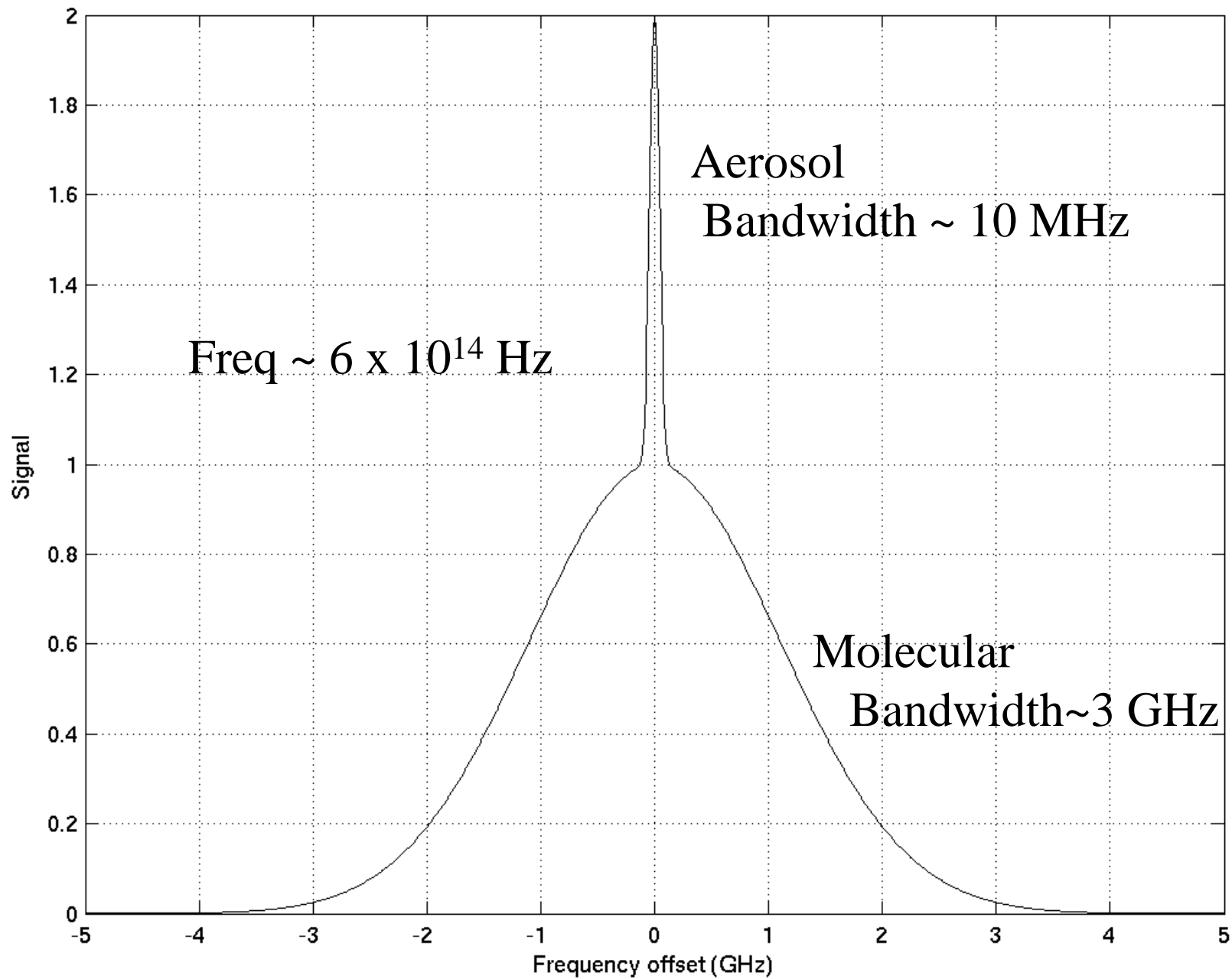
Aerosol backscatter cross section  $\text{m}^{-1} \text{str}^{-1}$  14-Jan-2004

GRB-20040114-1200



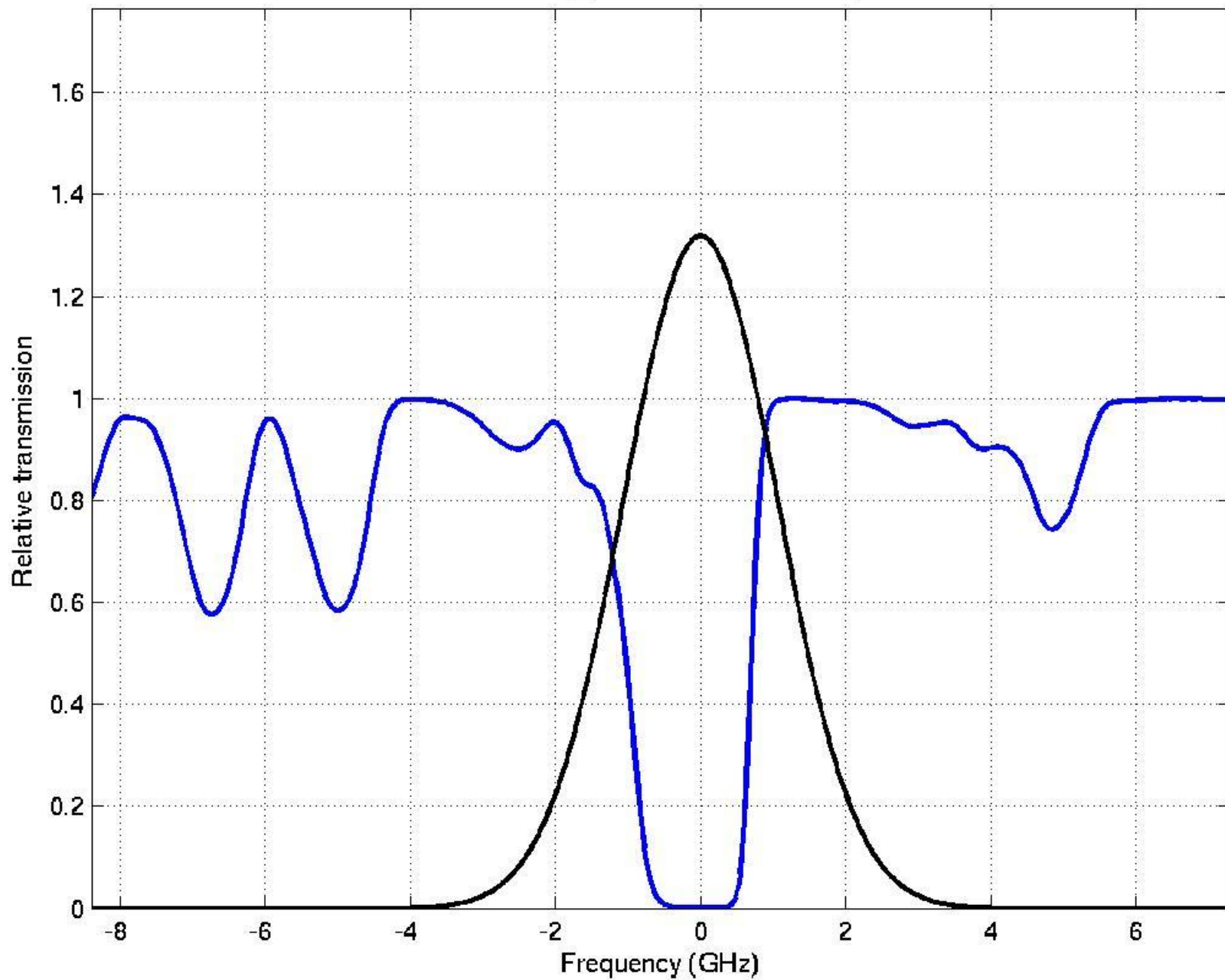
attenuated mol(blu), mol(blk), particulate(rd) 05-Nov-04 19:59->20:02

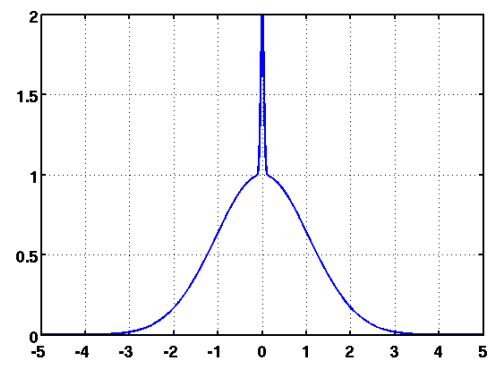
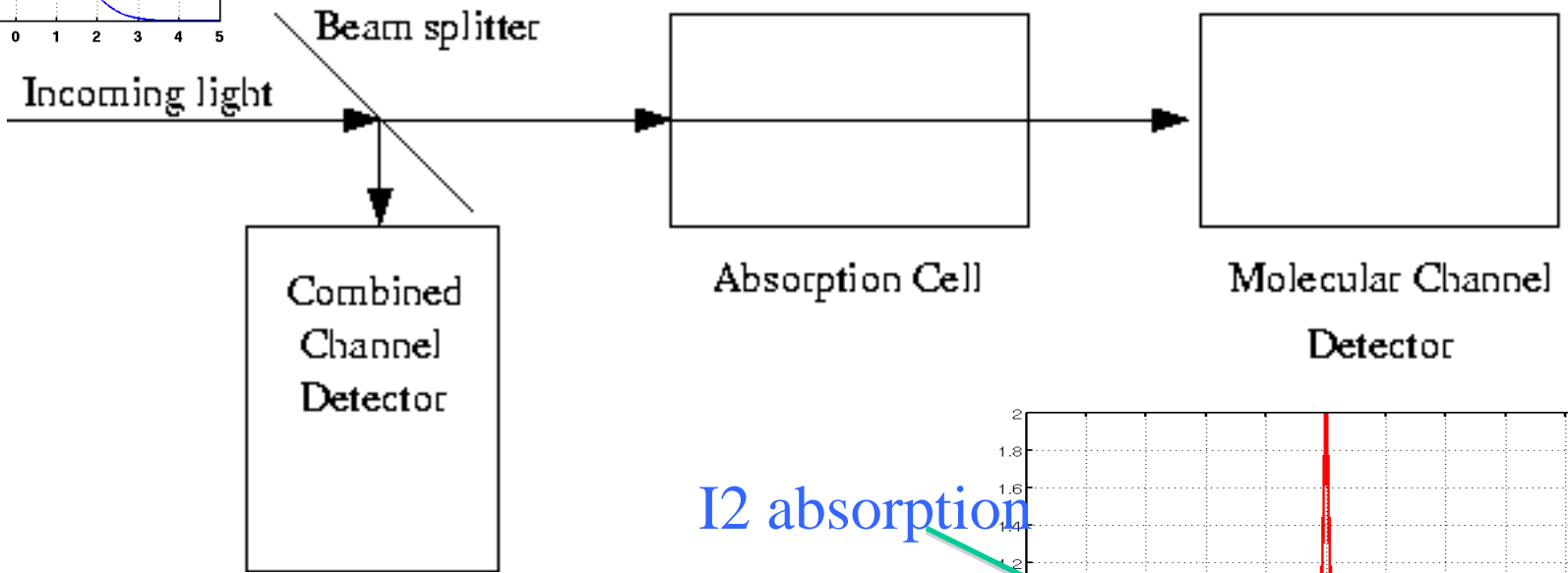
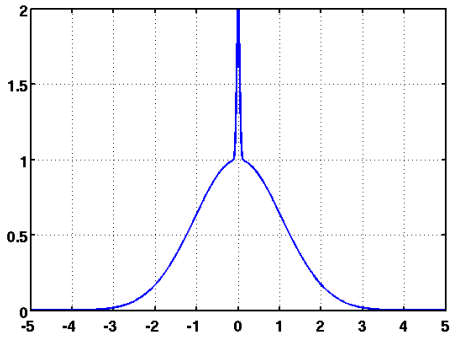




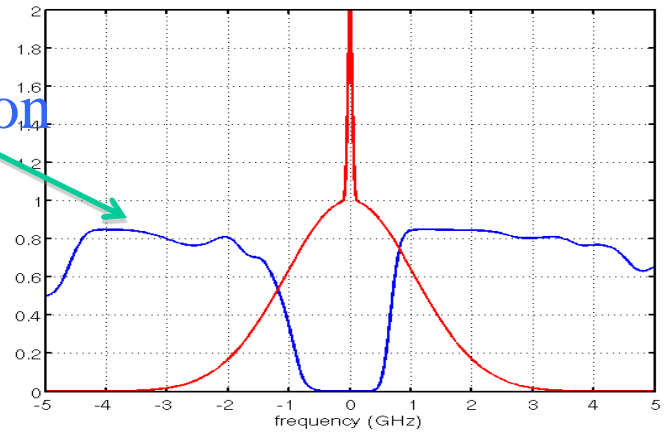


12 cell transmission and Doppler broadened Atmospheric Backscatter

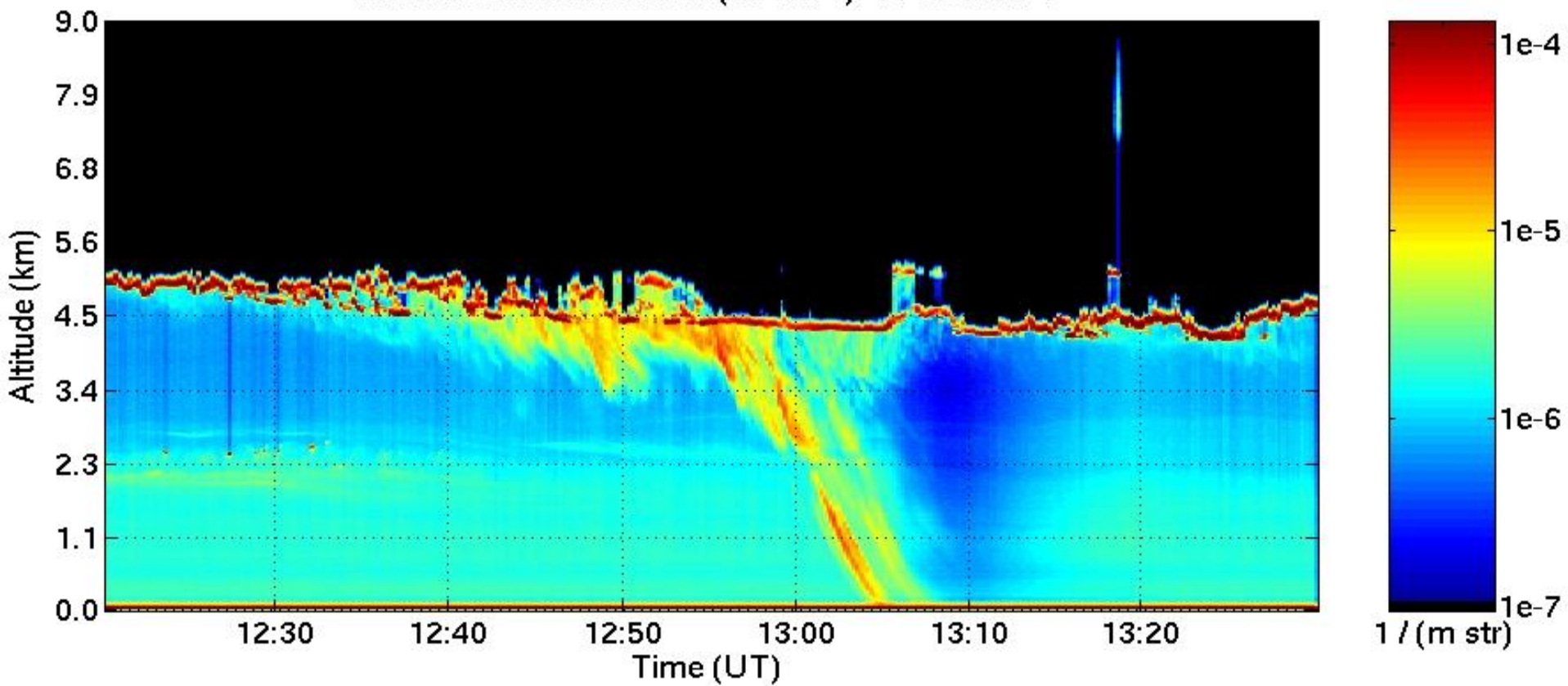




I<sub>2</sub> absorption

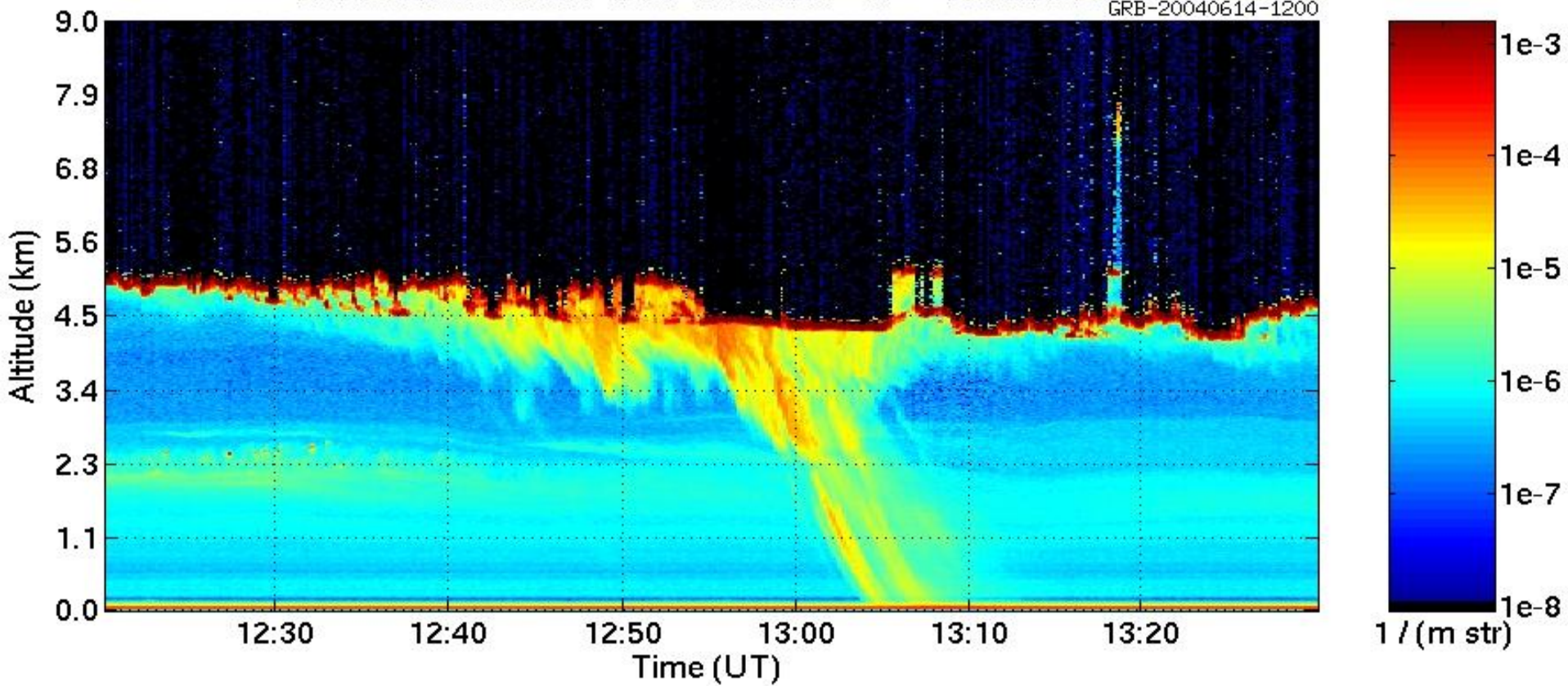


Attenuated backscatter ( $\text{m}^{-1} \text{str}^{-1}$ ) 14-Jun-2004

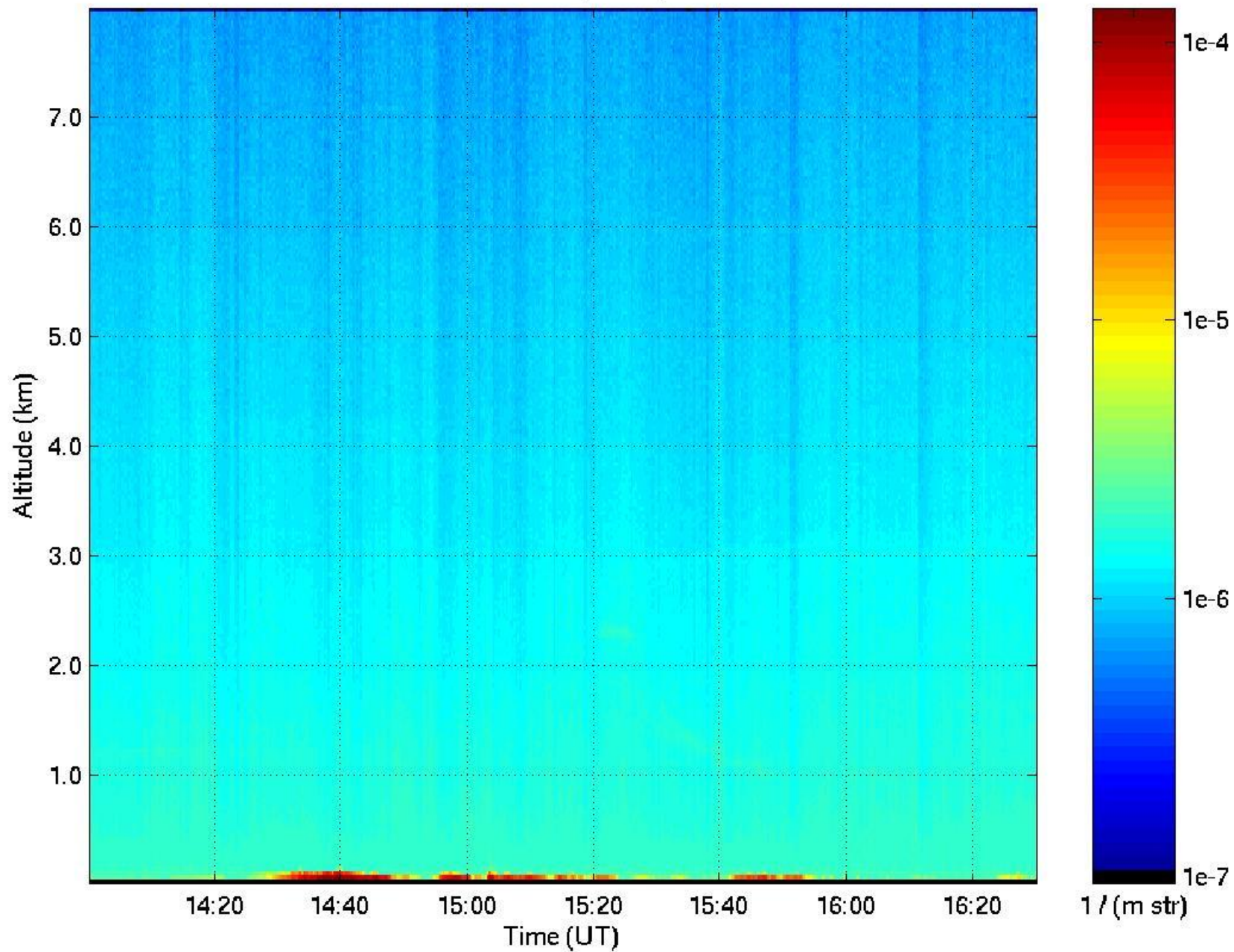


Aerosol backscatter cross section  $\text{m}^{-1} \text{str}^{-1}$  14-Jun-2004

GRB-20040614-1200

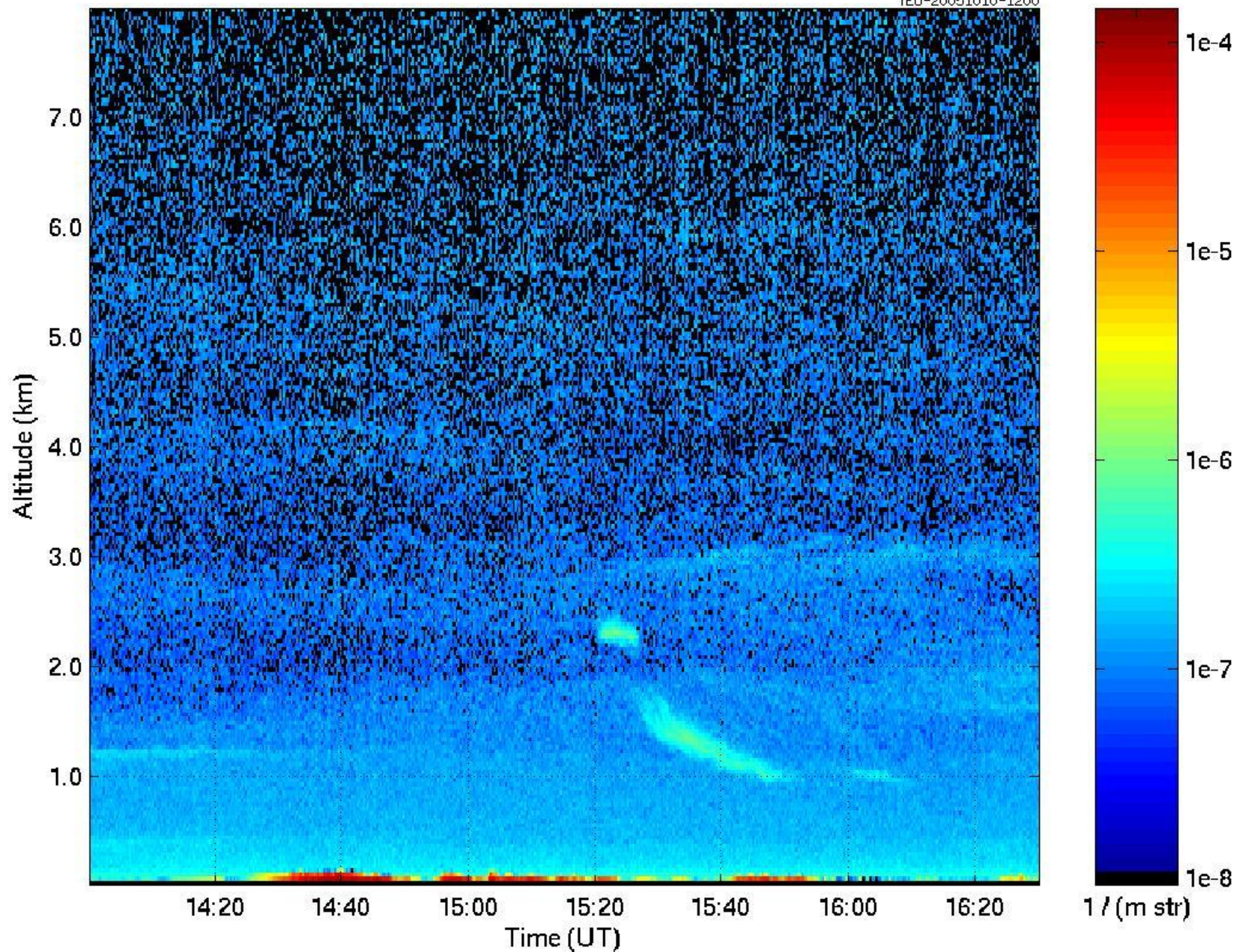


Attenuated backscatter ( $\text{m}^{-1}\text{str}^{-1}$ ) 10-Oct-2005



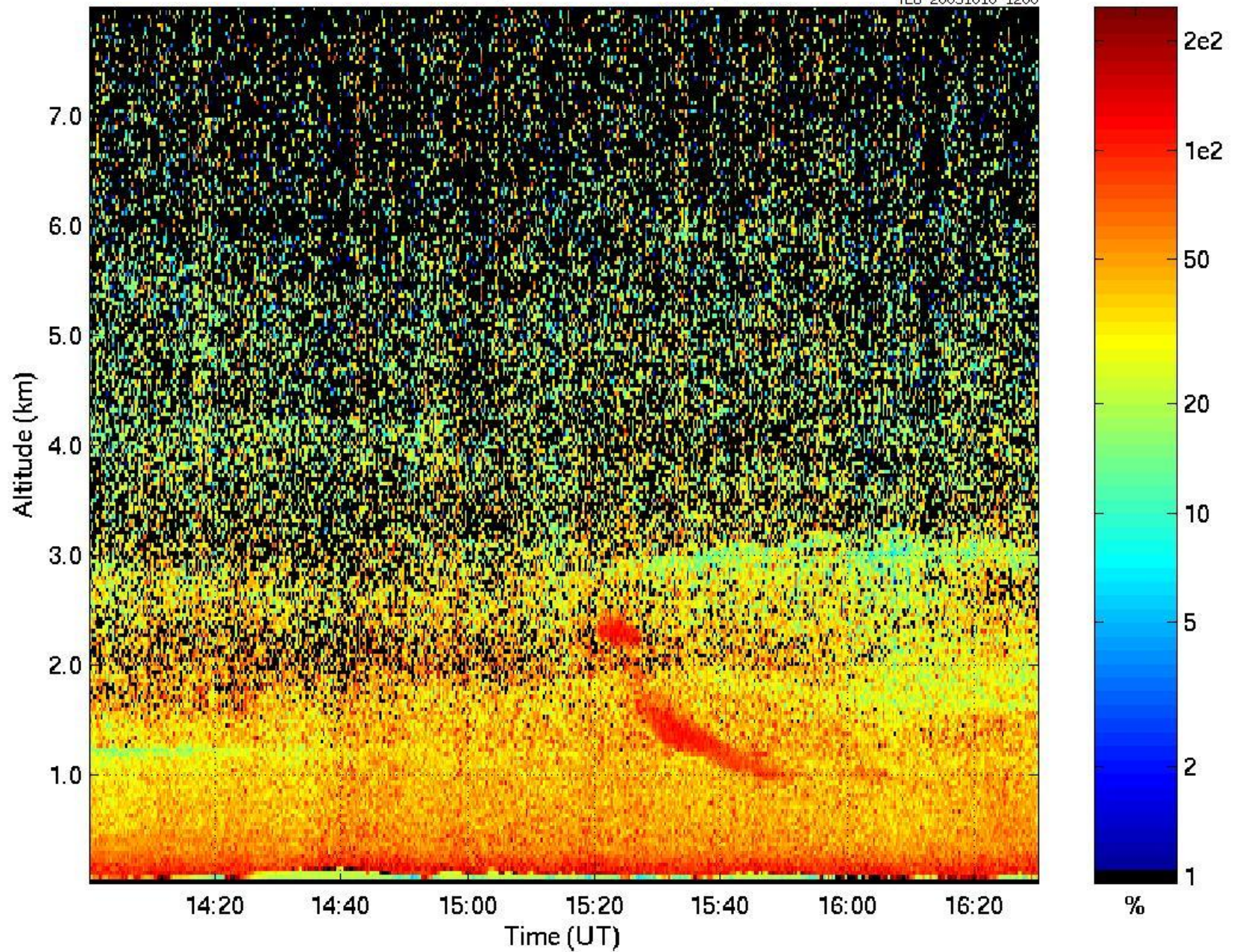
Aerosol backscatter cross section  $\text{m}^{-1}\text{str}^{-1}$  10-Oct-2005

YEU-20051010-1200



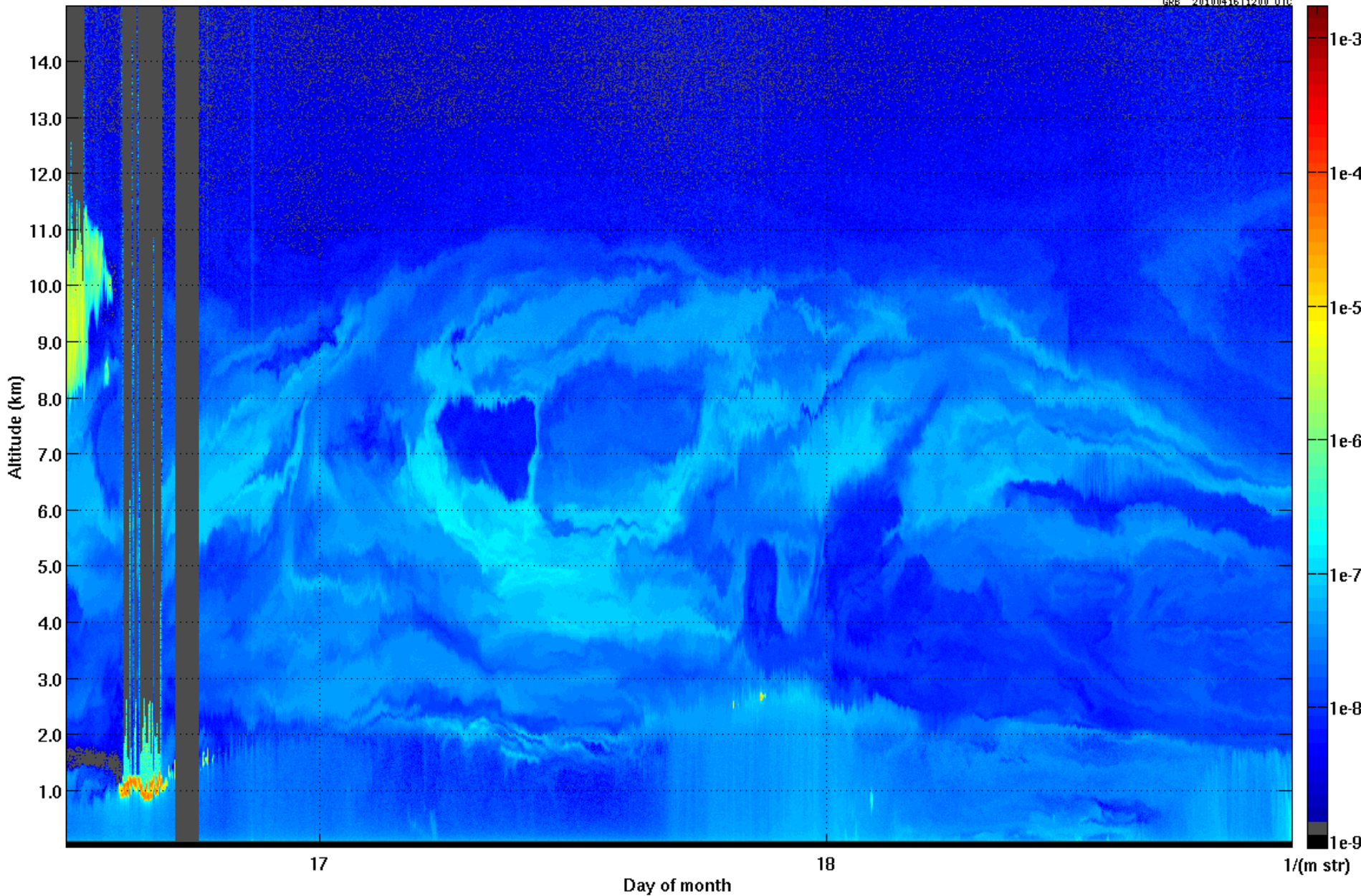
Particulate circular depolarization ratio(%) 10-Oct-2005

YEU-20051010-1200



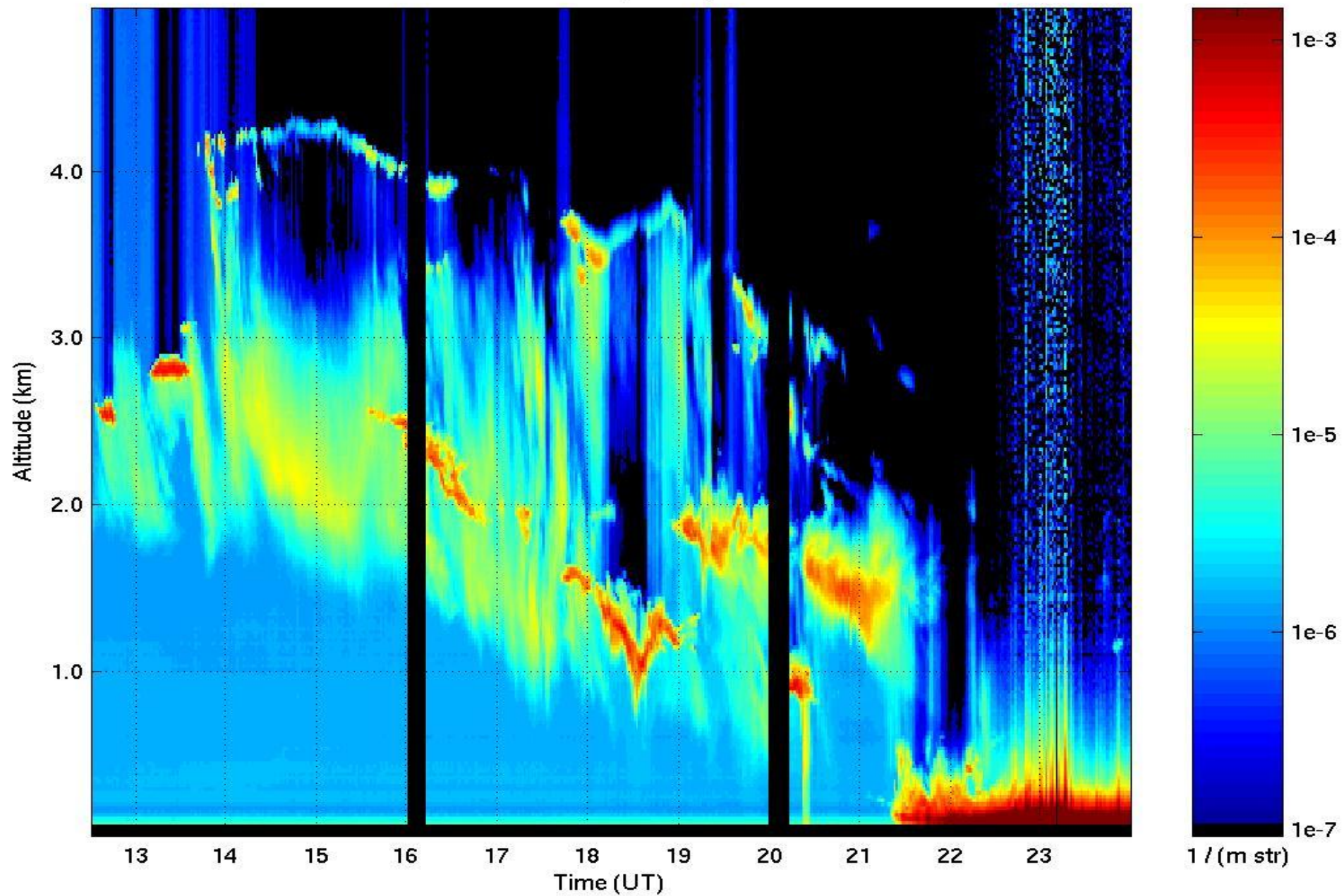
# Aerosol backscatter cross section 16-Apr-2010

GRB\_20100416T1200 UTC



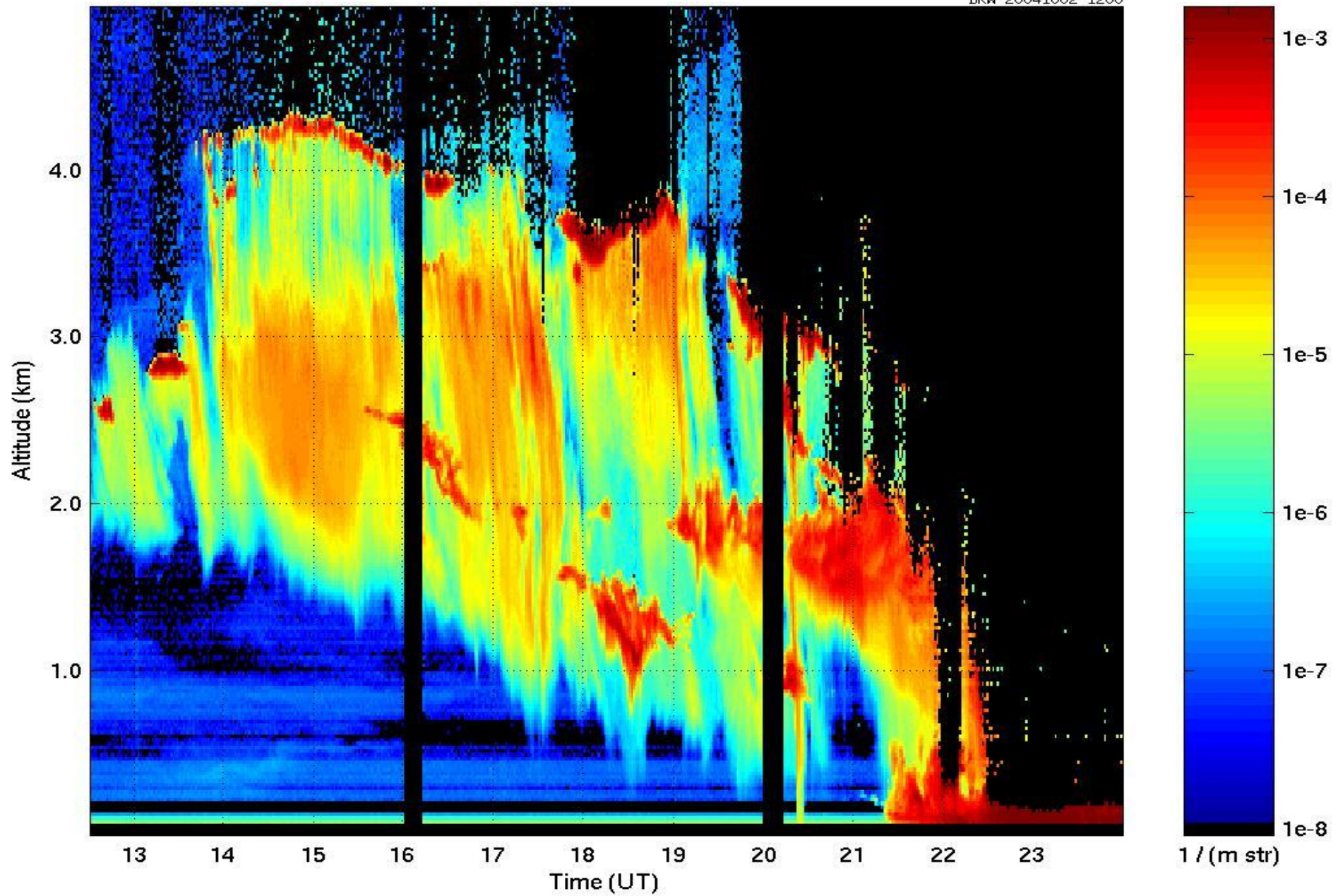


Attenuated backscatter ( $\text{m}^{-1}\text{str}^{-1}$ ) 02-Oct-2004



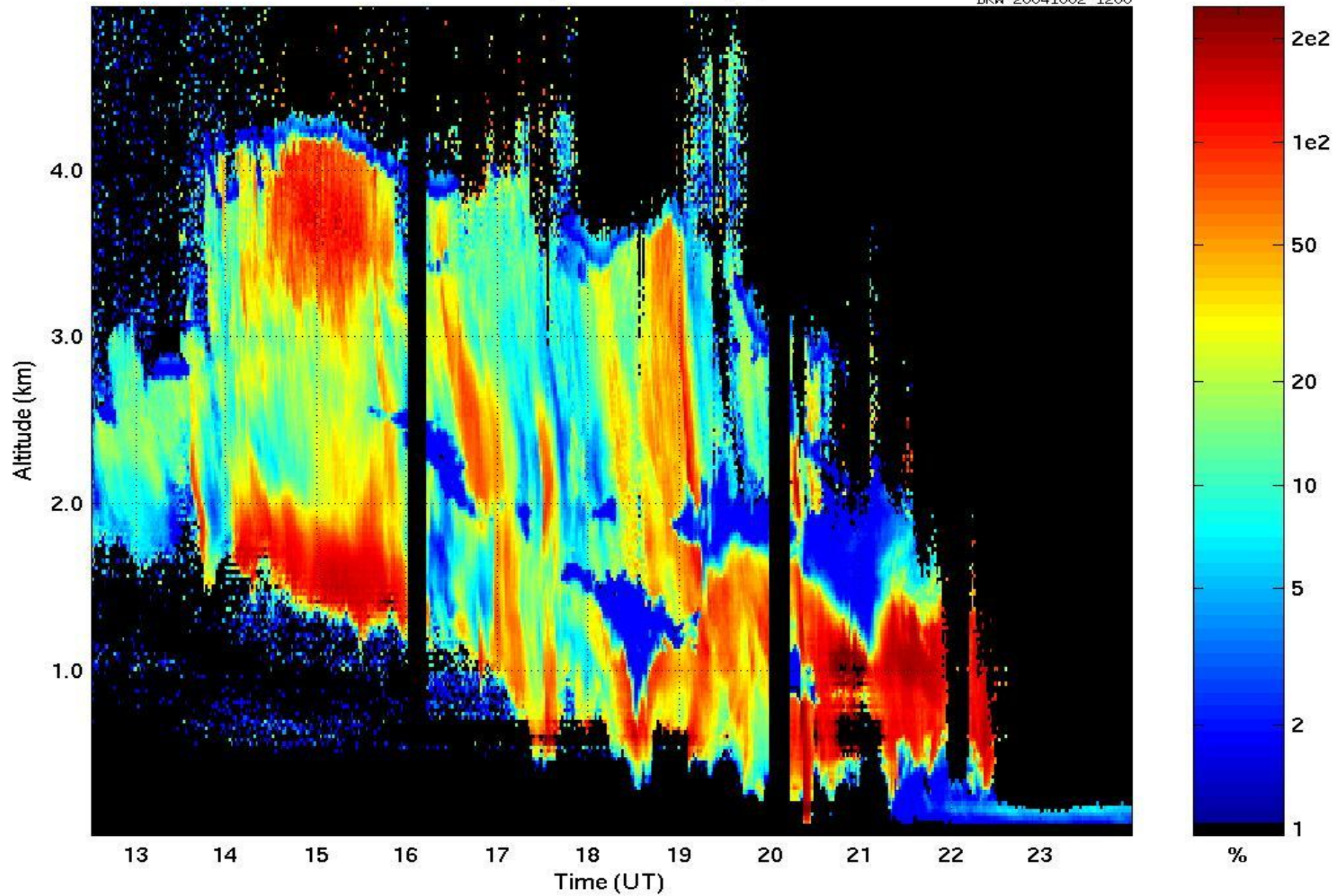
Aerosol backscatter cross section  $\text{m}^{-1}\text{str}^{-1}$  02-Oct-2004

BRW-20041002-1200

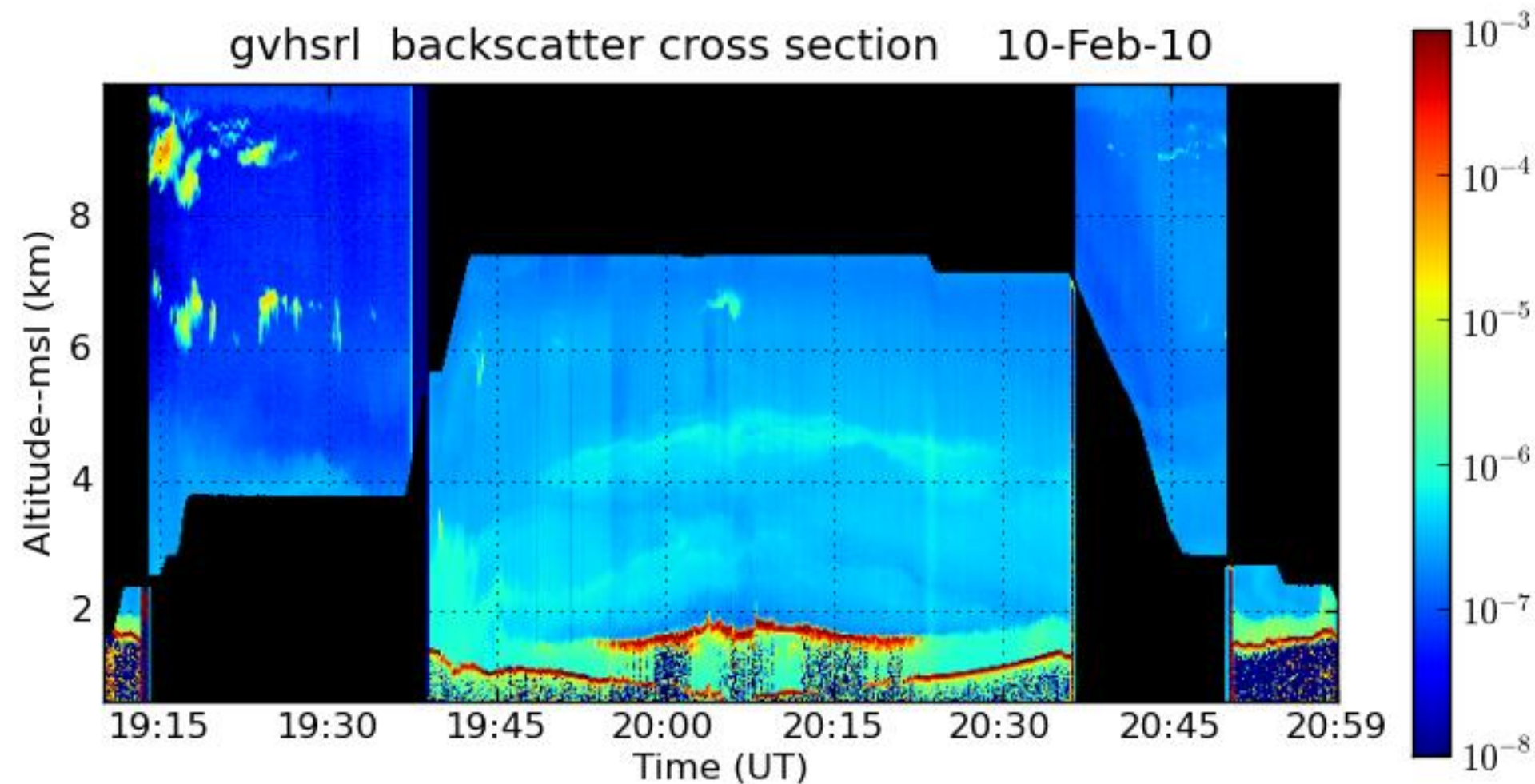


Particulate circular depolarization ratio(%) 02-Oct-2004

BRW-20041002-1200

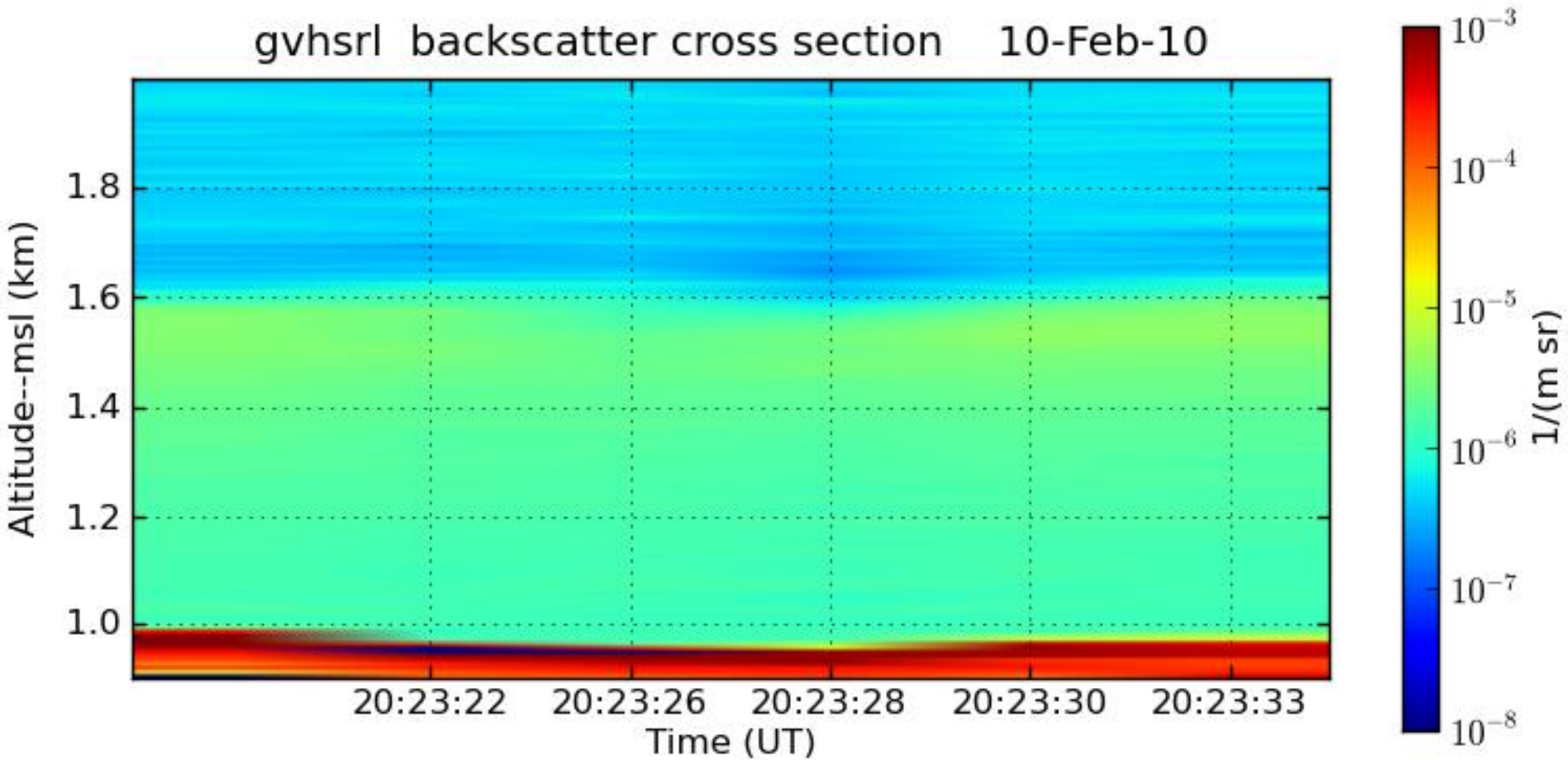


gvhsrl backscatter cross section 10-Feb-10

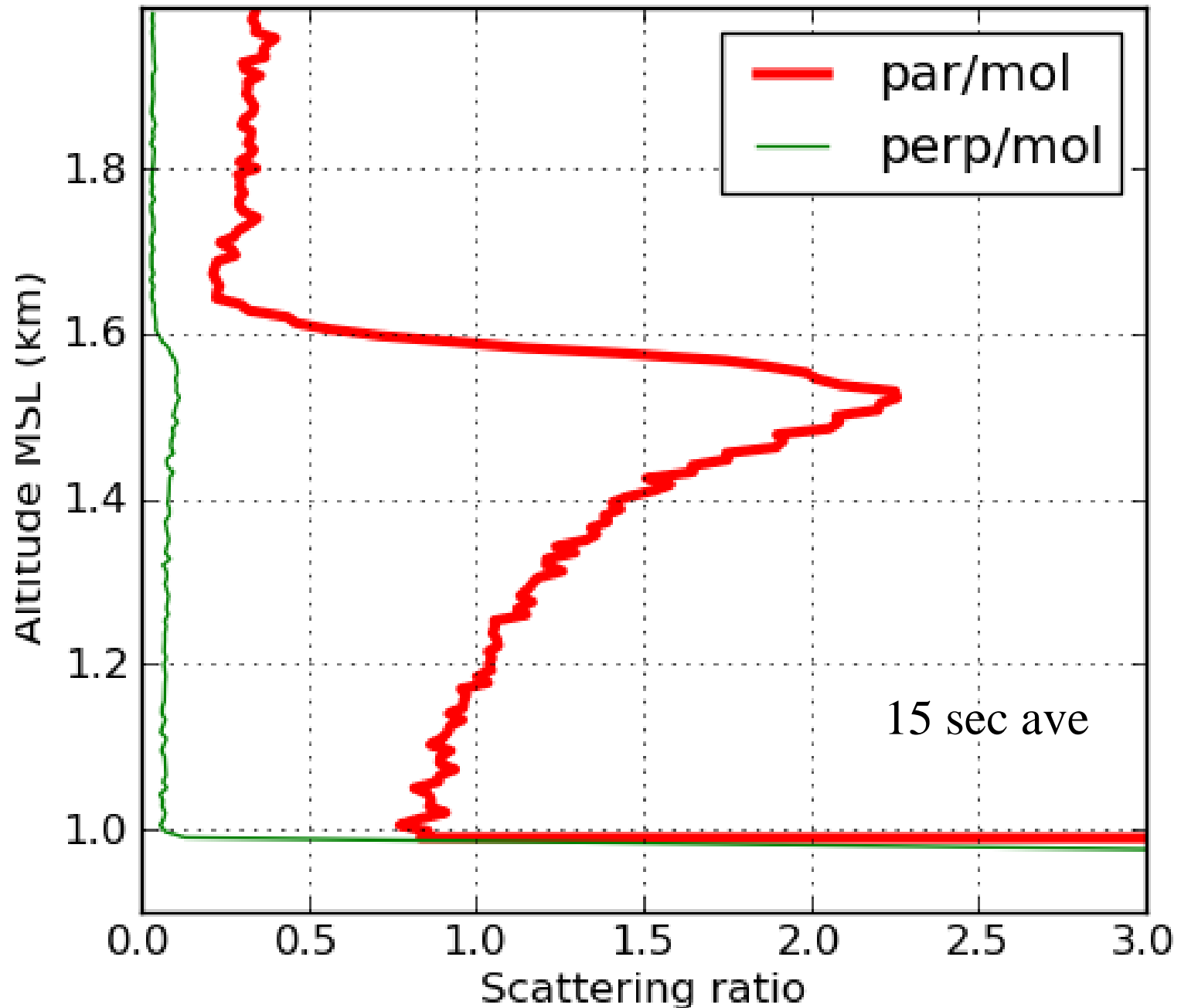


# 15-second observation of the the boundary layer

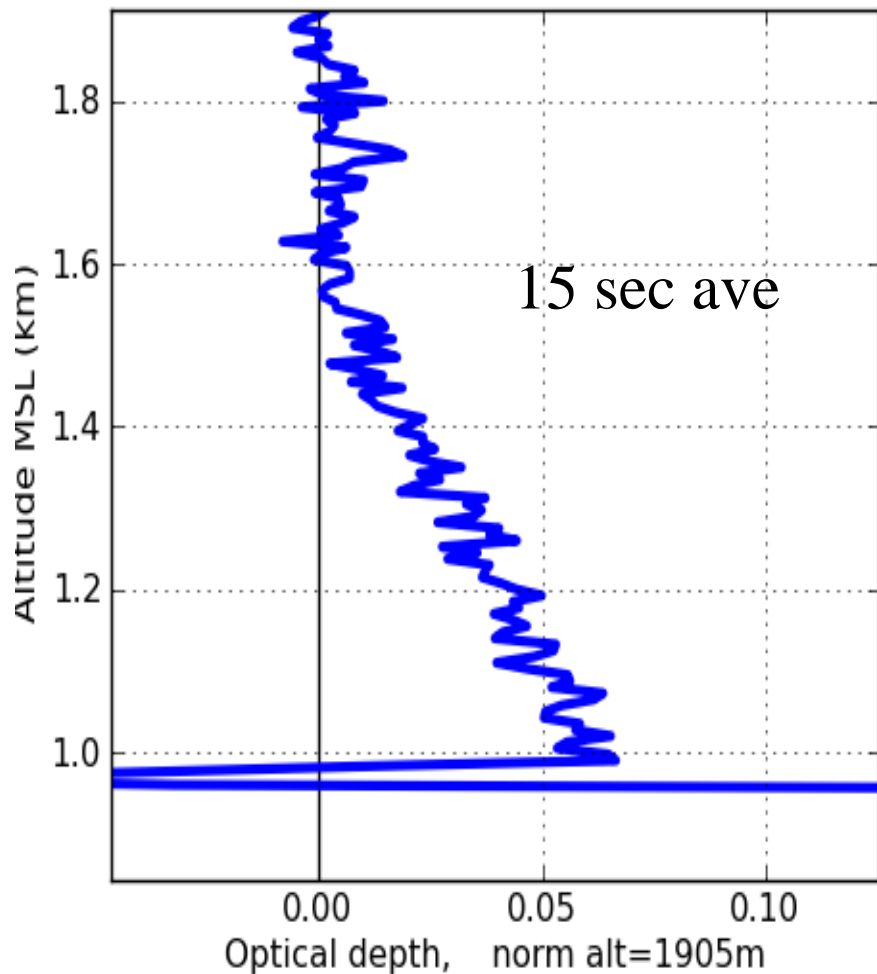
gvhsrl backscatter cross section 10-Feb-10



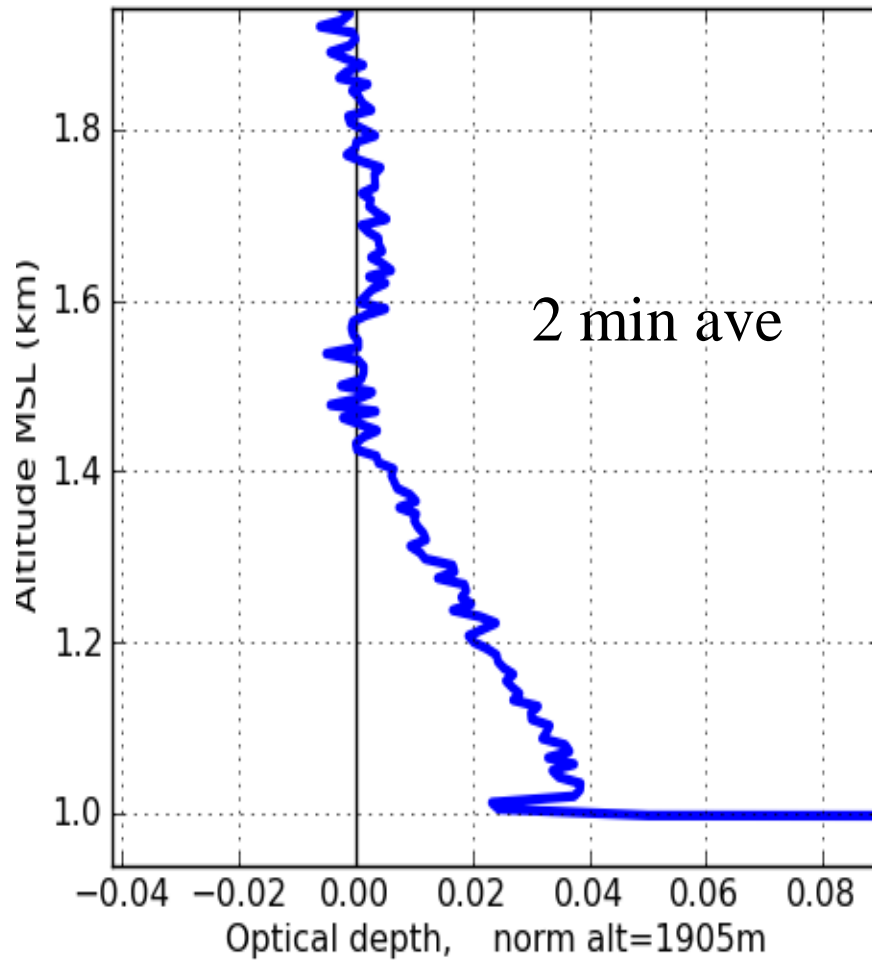
gvhsrl scat ratio 10-Feb-10 20:23-->20:23



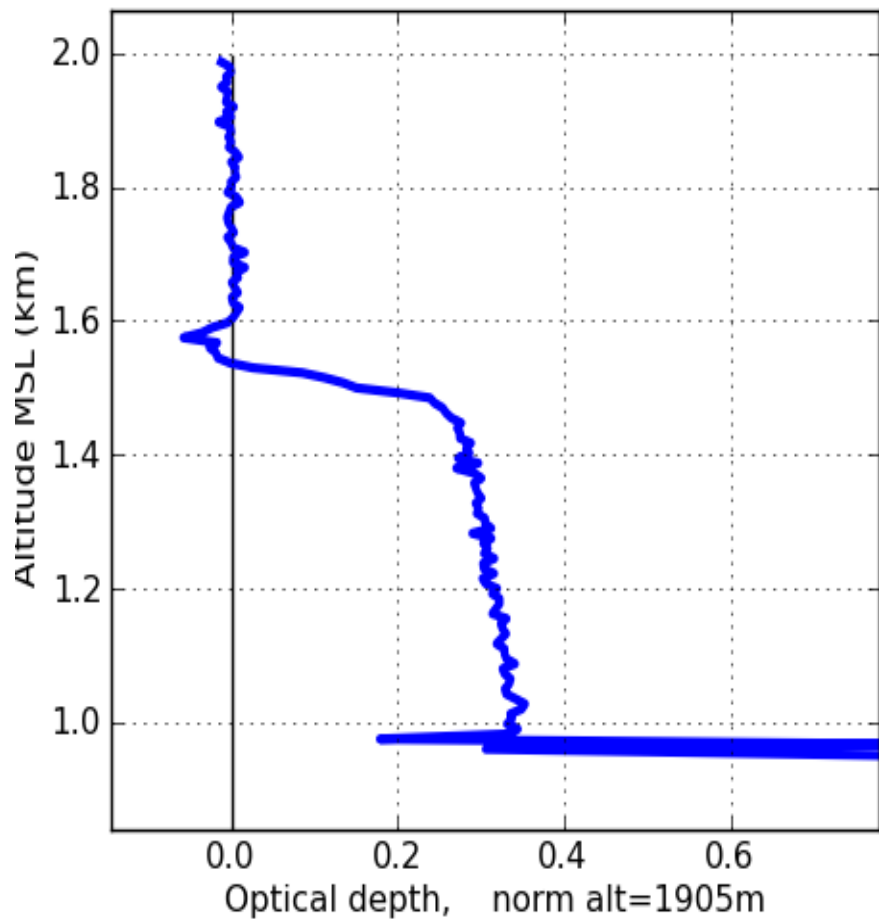
gvhsrl optical depth 10-Feb-10 20:23-->20:2



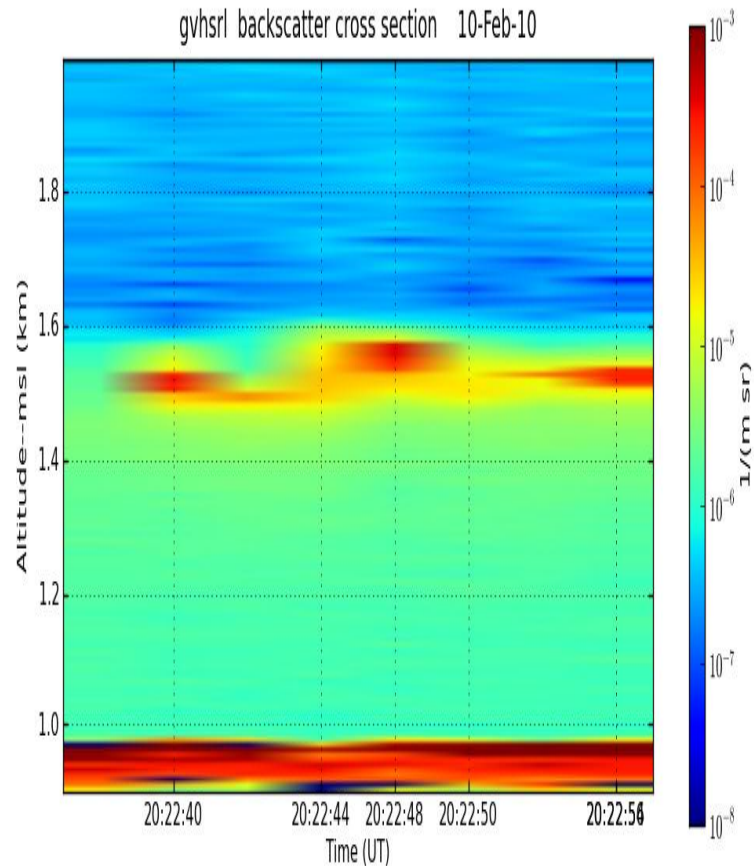
gvhsrl optical depth 10-Feb-10 20:23-->20:25



gvhsrl optical depth 10-Feb-10 20:22-->20:22



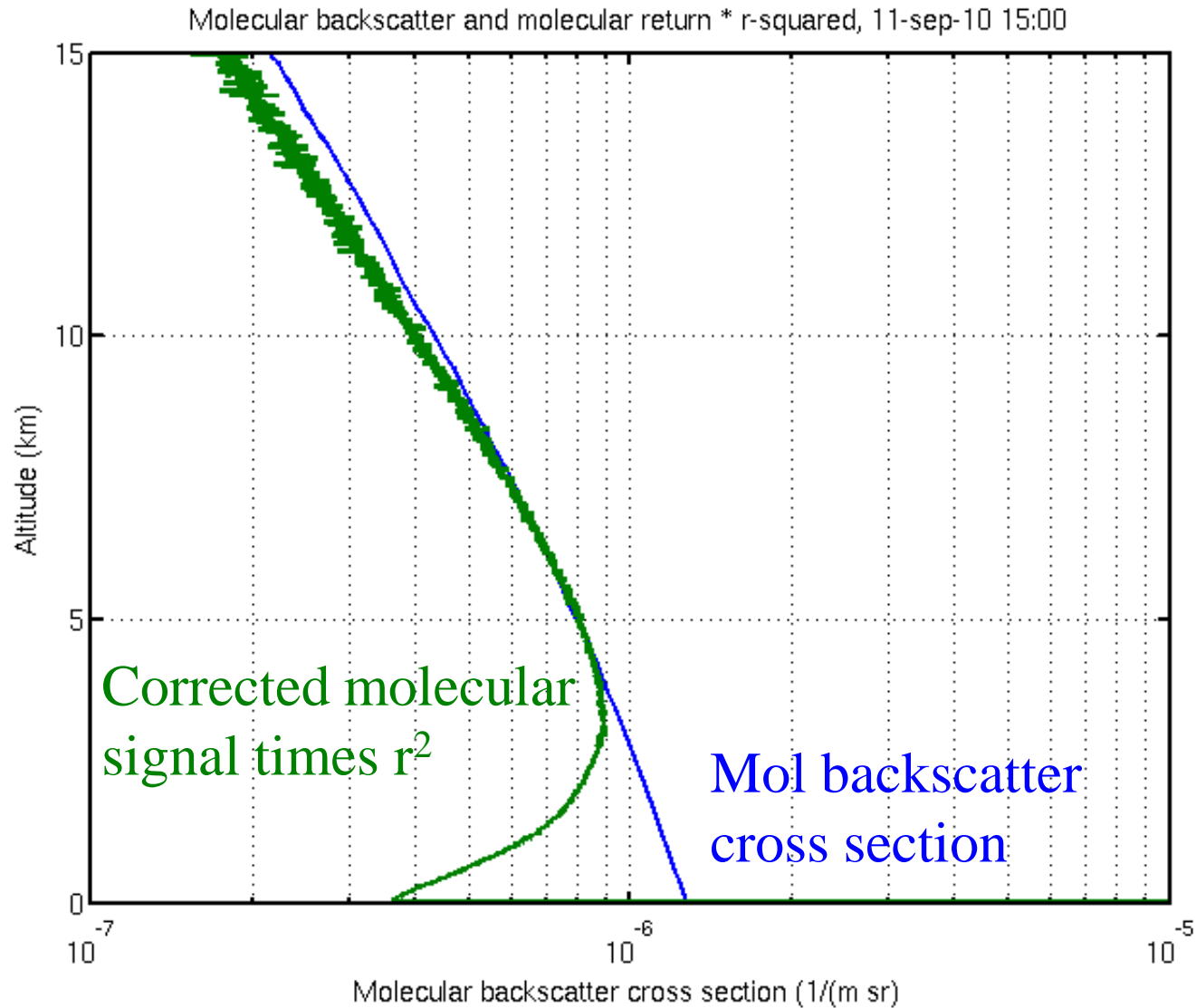
gvhsrl backscatter cross section 10-Feb-10



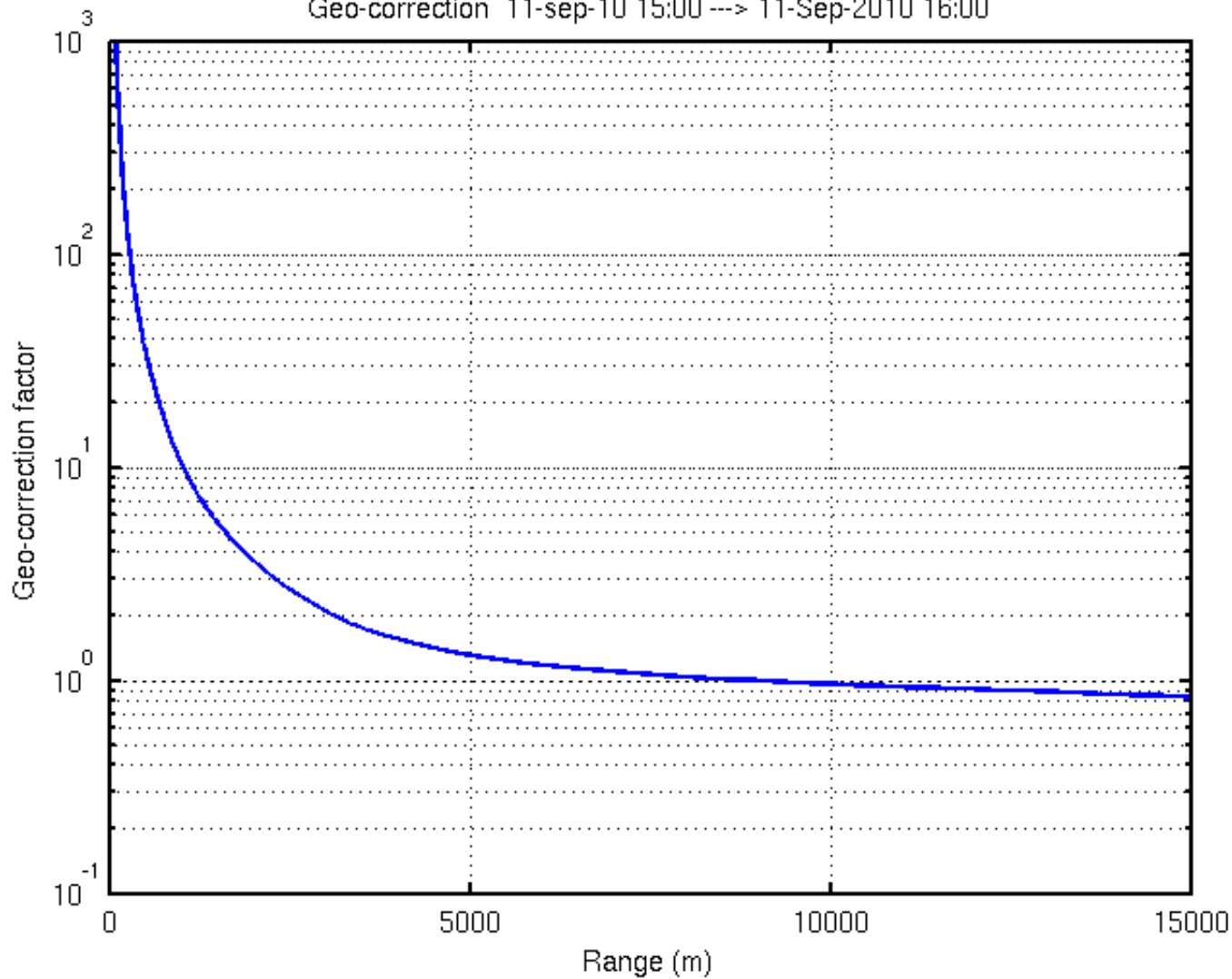
Optical depth profile for thin water cloud, 20 sec average



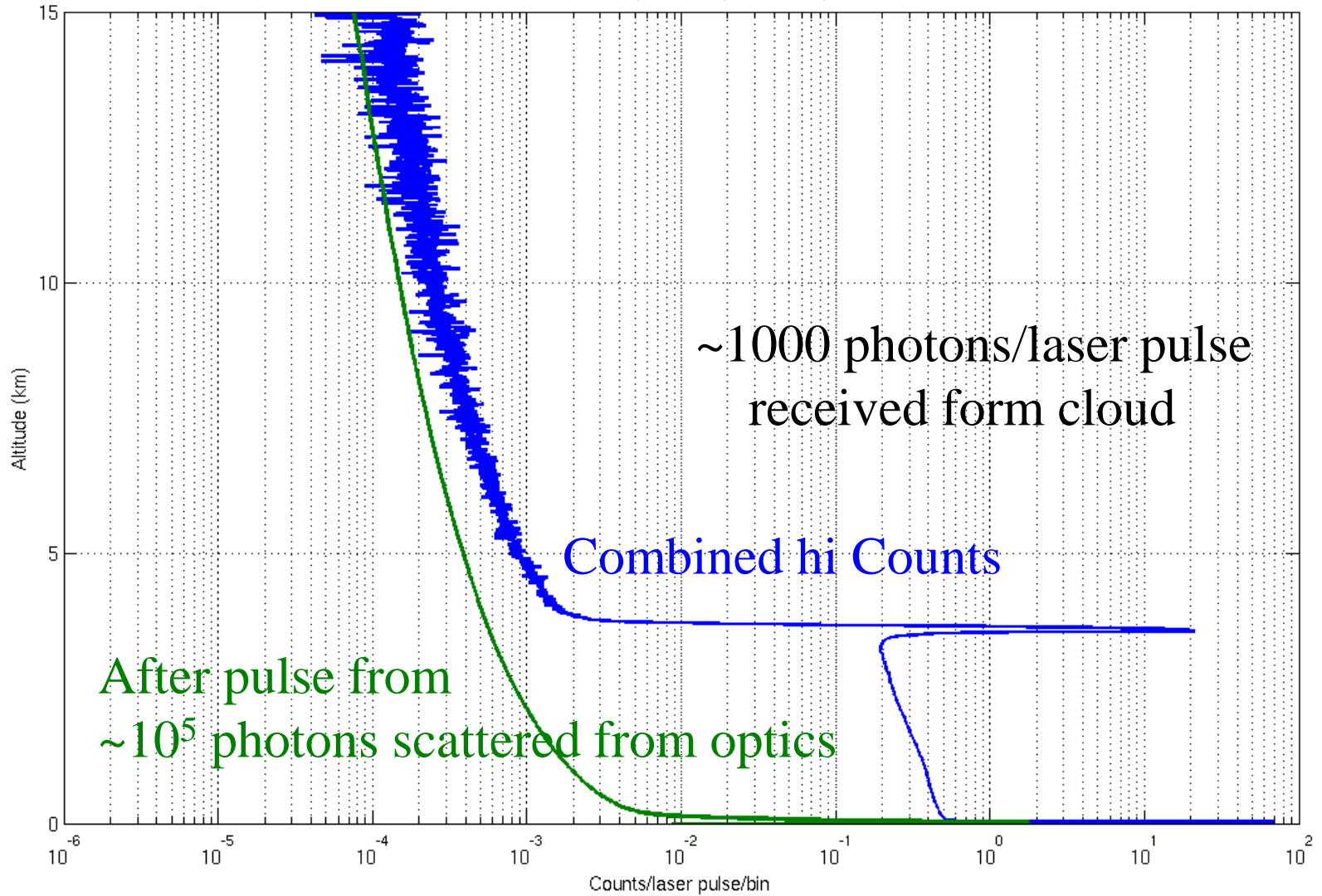
As the laser pulse propagates away from system the image size on the detector changes



Geo-correction 11-sep-10 15:00 --> 11-Sep-2010 16:00



Aerosol return and laser pulse afterpulse 11-sep-10 3:30 UT



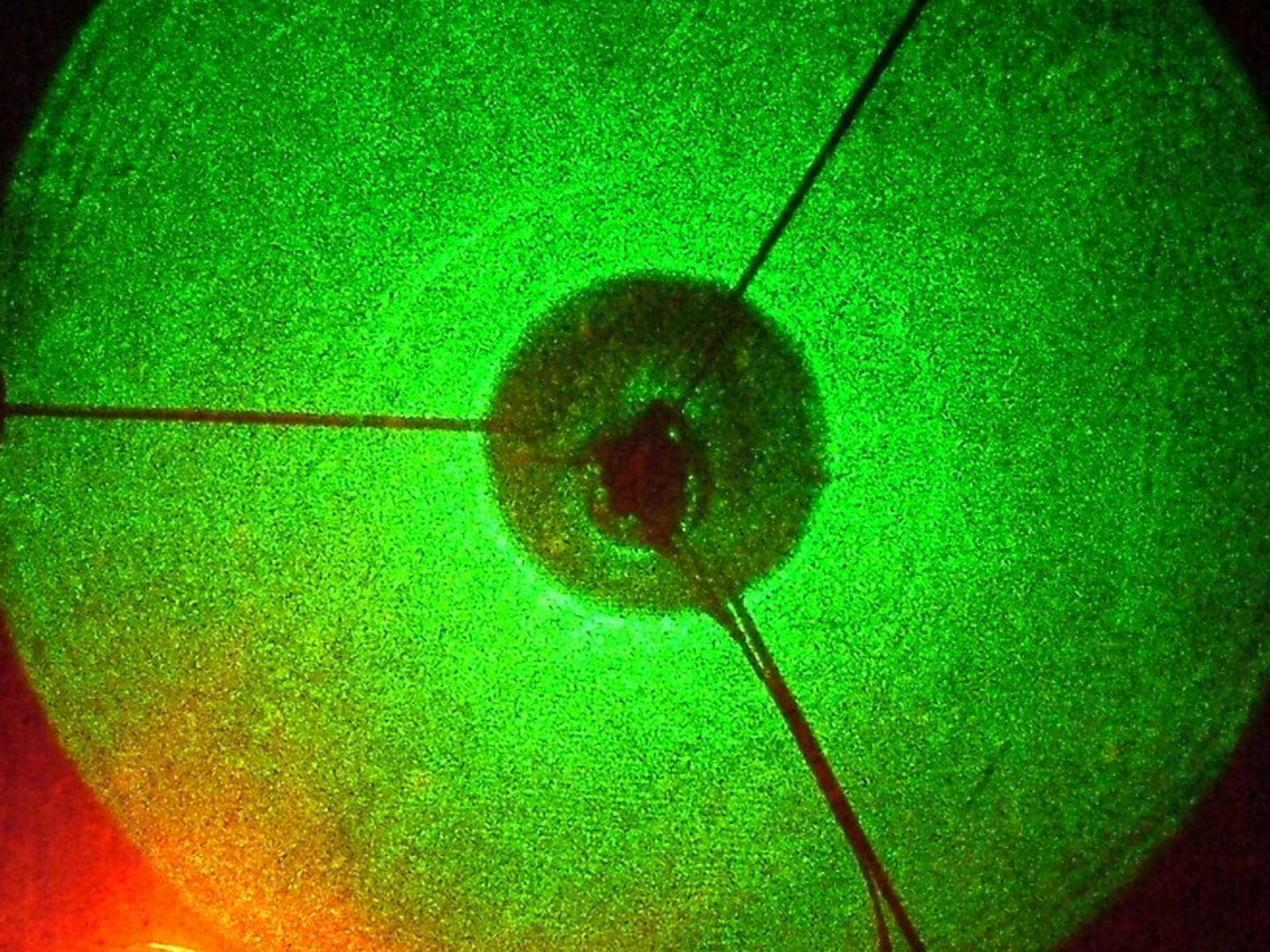


## **Advantages of 532 nm operation**

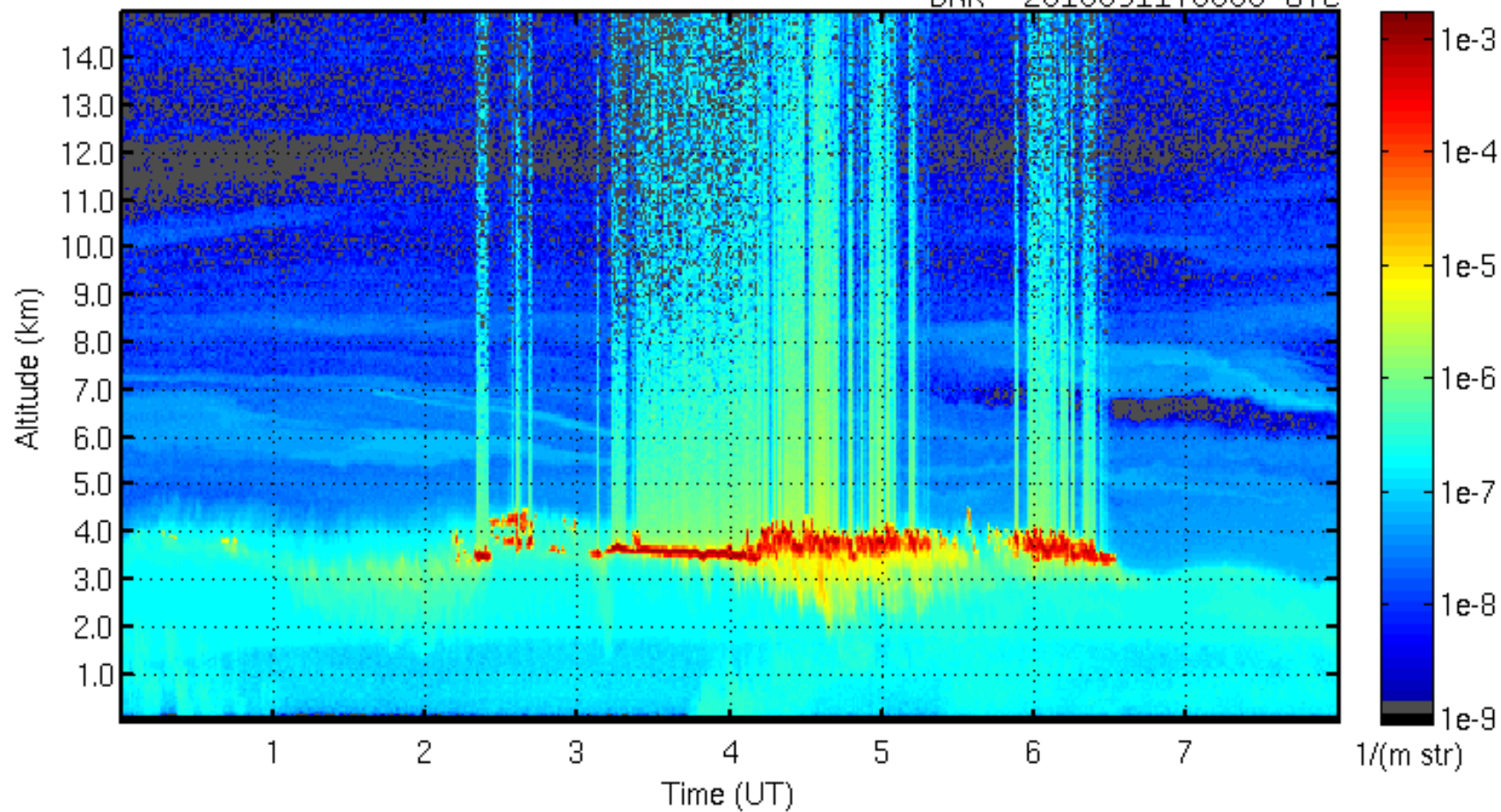
- Iodine adsorption line for filtering
- Important wavelength for radiative transfer
- Allows use of doubled Nd:YAG laser
- Strong molecular scattering

## **Problem with 532 nm—eye safety**

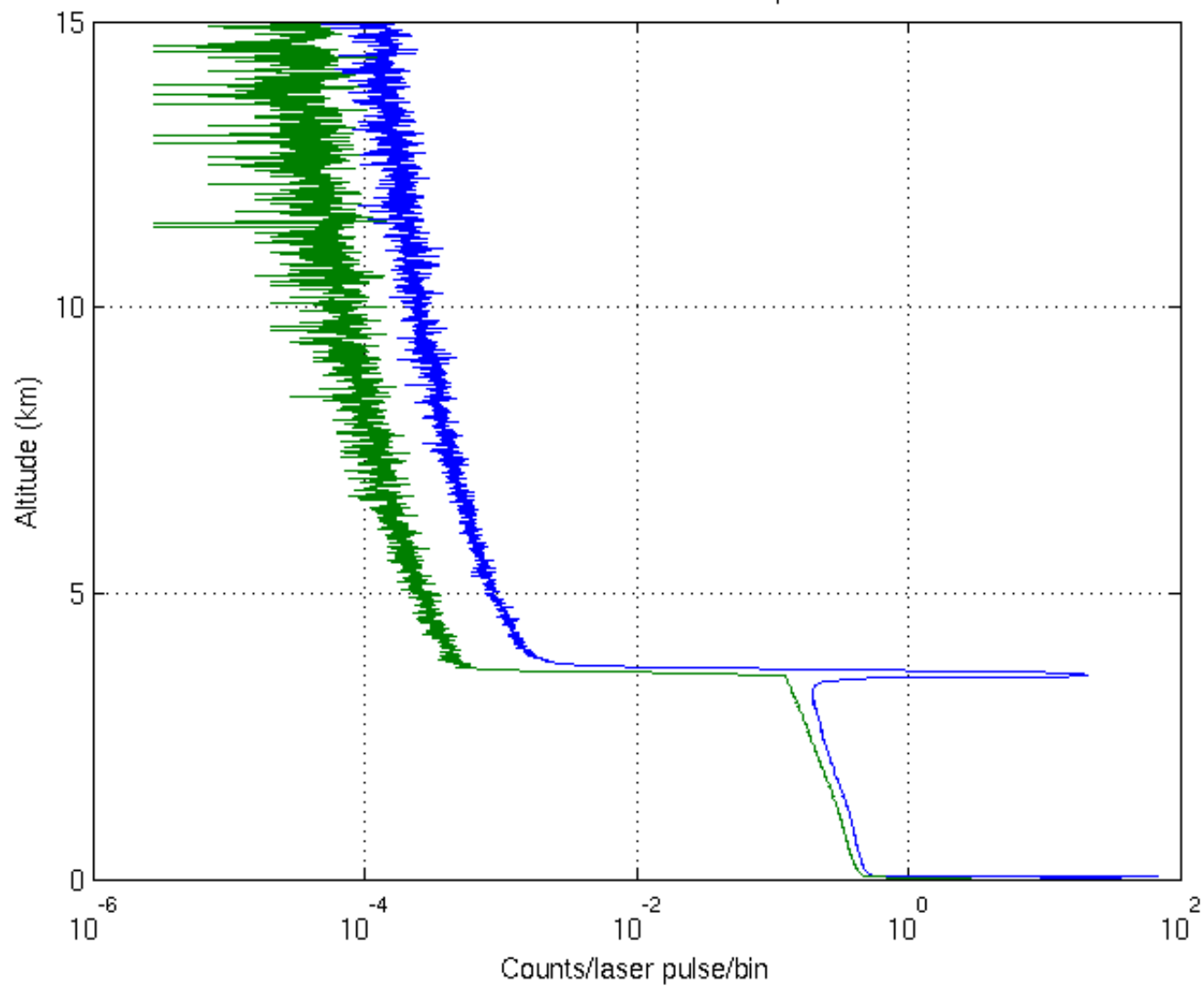
- Wavelength region with smallest permitted exposure  
max single pulse exposure =  $5e-7$  J/cm<sup>2</sup>



Aerosol backscatter cross section 11-Sep-2010  
DNR 20100911T0000 UTC

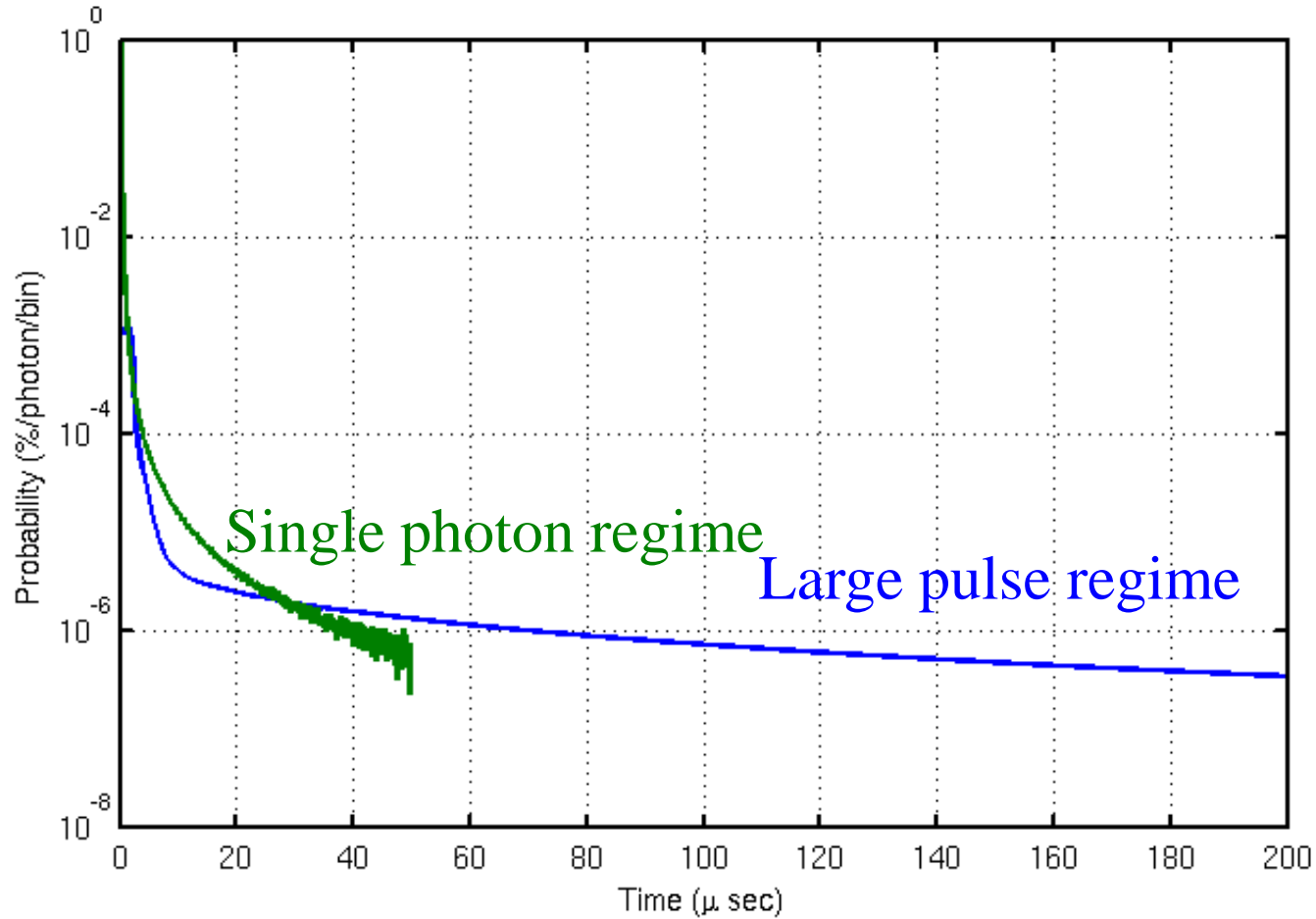


Aerosol and molecular returns 11-sep-10 3:30 UT

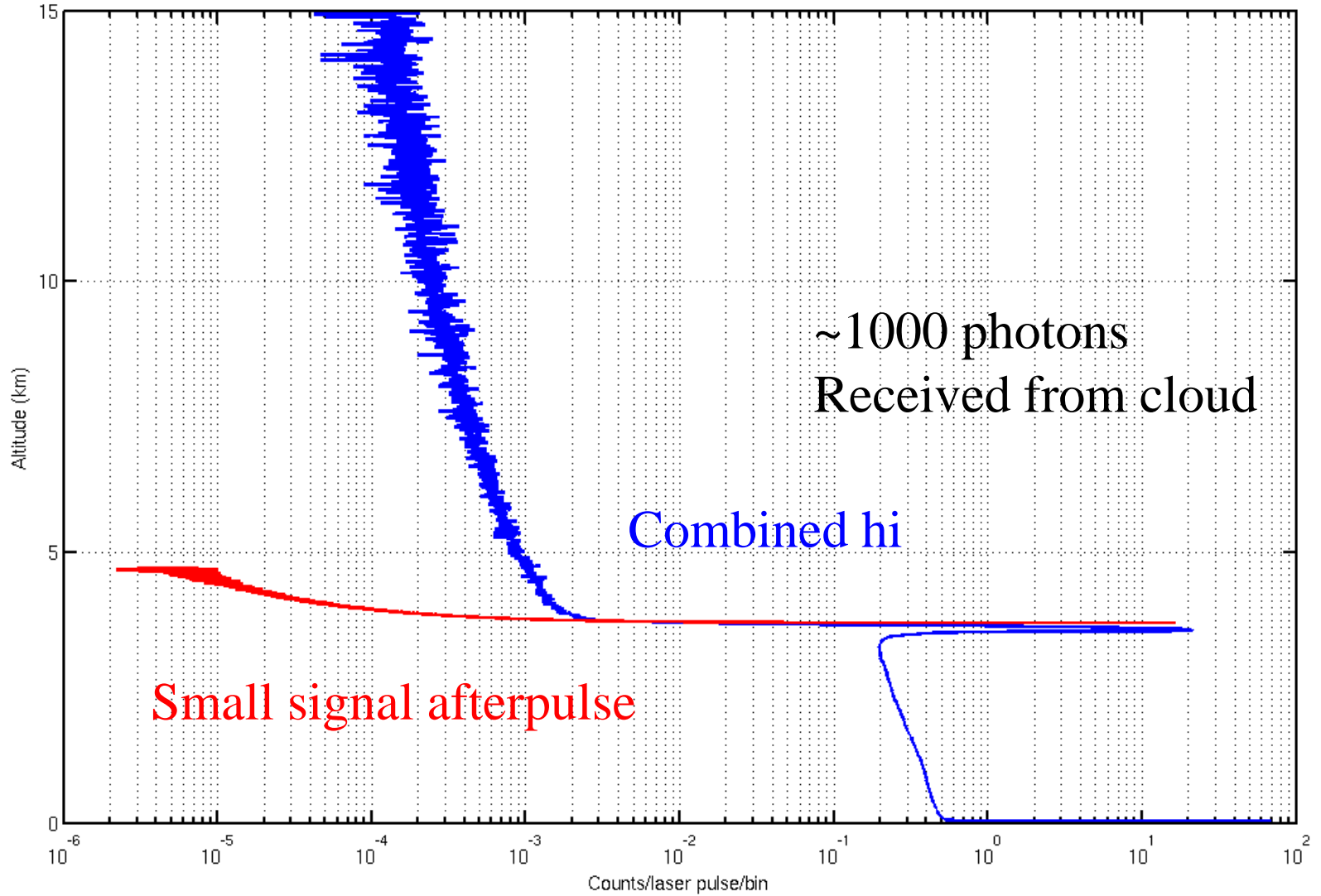


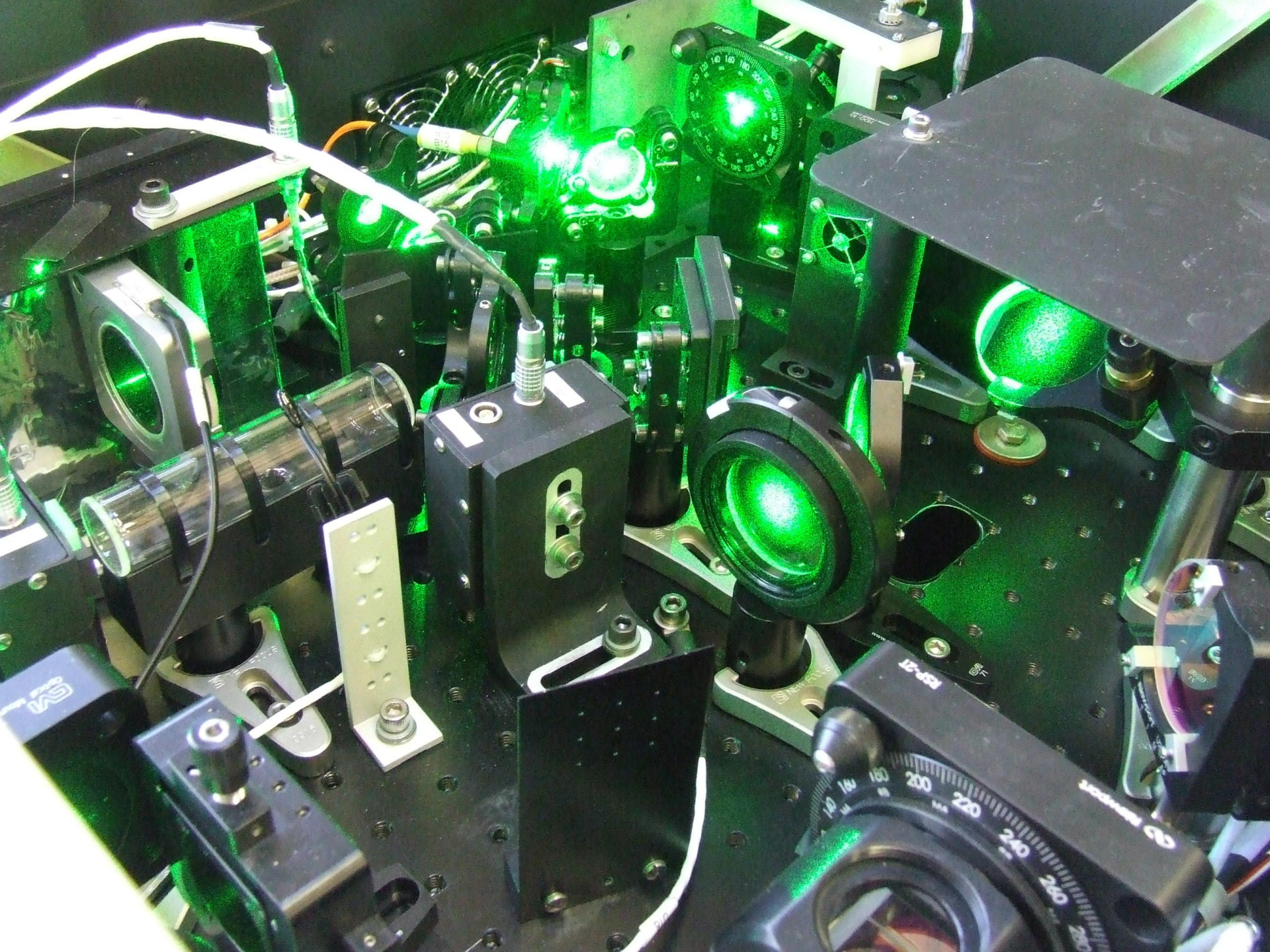


# Geiger-mode APD afterpulse probability

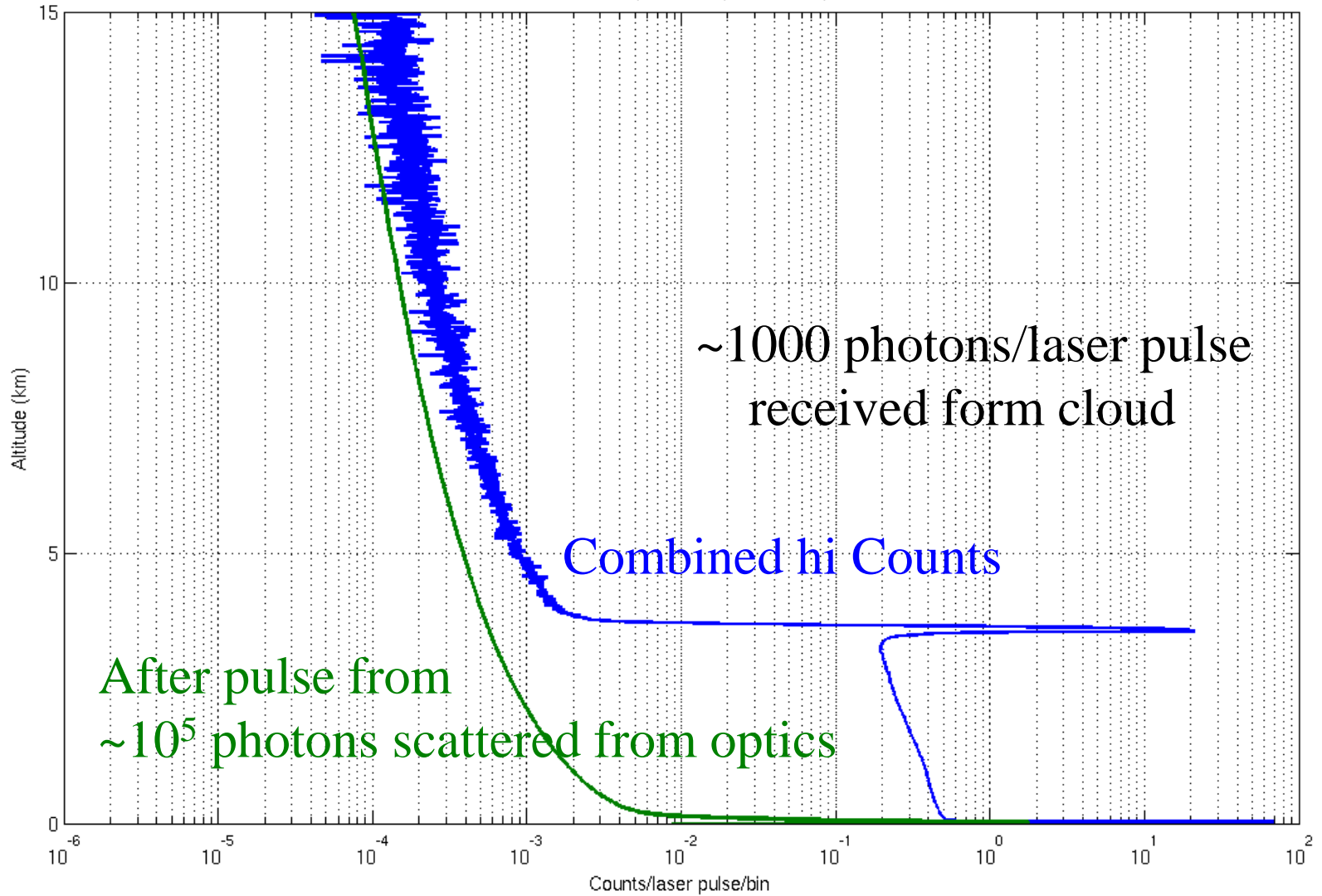


Aerosol return and cloud afterpulse 11-sep-10 3:30 UT

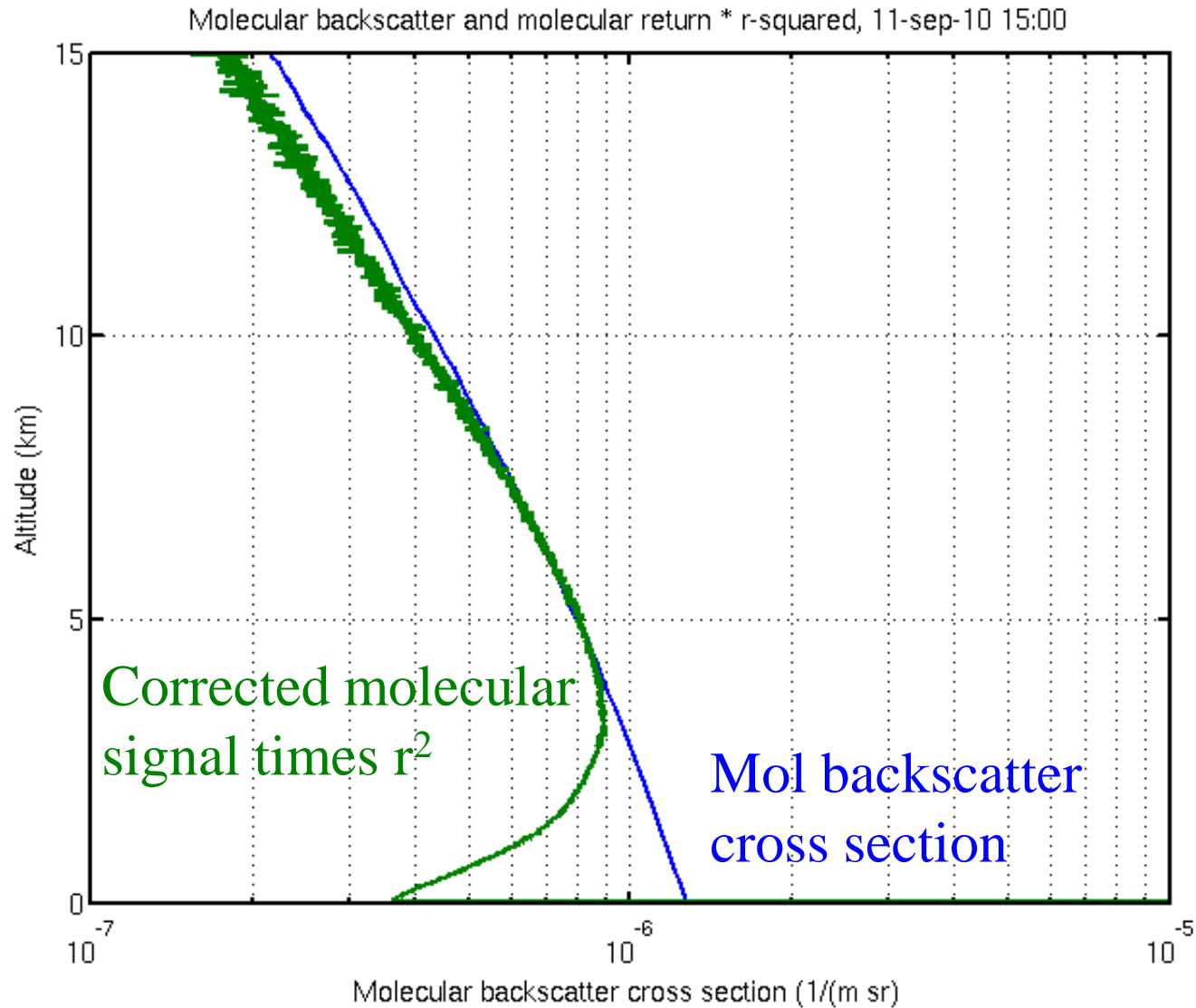




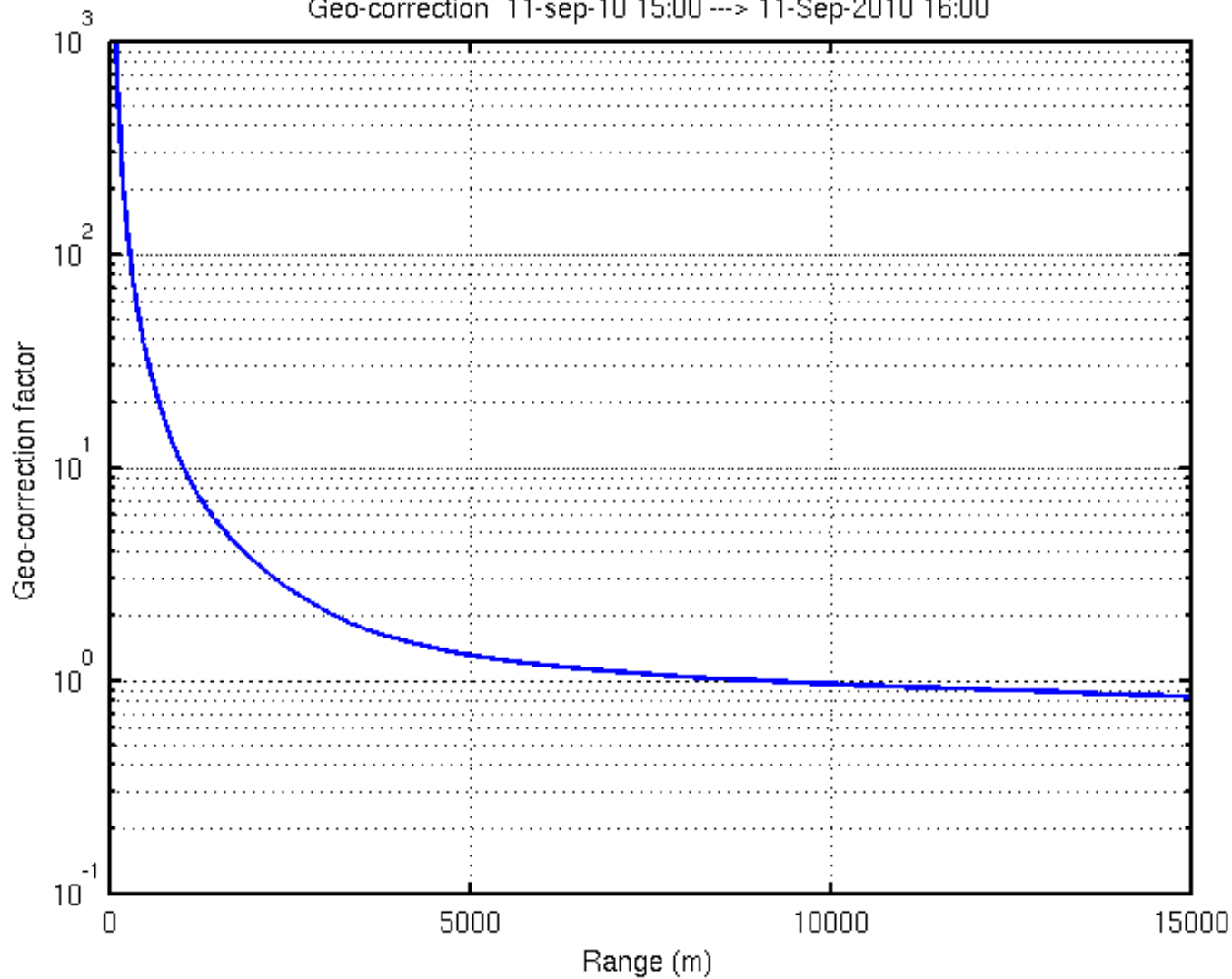
Aerosol return and laser pulse afterpulse 11-sep-10 3:30 UT



As the laser pulse propagates away from system the image size on the detector changes

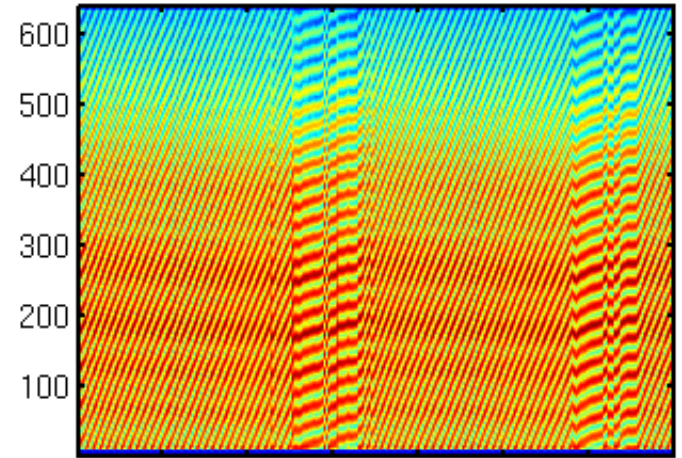


Geo-correction 11-sep-10 15:00 --> 11-Sep-2010 16:00

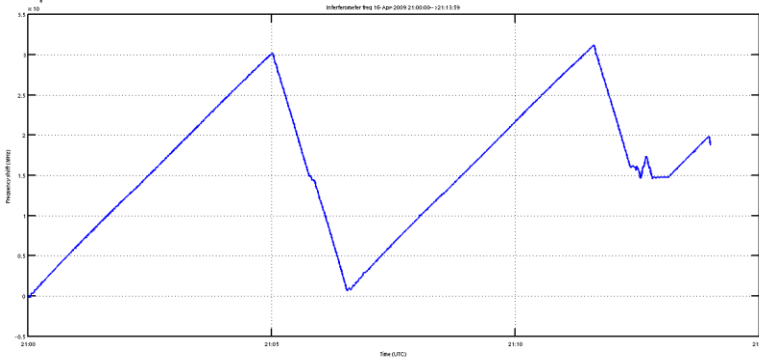


# Receiver bandpass calibration

interferometer 16-Apr-2009 21:00:00-->16-Apr-2009 21:13:59

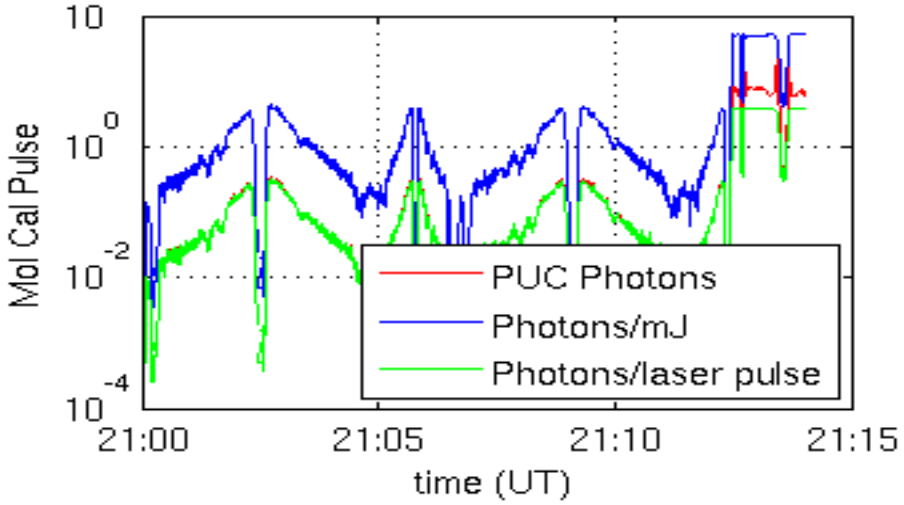


21:02 21:04 21:06 21:08 21:10 21:12



## Frequency

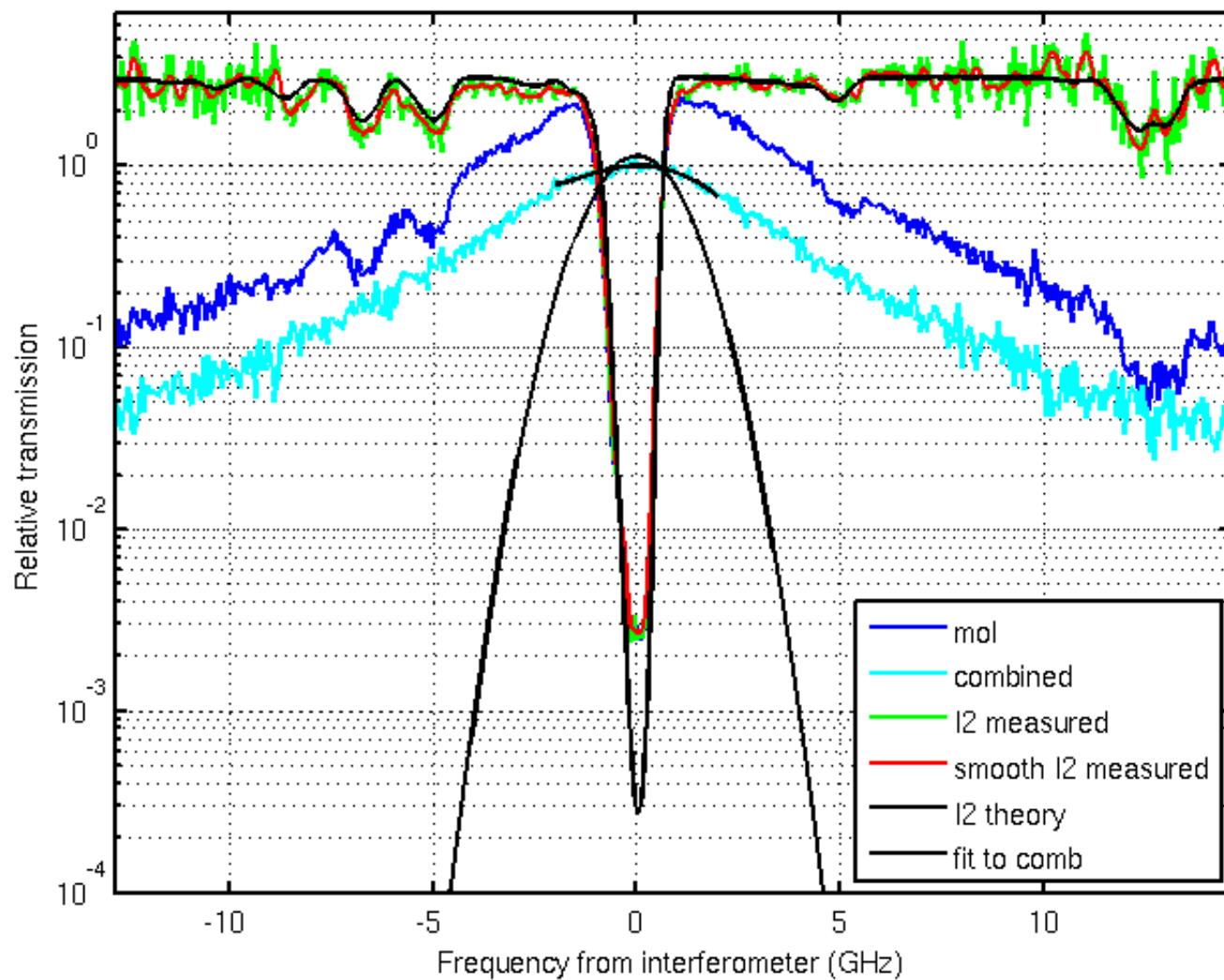
Molecular cal pulse 16-Apr-2009 21:00:00-->21:13:59



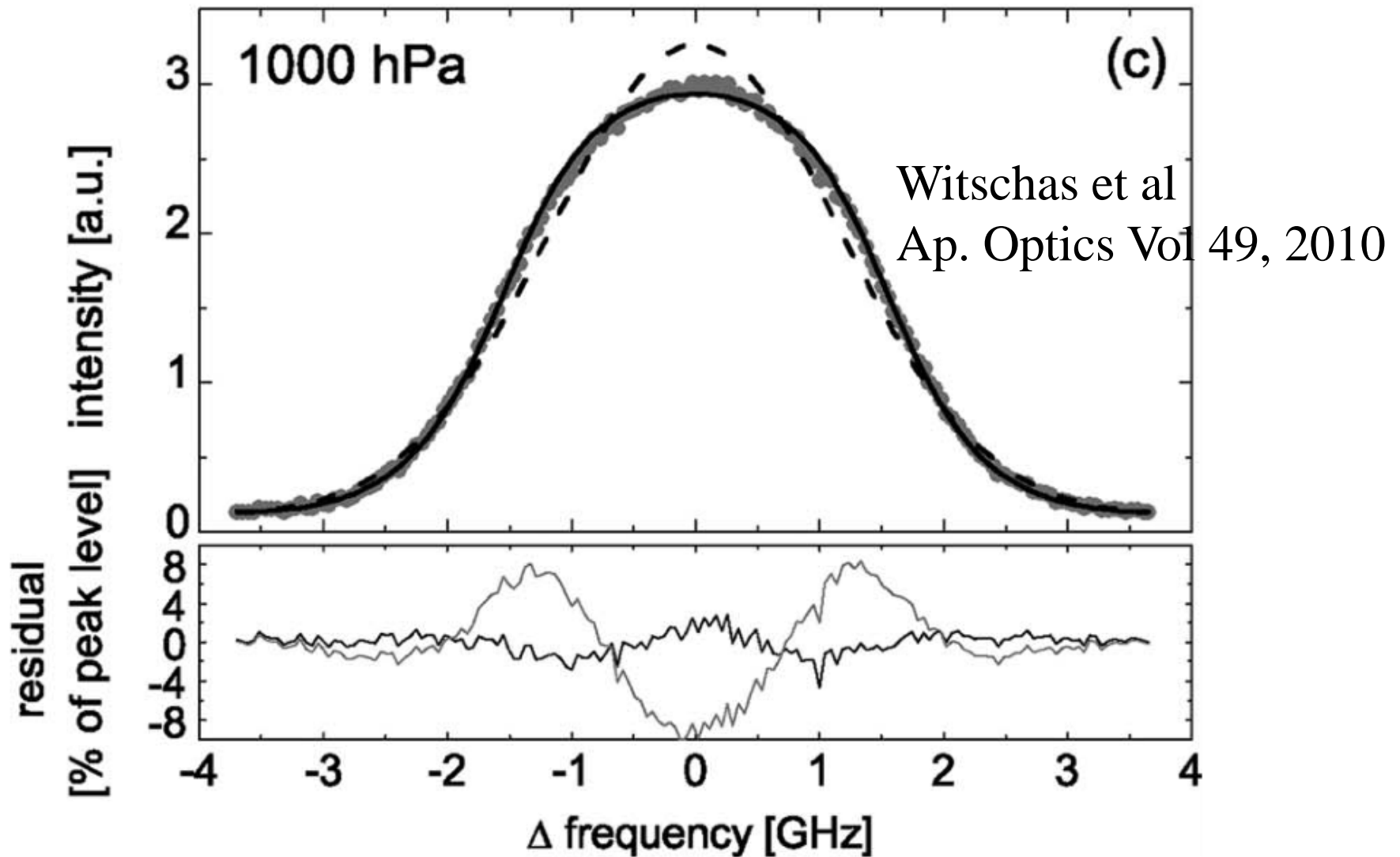
The transmitter frequency is scanned over  $\sim 20$  GHz to measure the spectral bandpass of the receiver

An interferometer is used to determine frequency during the spectral scan

Completed Cal scan using interferometer freq ref 16-Apr-2009 20:59:00

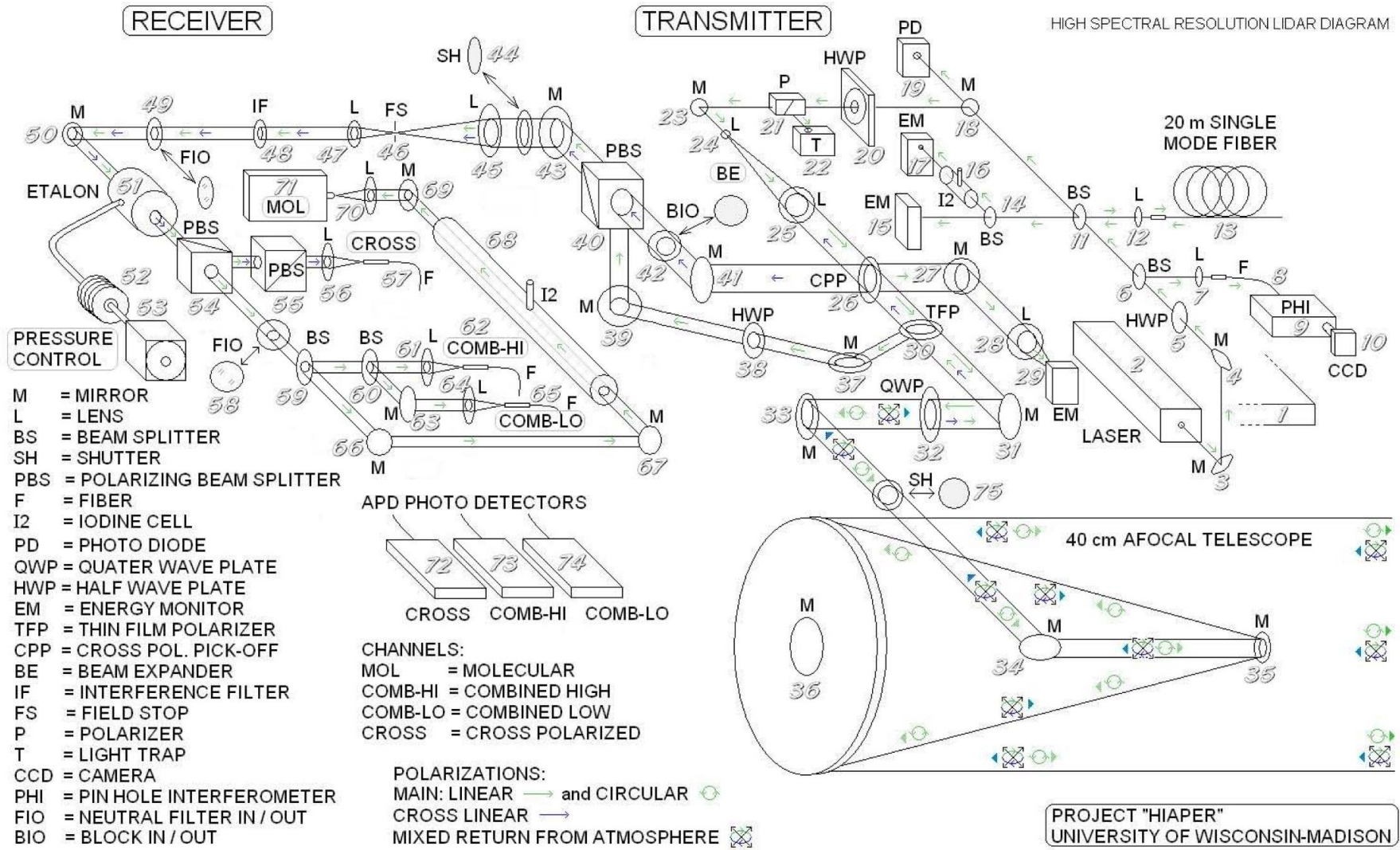




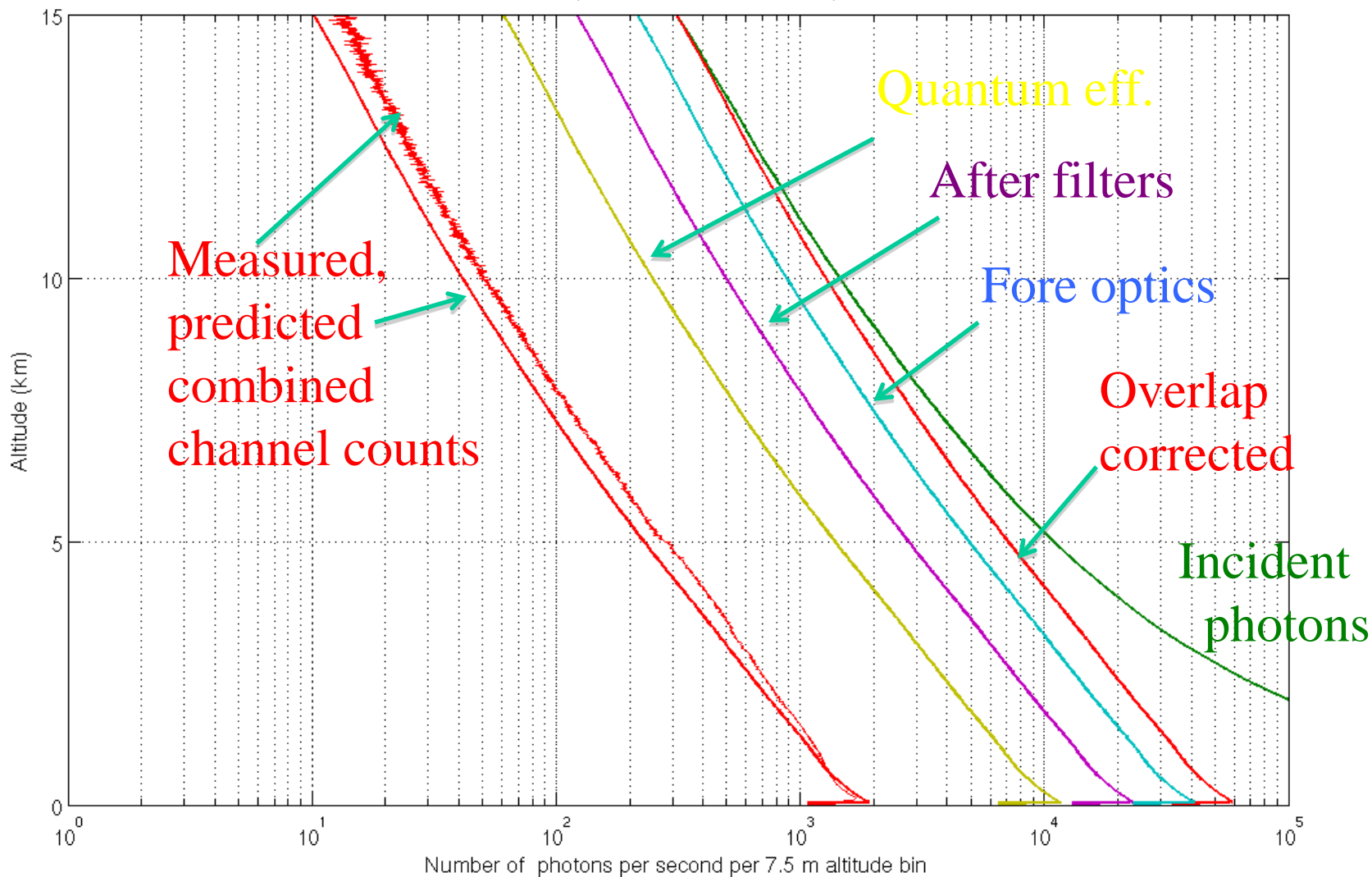


Brillouin line shape at 1000 hPa (solid), Rayleigh line shape (dashed) and deviations from measured values using Tenti S6 and Rayleigh shapes

# HSRL schematic – NCAR HAIPER version



Predicted counts computed for clear air on 11-Sep-2010 14:00:00





# Basic HSRL Equations

$S_c = G_{ac}N_a + G_{mc}N_m$  ; eq 1—Signal in the combined channel

$S_m = G_{am}N_a + G_{mm}N_m$ ; eq 2—Signal in the molecular channel

Where  $G_{ik}$  are gains of the two channels when exposed to  $N_a$  aerosol and  $N_m$  molecular photons.

Solving for  $N_m$  and  $N_a$  yields:

$N_m = \frac{S_m/G_{am} - S_c/G_{ac}}{(G_{mm}/G_{am}) - (G_{mc}/G_{ac})}$ ; eq 3—Number of molecular photons incident as function of signals

$N_a = \frac{S_c/G_{mc} - S_m/G_{mm}}{(G_{ac}/G_{mc}) - (G_{am}/G_{mm})}$ ; eq 4—Number of aerosol photons incident as function of signals

With  $G_{ac}$  = gain of the combined channel when exposed to aerosol photons

Define other gains relative to  $G_{ac}$ :

$$G_{mc} = C_{mc} \cdot G_{ac}, G_{am} = C_{am} \cdot G_{ac}, G_{mm} = C_{mm} \cdot G_{ac}$$

$$N_m = (1/G_{ac}) \cdot \frac{S_m/C_{am} - S_c}{(C_{mm}/C_{am}) - C_{mc}} = (1/G_{ac}) \cdot \frac{S_m - C_{am}S_c}{C_{mm} - C_{mc}C_{am}}$$

$$N_a = (1/G_{ac}) \cdot \frac{S_c/C_{mc} - S_m/C_{mm}}{(1/C_{mc}) - (C_{am}/C_{mm})} = (1/G_{ac}) \cdot \frac{C_{mm}S_c - C_{mc}S_m}{C_{mm} - C_{mc}C_{am}}$$

The scattering ratio is then:

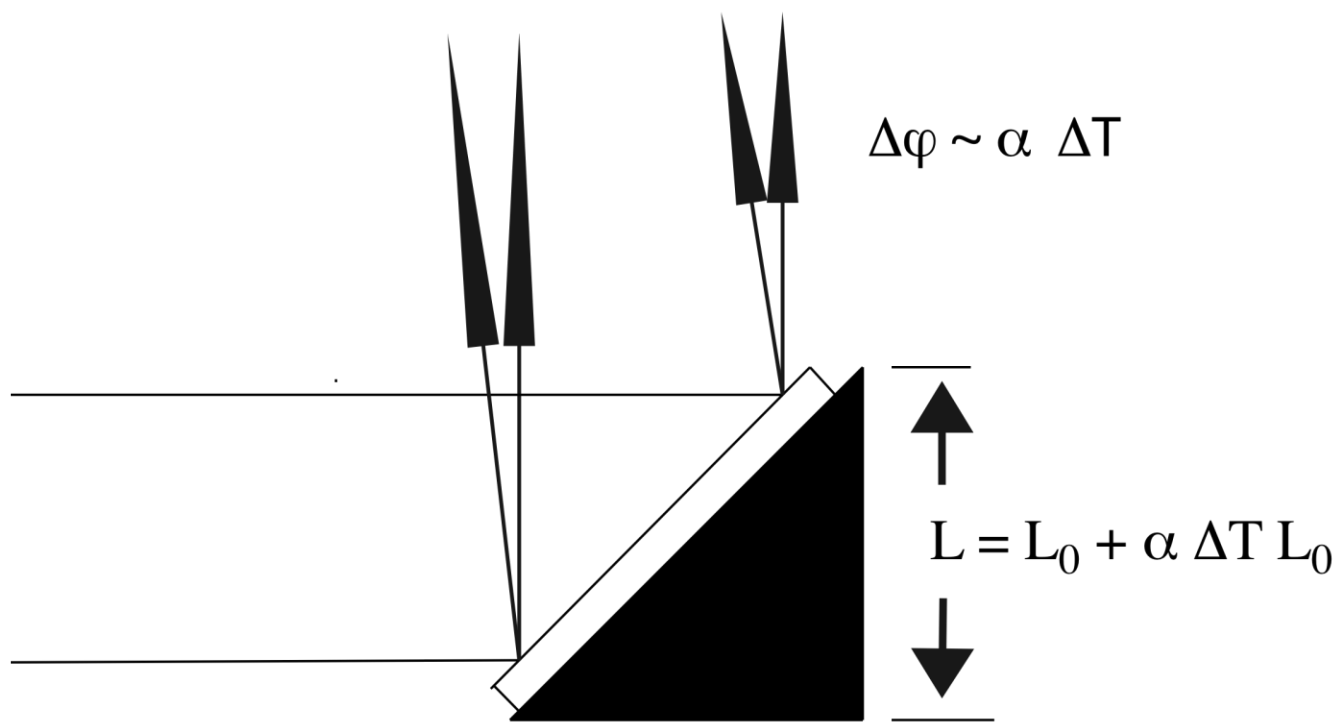
$$\frac{N_a}{N_m} = \frac{C_{mm}S_c - C_{mc}S_m}{S_m - C_{am}S_c}$$

The backscatter cross section,  $\beta'_a$ , is:

$$\beta'_a(r) = \beta_a(r) \cdot \frac{P(180,r)}{4\pi} = \frac{N_a(r)}{N_m(r)} \cdot \beta_m(r), \text{ where } \beta_a = \text{scattering cross section, } \frac{P(180,r)}{4\pi} = \text{backscatter phase function.}$$

the optical depth,  $\tau$ , between two points  $r_1$  and  $r_2$  is:

$$\tau(r_2 - r_1) = \frac{1}{2} \cdot \log\left(\frac{r_1^2 \rho(r_2) \cdot N_m(r_1)}{r_2^2 \rho(r_1) \cdot N_m(r_2)}\right), \text{ where } \rho(r) = \text{the atmospheric density profile}$$



Thermal expansion of components effect the alignment of transmitter with the receiver. Here we consider the example of an 45 deg aluminum mountin block for a beam turning mirror.

Angle shift due to 10 deg C temperature change:  $\Delta\varphi \sim \alpha \Delta T \sim 2.5 * 10^{-5} * 10$   
 $\Delta\varphi \sim 250$  microradian

## Problem with 532 nm—eye safety

--Wavelength region with smallest permitted exposure

$$\text{ANSI safe exposure} \leq 5e-7 (R/4)^{-1/4} \text{ J/cm}^2$$

Where  $R$  = the pulse repetition rate

This forces high repetition rate and large apertures

Range ambiguity limits  $R < \sim 4\text{kHz}$ , i.e.  $r_{\text{max}} < \sim 40 \text{ km}$

Cost, complexity, turbulence limit aperture to  $\sim 0.5 \text{ m}$ .

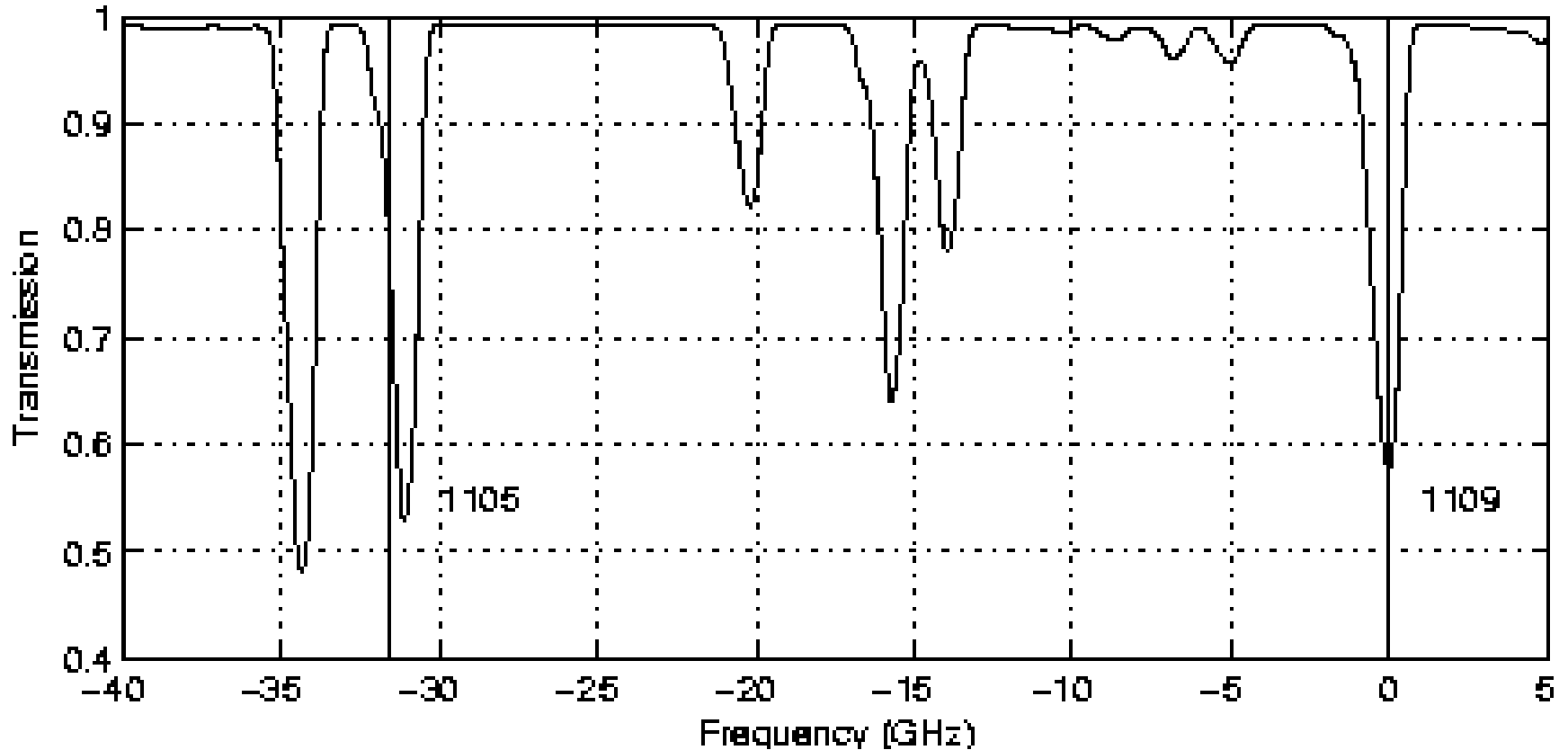
Thus max transmitted energy laser pulse is limited to:

$$\pi 25^2 * 5e-7 * 1000^{-1/4} = 0.174 \text{ mJ/pulse}$$

and the maximum transmitted power is:

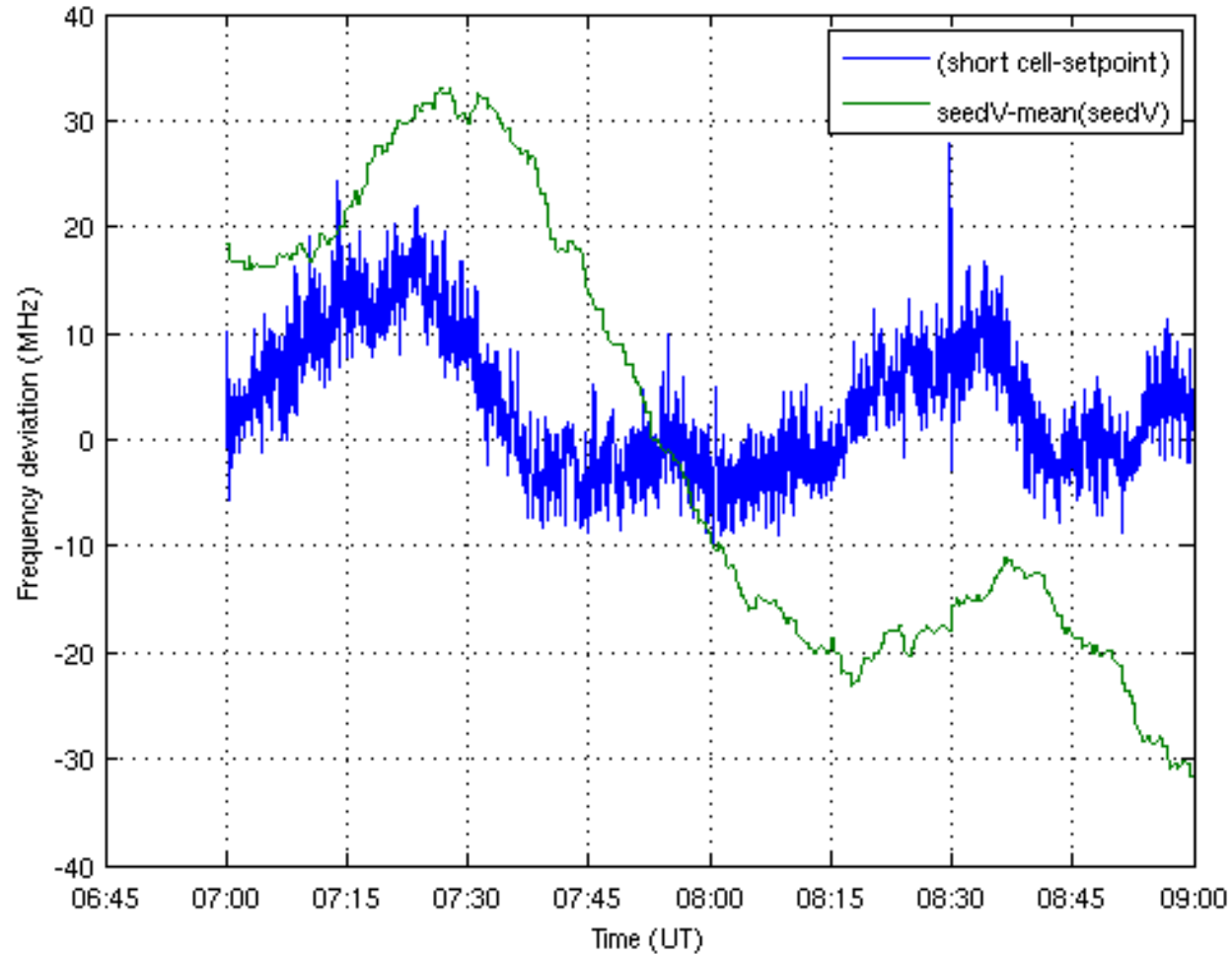
$$0.174e-3 * 4000 \text{ Hz} = 0.7 \text{ Watt}$$

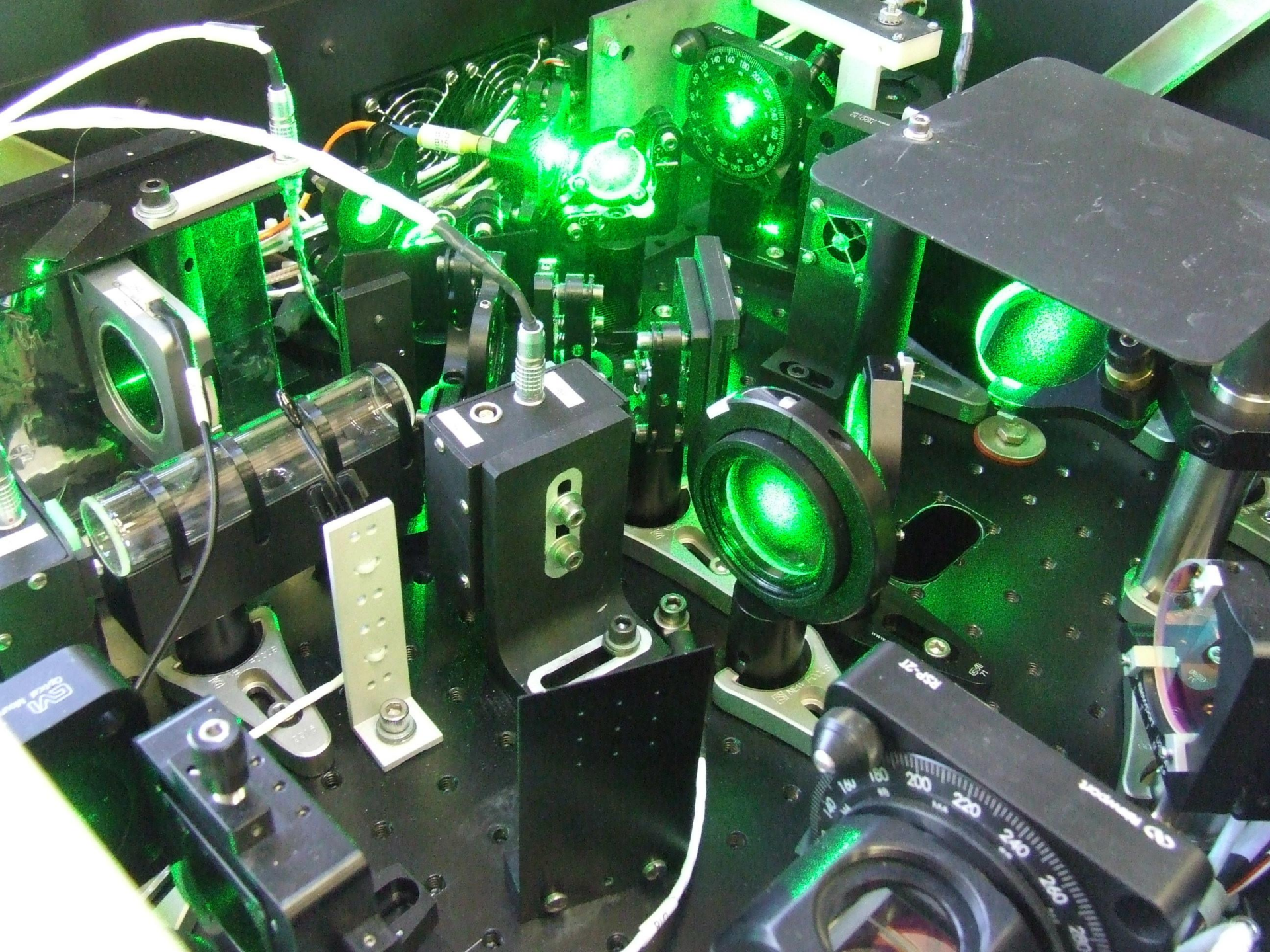
# Transmission of 2-cm iodine cell





# Example of frequency locking





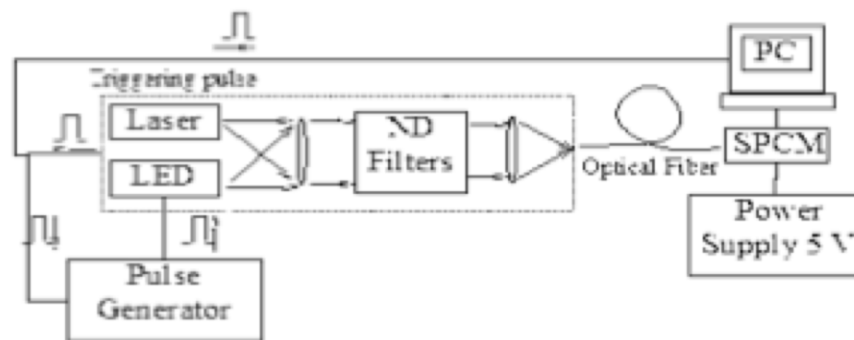
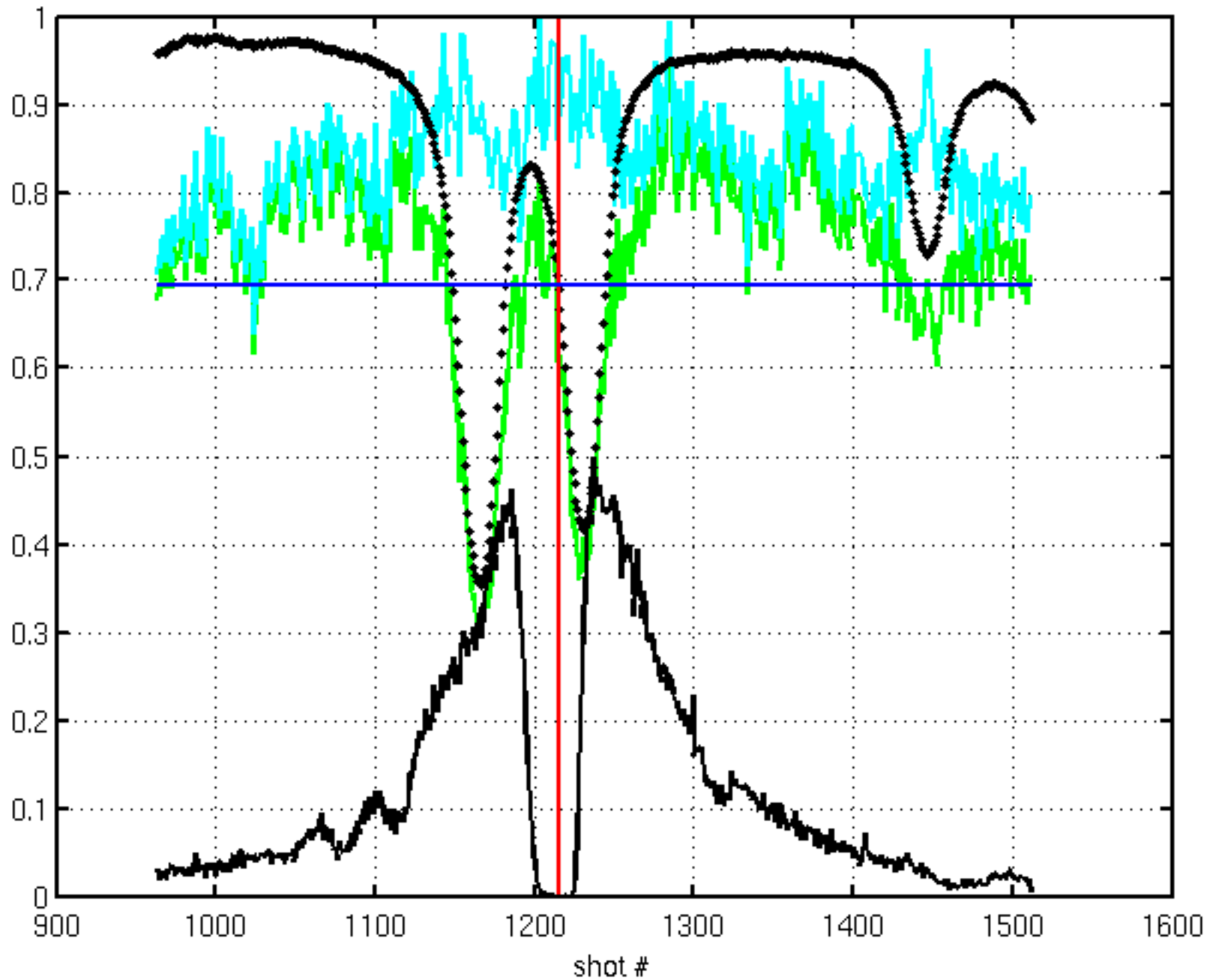


Figure 4. A block-diagram of the experimental setup.

### 3.2 Detector impulse response function

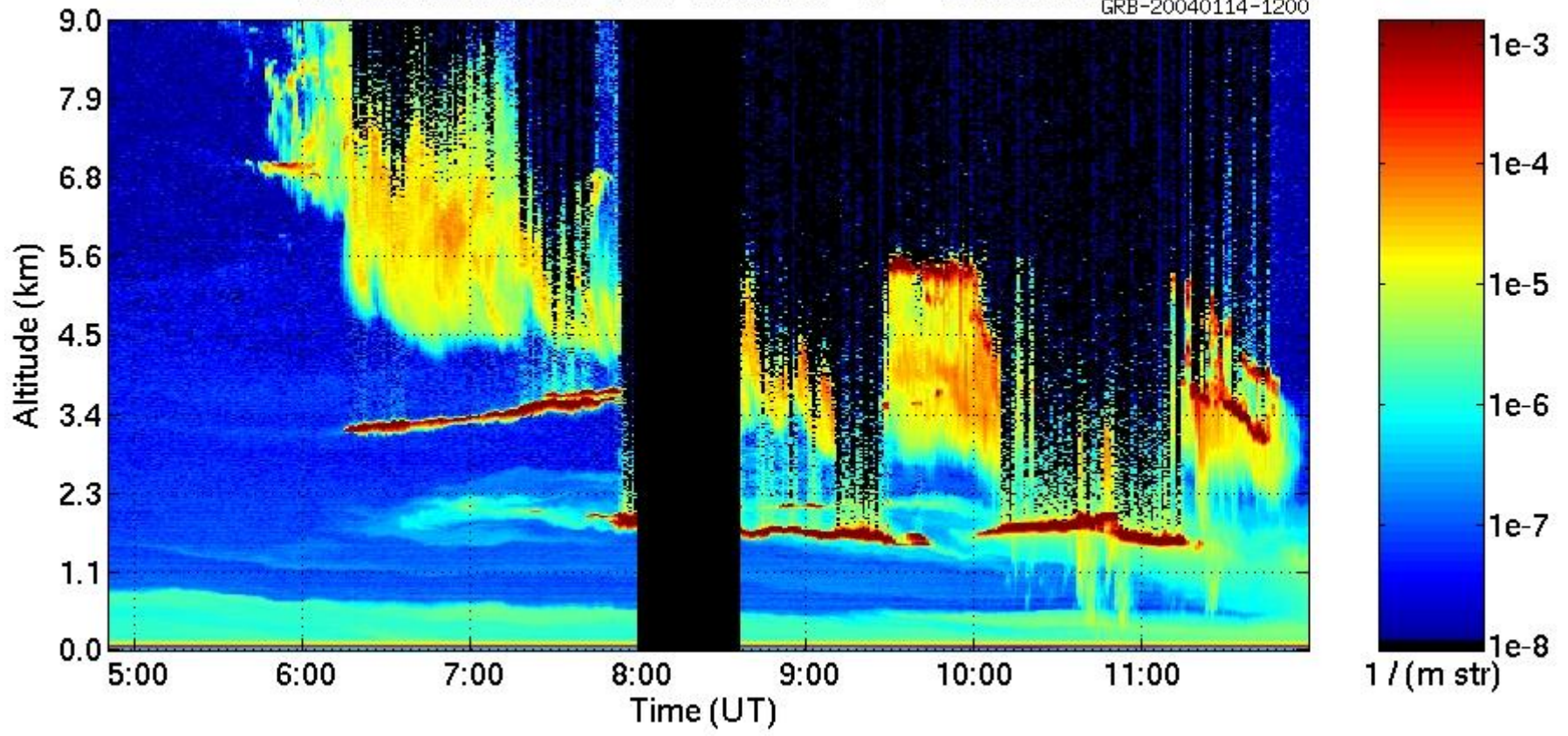
Brillouin lock parameters





Aerosol backscatter cross section  $\text{m}^{-1} \text{str}^{-1}$  14-Jan-2004

GRB-20040114-1200



# Specifications

## Transmitter:

**GVHSRL**

**Langley HSRL**

Repetition rate

4000 Hz

200 Hz

Wavelength

532 nm

532 nm

Energy

82 uJ

2.5 mJ

Ave power

339 mW

500 mW

## Receiver:

Aperture

40 cm

40 cm

Bandwidth

8 GHz

60 GHz

Quantum Eff

55%

10% (?)

Field of View

100  $\mu$ rad

250-1000  $\mu$ rad

Optical trans

~34%

57%

Signal strength ~

1

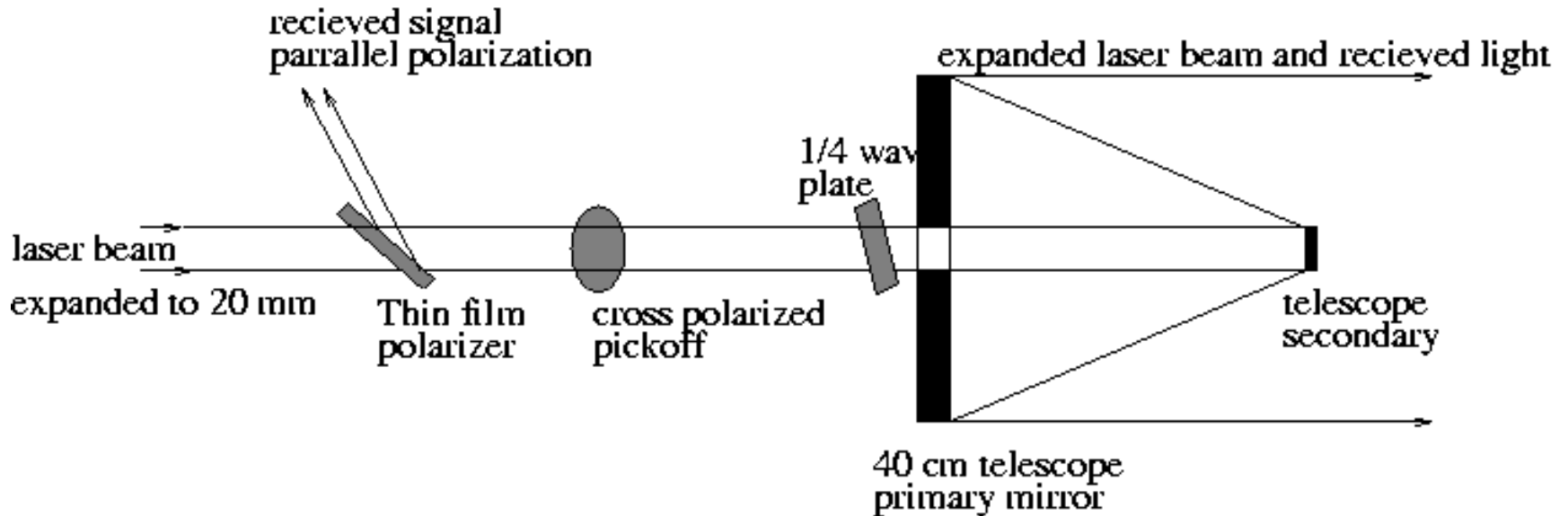
0.27 (Area\*Pwr\*QE\* $\eta$ )

Sky Noise ~

0.24

3.4 (Area\*BW\* $\Omega$ \*QE\* $\eta$ )

# AHSRL transmit-receive telescope



- The 20 mm diameter linearly-polarized laser beam is converted to circular polarization by  $\frac{1}{4}$  wave plate before expansion 40 cm.
- The received signal is converted to linear polarization on return through the  $\frac{1}{4}$  wave plate. Approx. 10% of the signal is separated to measure the cross-polarized component. The parallel-polarized component is separated from the transmit beam by the thin-film polarizer.



position: L3  
PFC-107



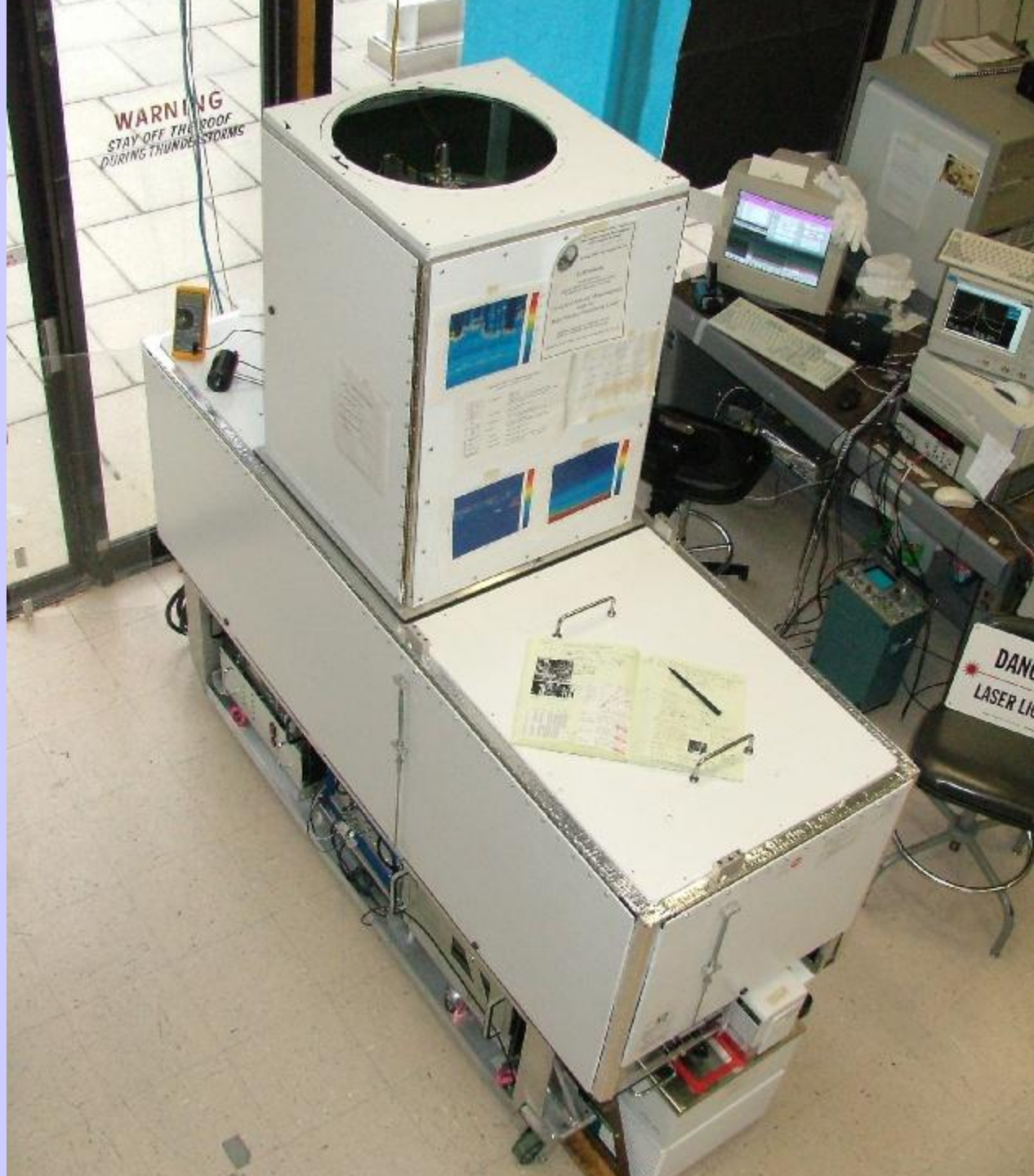
EXIT

CAUTION

CAUTION  
PANELS ARE FRAGILE  
DO NOT TOUCH PANELS

022

022

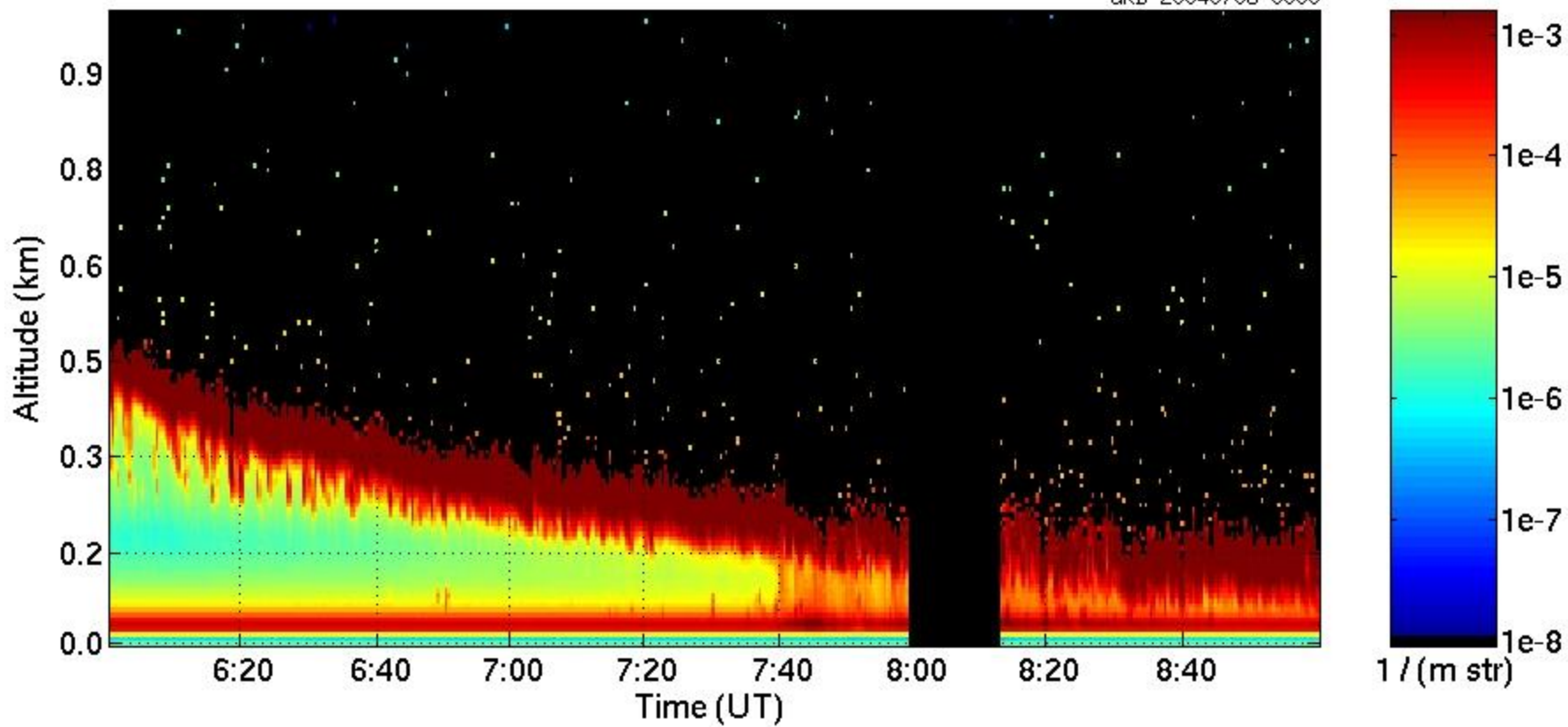


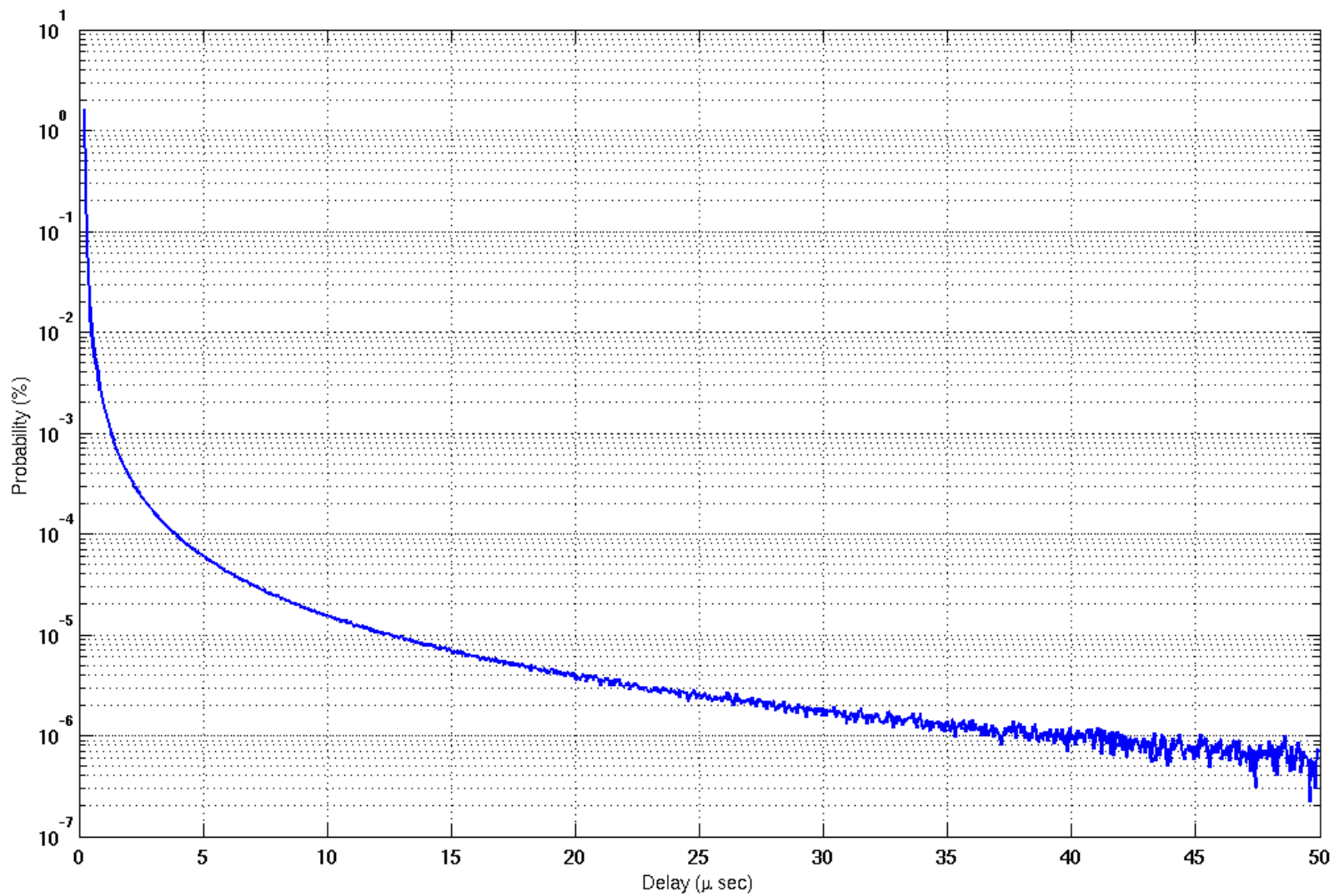
# High Spectral Resolution Lidar at North Slope ARM site



Aerosol backscatter cross section  $\text{m}^{-1} \text{str}^{-1}$  06-Jul-2004

GRB-20040706-0000





# Arctic HSRL Specifications

- Altitude coverage ~75m-->30 km
- Altitude resolution 7.5 m
- Time resolution :
  - -Backscatter, depolarization profiles 0.5 sec
  - -Optical depth profiles >20 sec
- Eye safe at output
- Wavelength 532 nm
- Power 200 → 600 mW
- Repetition rate 4 kHz
- Field of view 45 microradians
- Sky noise filter bandwidth 8 GHz
- Typical background noise/bin >1 photon/1000 laser pulses
- Receiver diameter 0.4 m
- I2 filter bandwidth 1.8 GHz

OD computed from average transmission 26-Sep-10 16:00 ---> 16:59

